

Status of J-PARC muon g-2/EDM experiment

E. Bottalico on behalf of g-2 collaboration

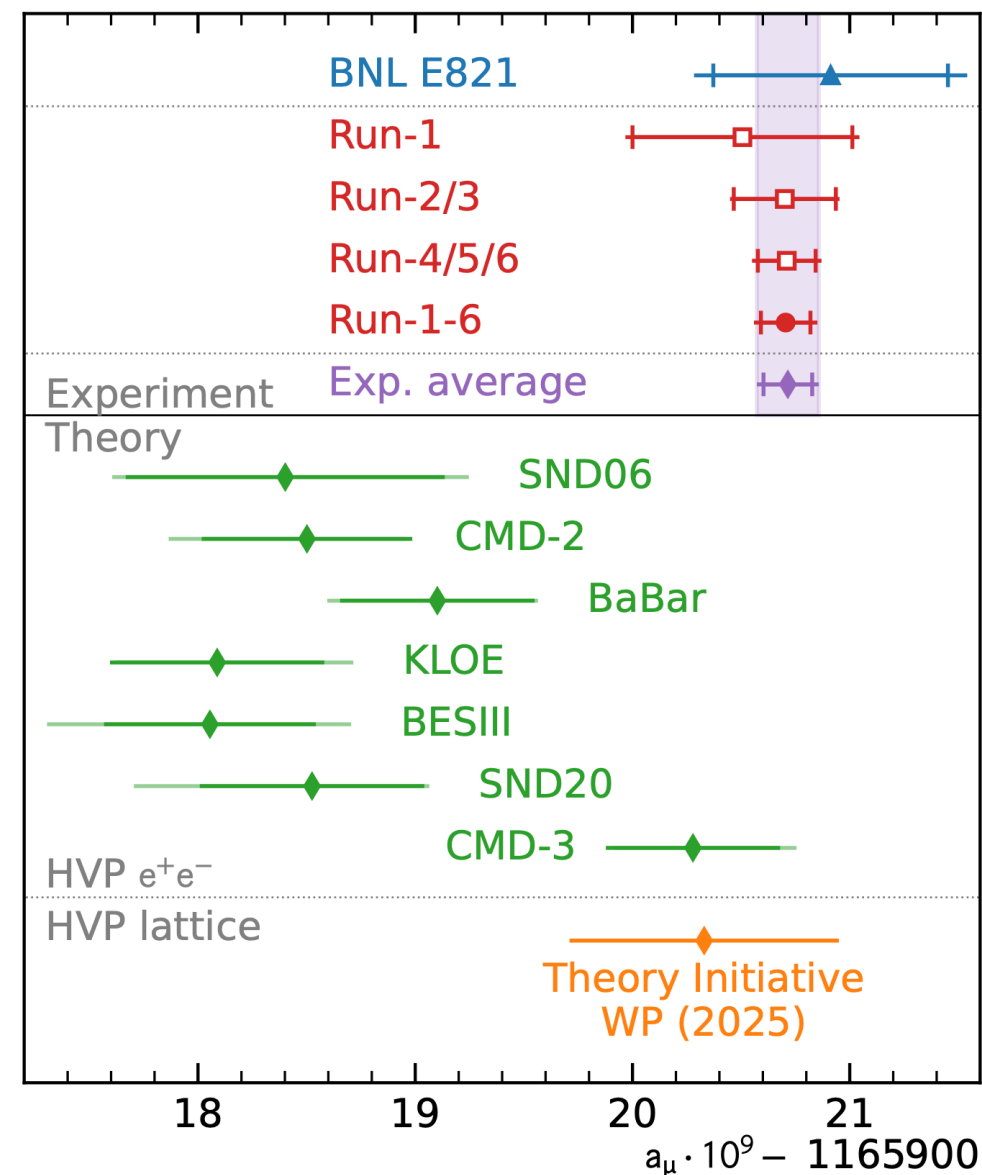
MPPW 2025

11th November 2025



Current status

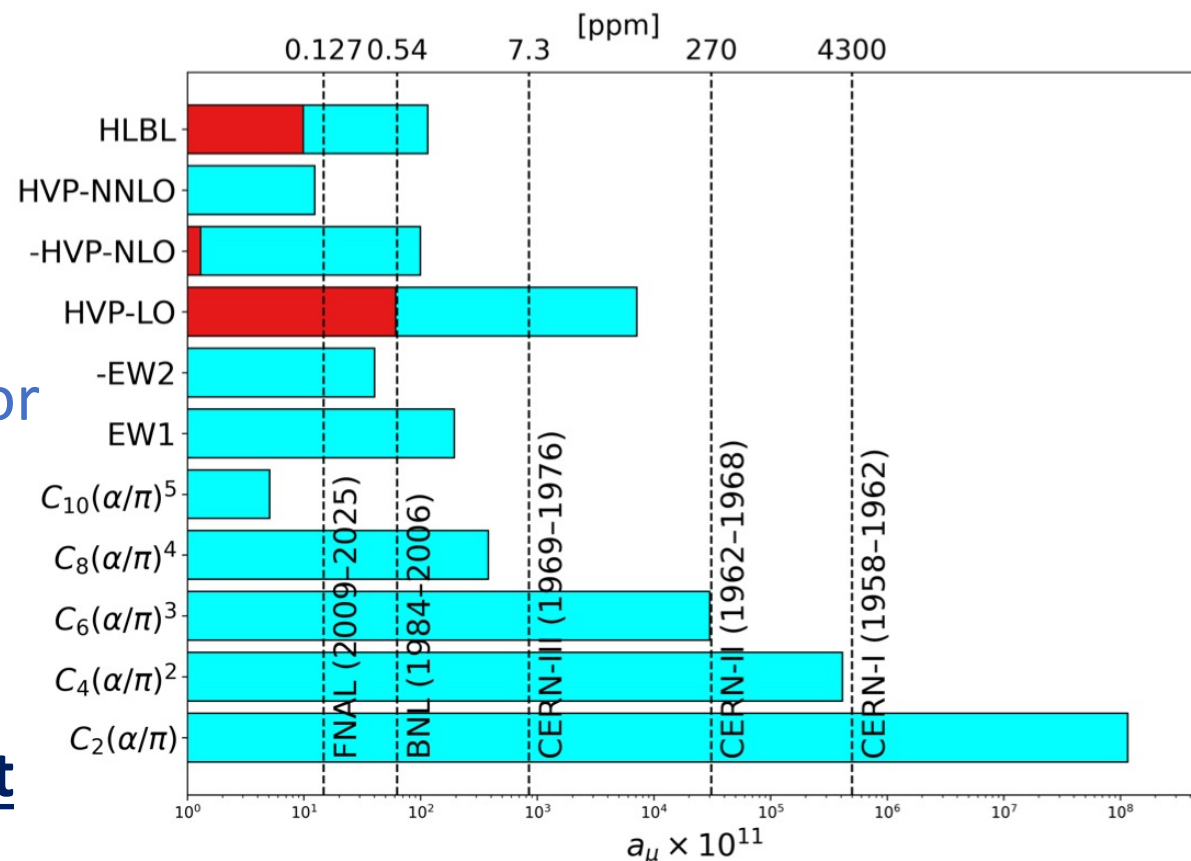
- The theory situation still puzzling!
- The [Muon \$g - 2\$ Theory Initiative](#) latest compilation White Paper 2025: [Phys.Rept. 1143 \(2025\) 1-158](#)
- WP25 (based on lattice QCD) agrees with the experiment
- HVP e^+e^- (data-driven approach) was not included for the WP25
 - tensions still to be understood
 - New result from BaBar experiment confirming previous result! - [TI Workshop 2025](#)
- CMD3 result with data-driven approach agrees with WP25 and disagrees with other HVP





Current status

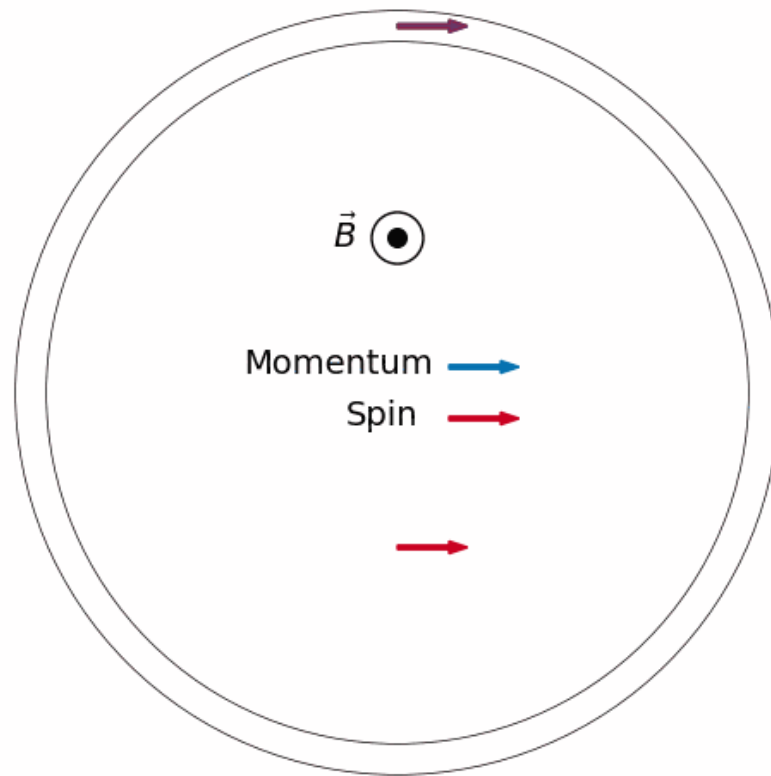
- The HVP contribution is still leading the total **uncertainty** on a_μ .
- The Fermilab precision is beyond the HVP contribution, but on a near future this error can be further reduced.
- In a new scenario where the theory puzzle is resolved, an independent measurement of a_μ would be important.



[Measured Lepton Magnetic Moment – G. Gabrielse, G. Venanzoni](#)



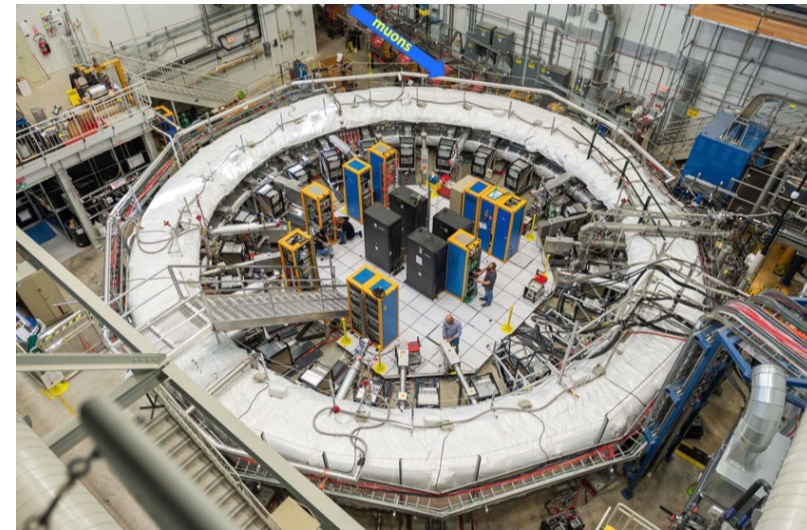
Measurement principle - Fermilab



$$\vec{\omega}_a = \frac{e}{m} \left[a_\mu \vec{B} - \left(a_\mu - \frac{1}{\gamma^2 - 1} \right) (\vec{\beta} \times \vec{E}) \right]$$

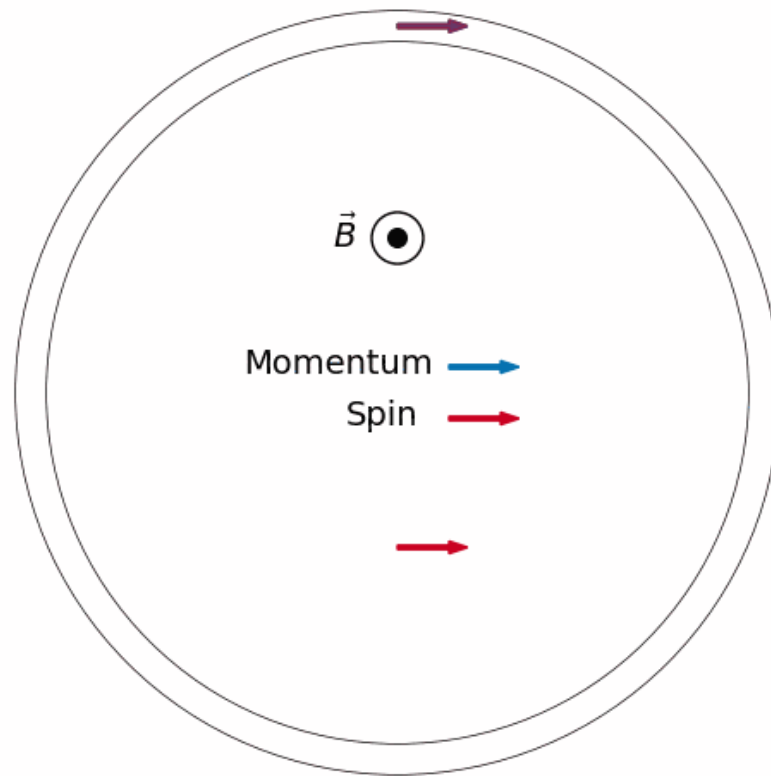
- Electric focusing (vertical confinement)
- 14 m ring diameter (B= 1.45T)

$$\vec{\omega}_a = \vec{\omega}_s - \vec{\omega}_c = a_\mu \frac{e\vec{B}}{m}$$





Measurement principle - Fermilab

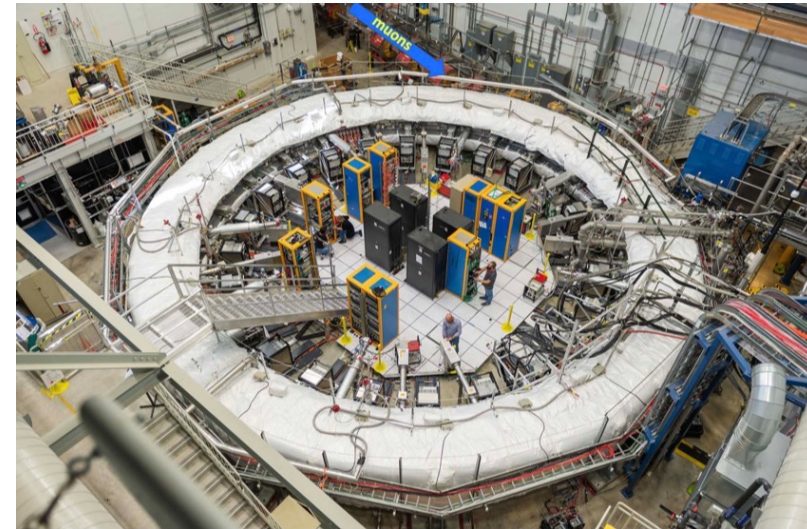


$$\vec{\omega}_a = \frac{e}{m} \left[a_\mu \vec{B} - \left(a_\mu - \frac{1}{\gamma^2 - 1} \right) (\vec{\beta} \times \vec{E}) \right]$$

$$\gamma = \sqrt{1 + \frac{1}{a_\mu}} \sim 29.3$$

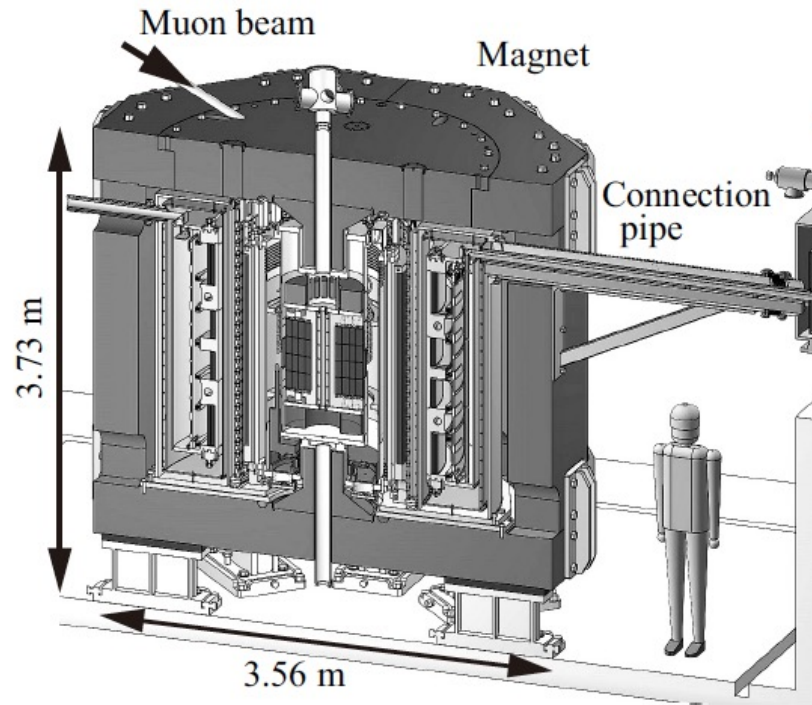
- Electric focusing (vertical confinement)
- 14 m ring diameter (B= 1.45T)
- Magic momentum $\gamma = 29.3$ ($p = 3.1$ GeV/c)

$$\vec{\omega}_a = \vec{\omega}_s - \vec{\omega}_c = a_\mu \frac{e\vec{B}}{m}$$





Measurement principle – J-PARC



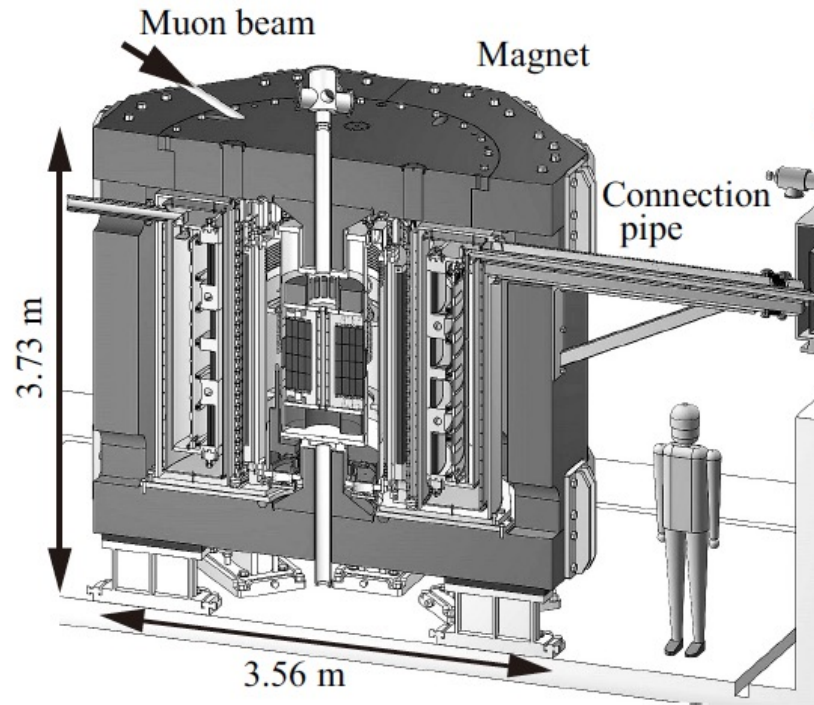
$$\vec{\omega}_a = \frac{e}{m} \left[a_\mu \vec{B} - \left(a_\mu - \frac{1}{\gamma^2 - 1} \right) (\vec{\beta} \times \vec{E}) \right]$$

- 300 MeV/c momentum
- 0.66 m ring diameter ($B = 3$ T)

$$\vec{\omega}_a = \vec{\omega}_s - \vec{\omega}_c = a_\mu \frac{e\vec{B}}{m}$$



Measurement principle – J-PARC



$$\vec{\omega}_a = \frac{e}{m} \left[a_\mu \vec{B} - \left(a_\mu - \frac{1}{\gamma^2 - 1} \right) (\vec{\beta} \times \vec{E}) \right]$$

- 300 MeV/c momentum
- 0.66 m ring diameter ($B = 3$ T)
- No electric field ($E=0$)

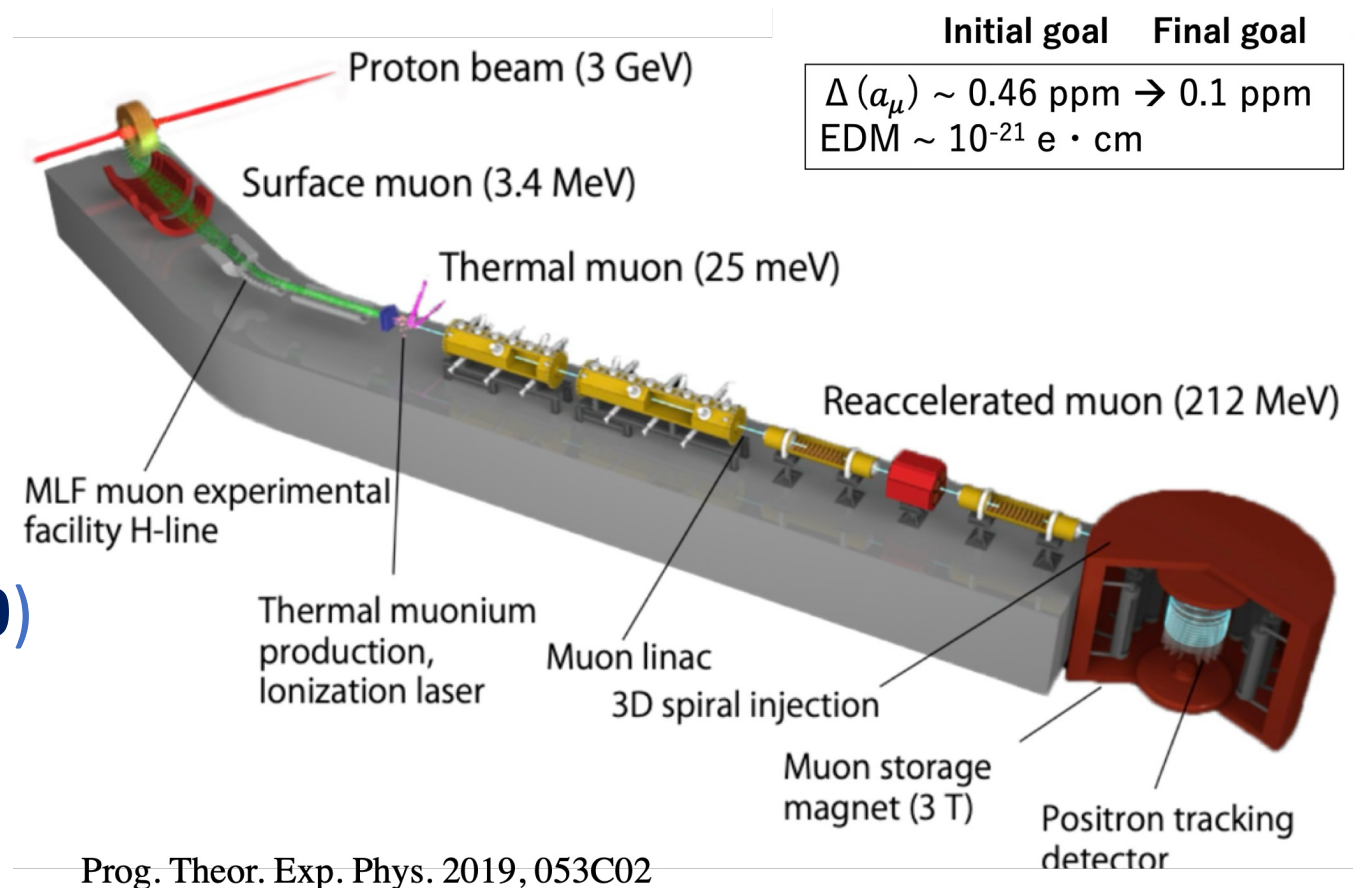
$$\vec{\omega}_a = \vec{\omega}_s - \vec{\omega}_c = a_\mu \frac{e\vec{B}}{m}$$

Both the experiment can extract a_μ very precisely measuring $\vec{B}$ and $\vec{\omega}_a$

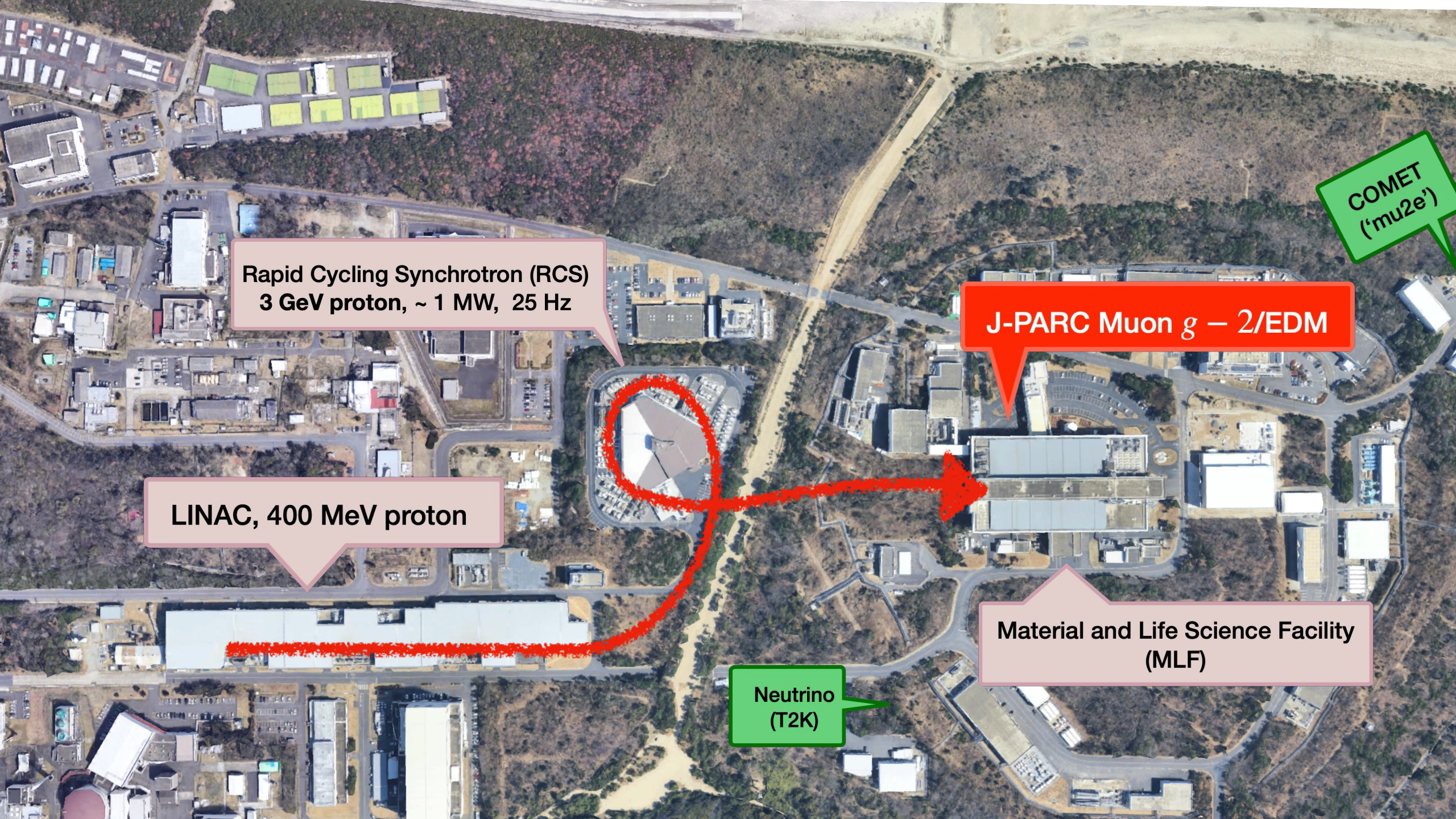


New features of E34

- Low emittance muon beam (**1/1000**)
- Muon acceleration -> **212 MeV**
- **No strong** focusing
- 3D spiral injection:
 - Large kick in few ns
 - Good injection efficiency (**x10**)
- Compact storage ring (**1/20**)
- Tracking detector
- Excellent sensitivity to **muon EDM** about **100 times** better than the previous limit







Rapid Cycling Synchrotron (RCS)
3 GeV proton, ~ 1 MW, 25 Hz

LINAC, 400 MeV proton

J-PARC Muon $g - 2$ /EDM

COMET
($\mu 2e^-$)

Material and Life Science Facility
(MLF)

Neutrino
(T2K)

Muon Beam (H-line)

H1 area
MuSEUM
DeeMe

Deck for
RF power
supplies
+
Laser room

H2 area
Ultra slow μ
production
Reacceleration
up to 4 MeV

S2

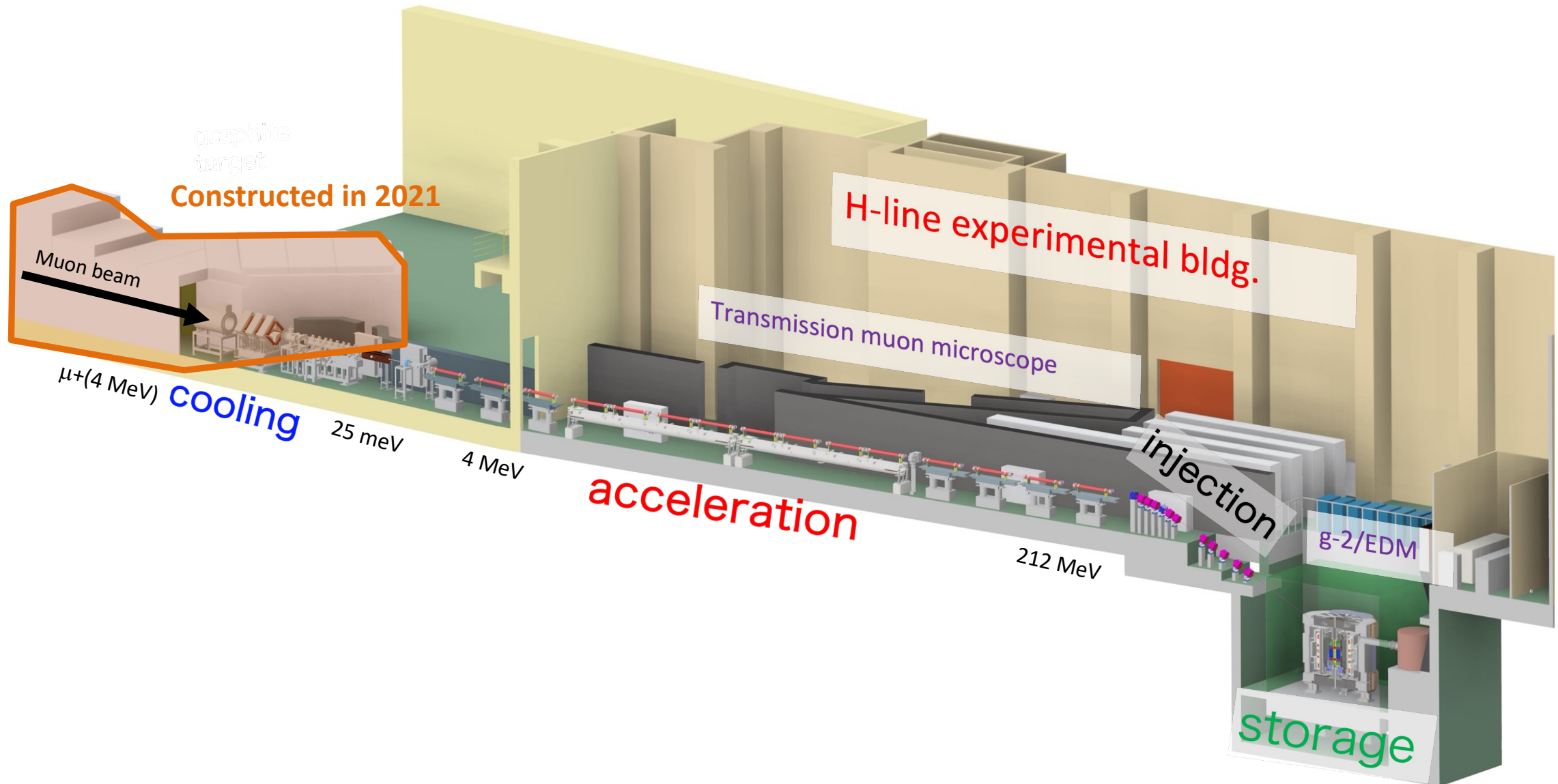
Laser
room

Future extension to accelerate up to 212 MeV
Extension building construction ongoing (Budget secured!)

Photo credit to
Takayuki YAMAZAKI

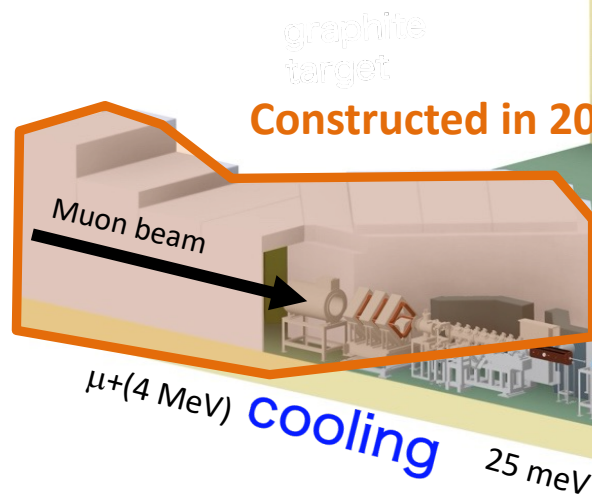


Muon g-2 at J-PARC (E34)



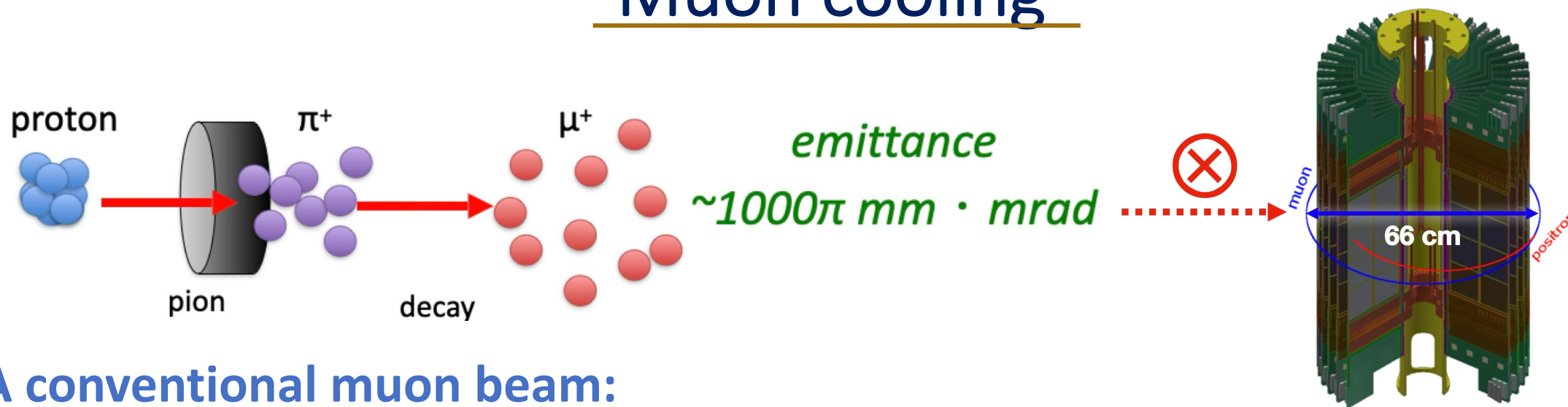


Muon cooling





Muon cooling



- **A conventional muon beam:**

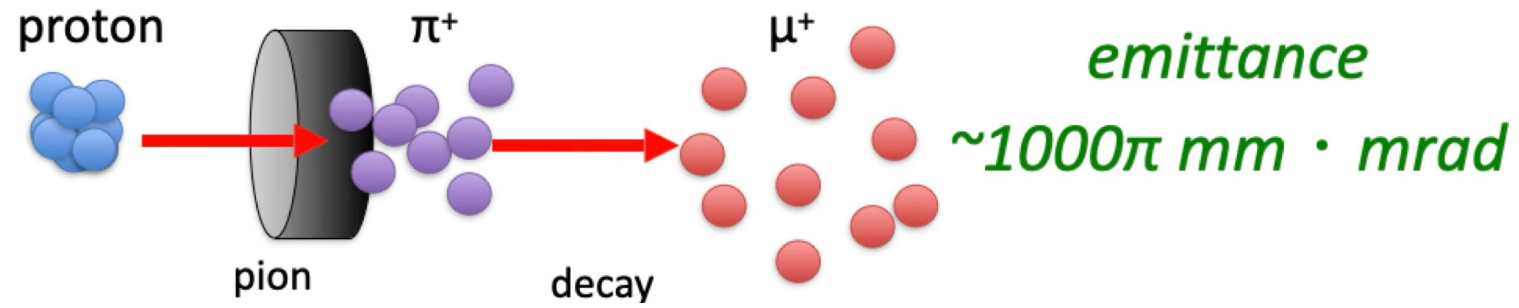
- can not be injected without a strong focusing → electric field;
- This leads to muon losses and background contamination from π .

- **Desired beam:**

- The muon must be compact and non-divergent;
- Typically with a RMS of $\sim$ mm → never achieved before.

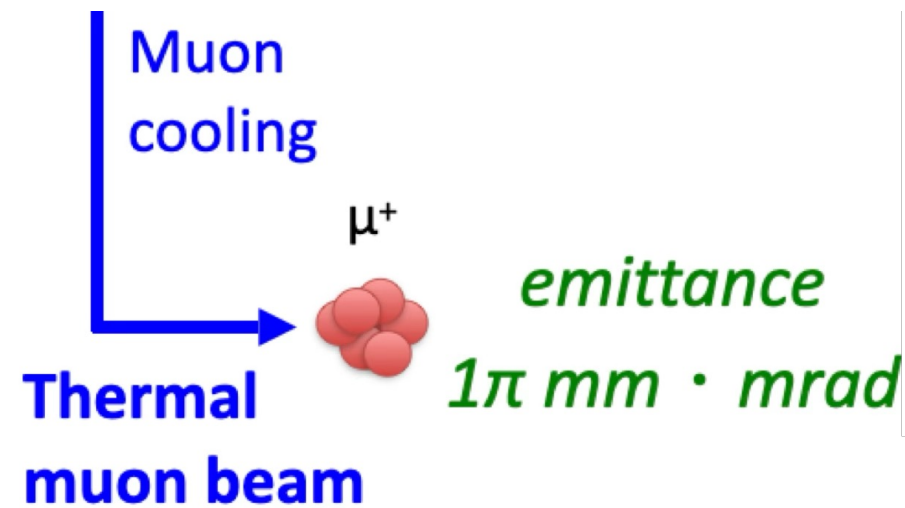
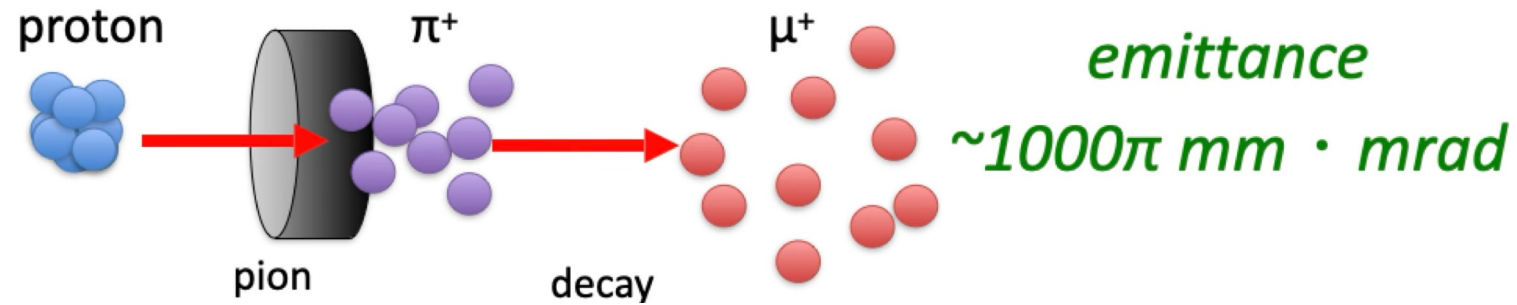


Muon cooling





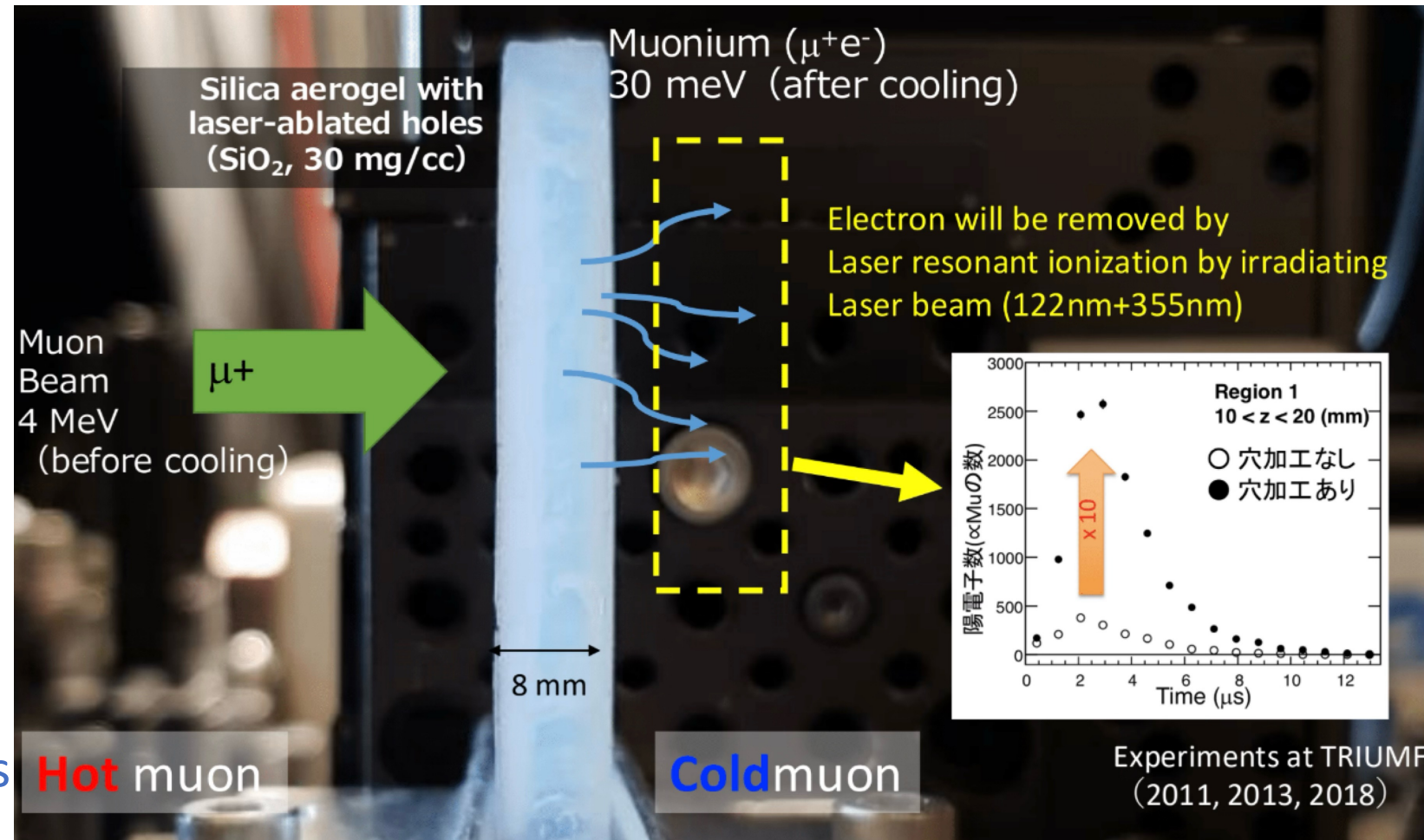
Muon cooling





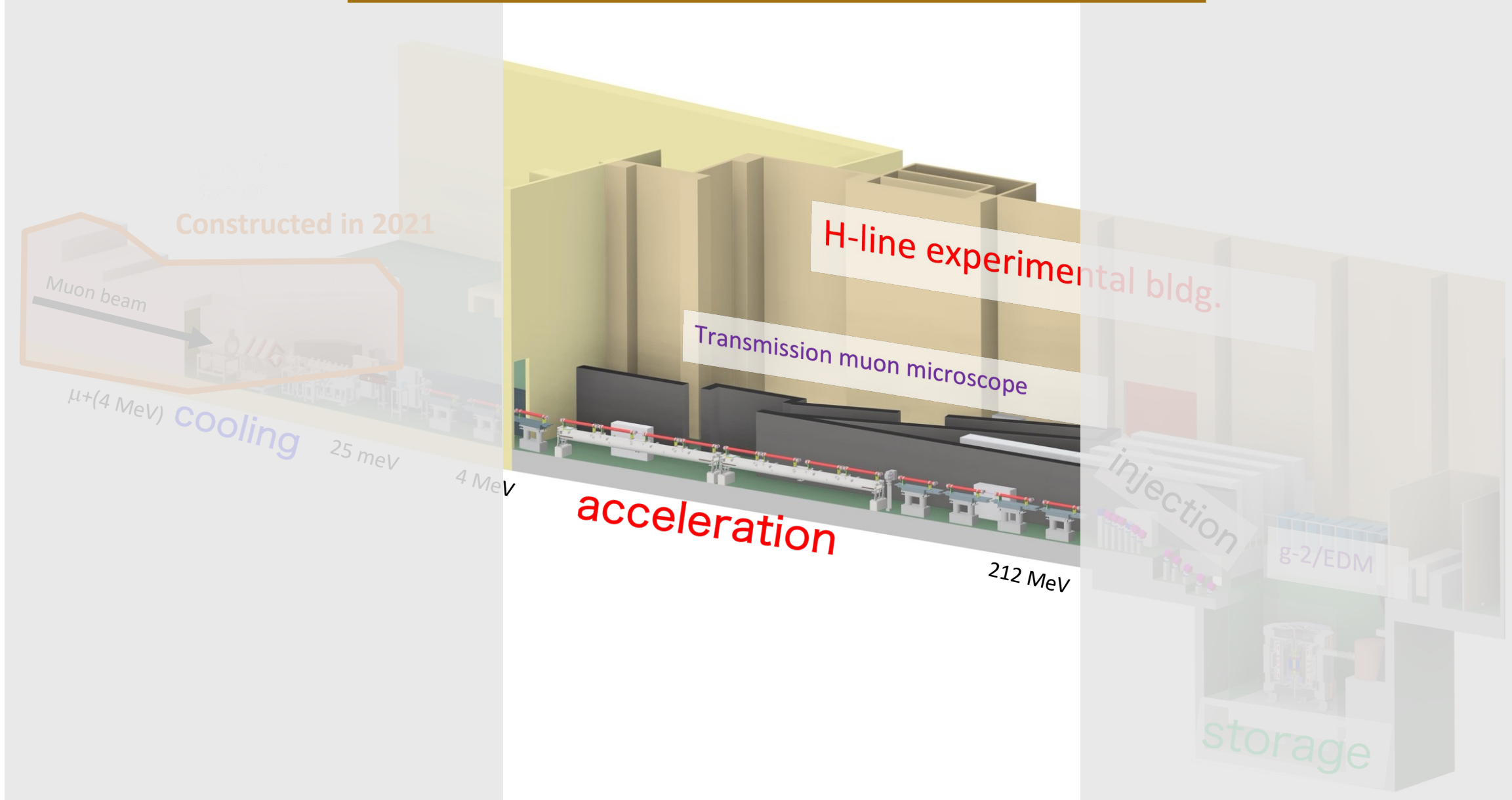
Ultra-cold muons

- Surface μ^+
- Stop in (laser ablated surface) Aerogel
- Diffuse Muonium ($\mu^+ e^-$) atoms into vacuum
- Ionize:
 - $1S \rightarrow 2P \rightarrow \text{unbound}$
 - **Max Polarization 50%**
- Accelerate:
 - E field, RFQ, linear structures
 - $E = 212 \text{ MeV}$ ($p = 300 \text{ MeV}/c$)





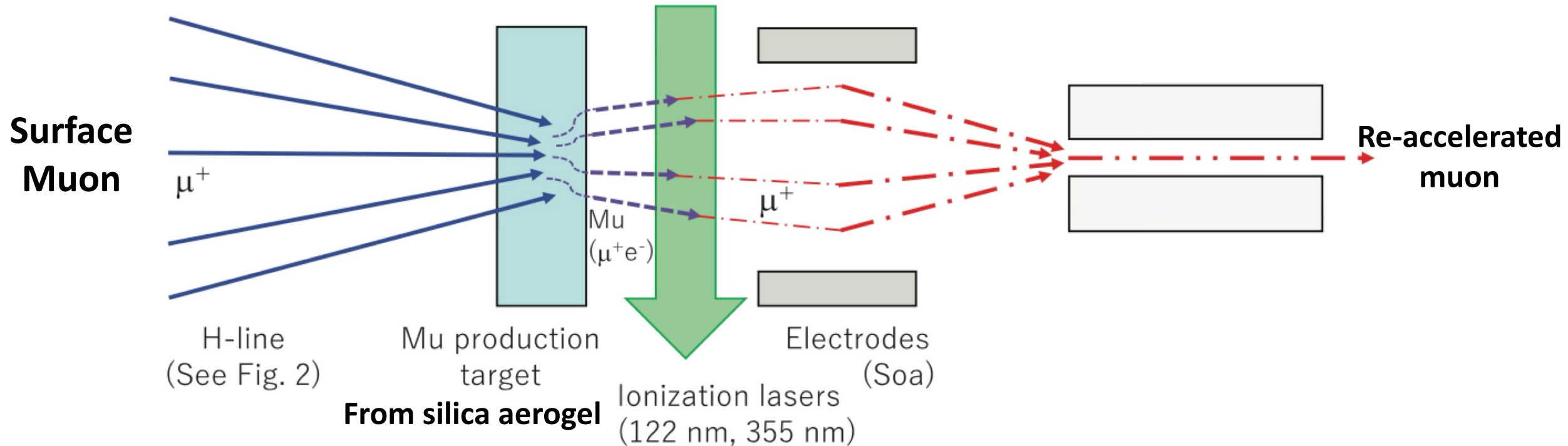
Re-accelerated thermal muon





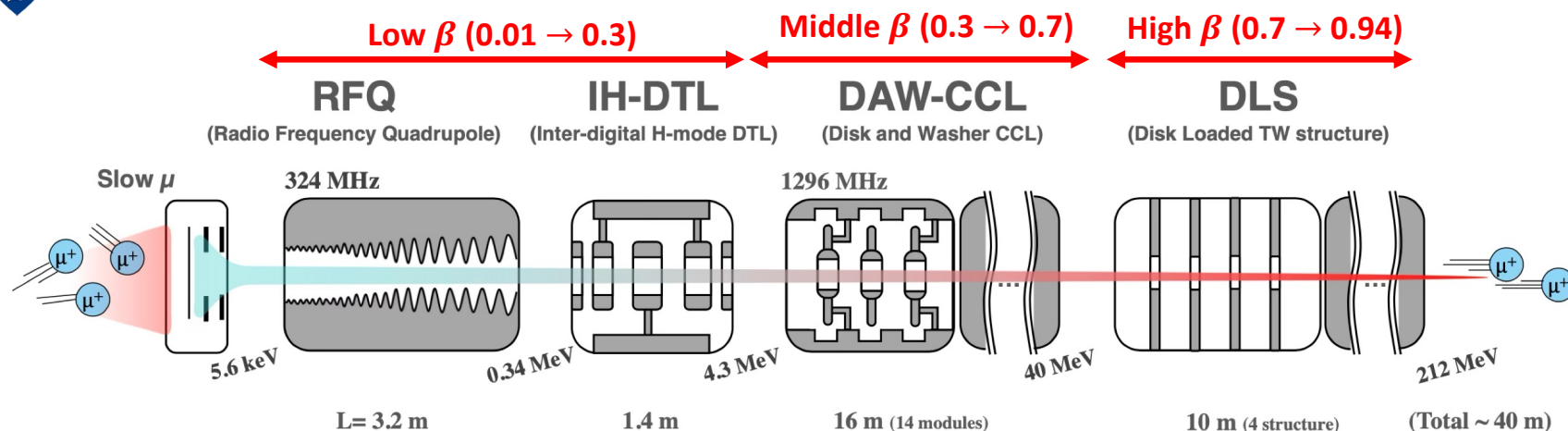
Re-accelerated thermal muon

	Surface muon	Thermal muon	Accelerated Muon
E	3.4 MeV	30 meV	212 MeV
p	27 MeV/c	2.3 keV/c	300 MeV/c
$\Delta p/p$	0.05	0.4	4×10^{-4}





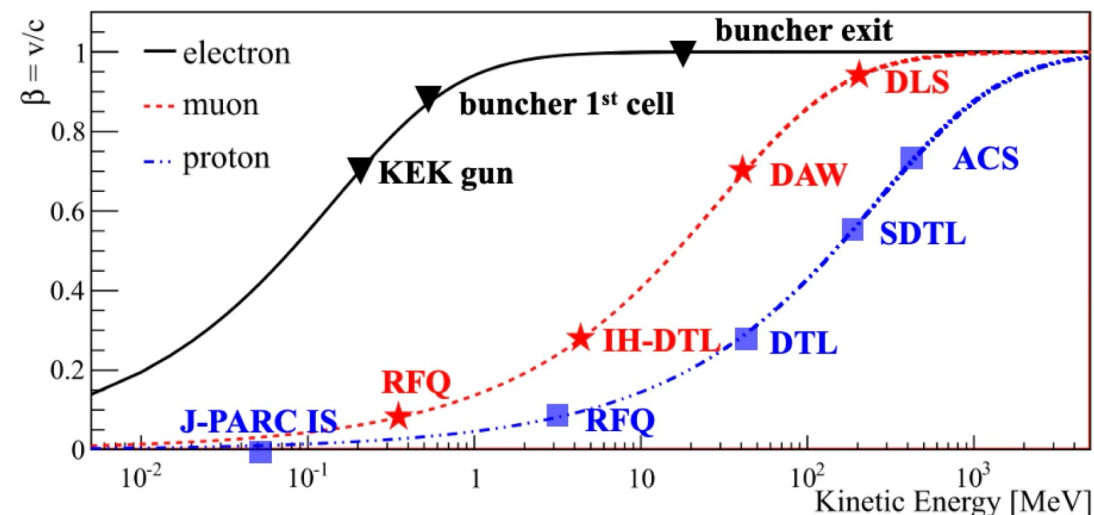
Re-accelerated thermal muon



Muon LINAC parameters

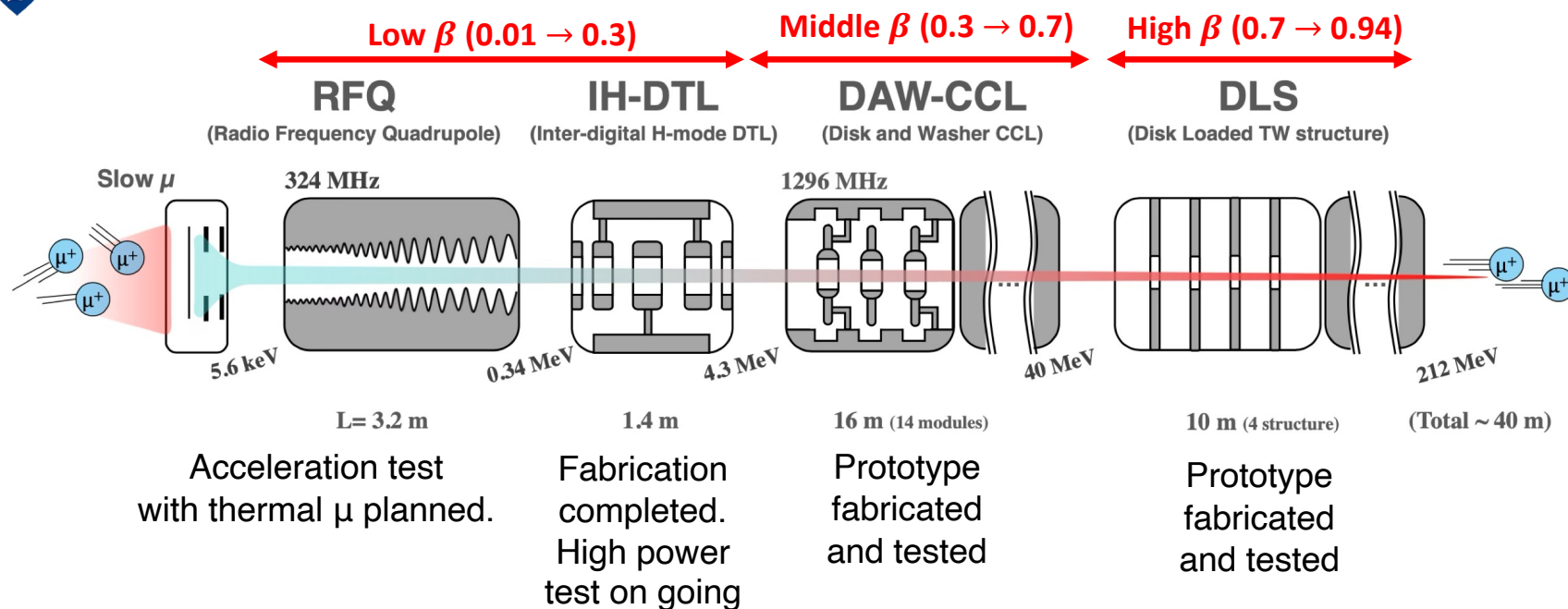
Frequency (2-stage)	324MHz, 1296MHz
Intensity	1×10^6 /s
Rep rate	25 Hz
Pulse width	10 ns
Norm. rms emittance	1.5π mm mrad
Momentum spread	0.1 %

- The first muon-dedicated linac in the world!
- Muon Acceleration to 212 MeV
- 4 steps acceleration depending on β -> total length 40 m





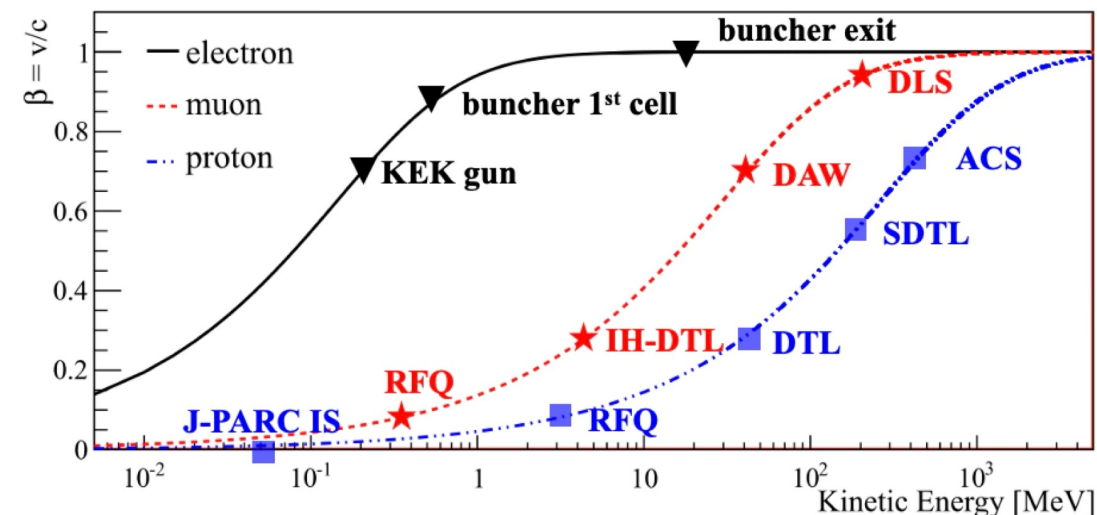
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Re-accelerated thermal muon

Phys. Rev. Lett. **134**, 245001

Acceleration from thermal energy to 100 keV by RF system

PHYSICAL REVIEW LETTERS 134, 245001 (2025)

Editors' Suggestion Featured in Physics

Acceleration of Positive Muons by a Radio-Frequency Cavity

S. Arimoto,¹ K. Futatsukawa,² H. Hara,³ K. Hayasaka,⁴ Y. Ibaraki,⁵ T. Ichikawa,⁵ T. Iijima,^{5,6} H. Inuma,⁷ Y. Ikeda,² Y. Imai,³ K. Inami,^{5,6} K. Ishida,² S. Kamal,⁸ S. Kamioka,⁹ N. Kawamura,² M. Kimura,² A. Koda,² S. Koji,⁵ K. Kojima,^{6,12} A. Kondo,⁵ Y. Kondo,⁵ M. Kuzuba,¹ R. Matsushita,¹ T. Mibe,² Y. Miyamoto,² J. G. Nakamura,² Y. Nakazawa,^{7,12} S. Ogawa,^{10,12} Y. Okazaki,² A. Olin,^{11,12} M. Otani,² S. Oyama,¹ N. Saito,² H. Sato,⁷ T. Sato,¹ Y. Sato,⁴ K. Shimomura,² Z. Shioya,¹³ P. Strasser,² S. Sugiyama,⁵ K. Sumi,^{5,14} K. Suzuki,⁶ Y. Takeuchi,^{13,15} M. Tanida,¹³ J. Tojo,^{13,10} K. Ueda,⁵ S. Uetake,³ X. H. Xie,^{14,15} M. Yamada,¹³ S. Yamamoto,³ T. Yamazaki,² K. Yamura,⁴ M. Yoshida,² T. Yoshioka,^{10,13} and M. Yotsuzuka⁵

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²High Energy Accelerator Research Organization, Ibaraki 319-1106, Japan

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⁸Department of Chemistry, Laboratory for Advanced Spectroscopy and Imaging Research (LASIR), University of British Columbia,

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⁹Japan Atomic Energy Agency (JAEA), Tokai, Naka, Ibaraki 319-1195, Japan

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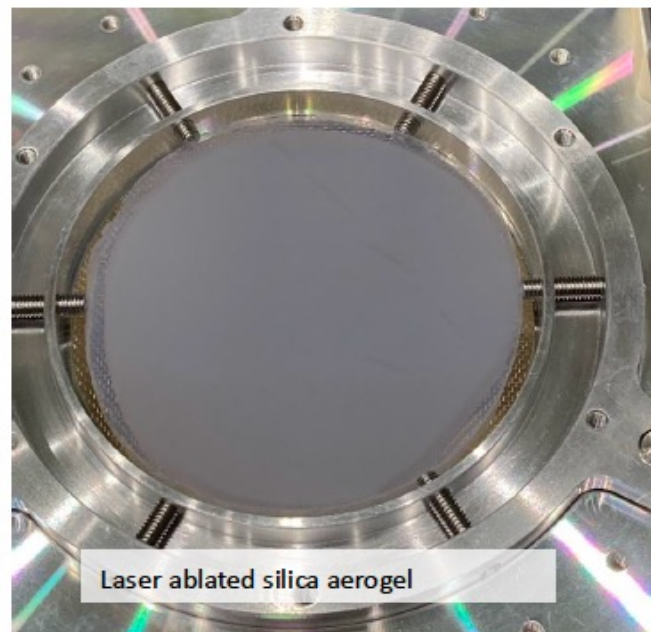
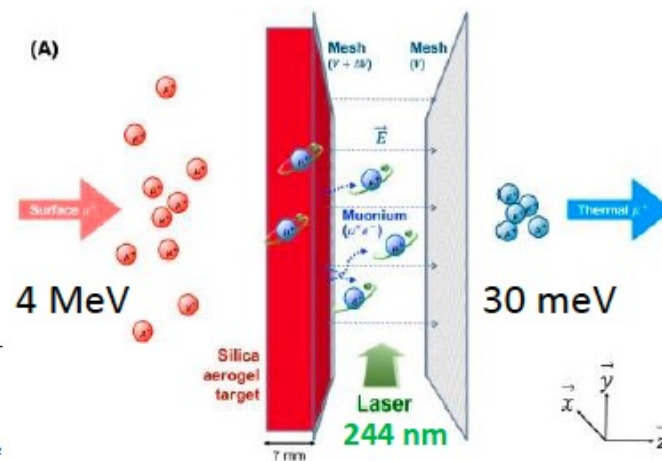
¹⁴School of Physics, Peking University, Beijing 100871, China

¹⁵State Key Laboratory of Nuclear Physics and Technology, Peking University, Beijing 100871, China

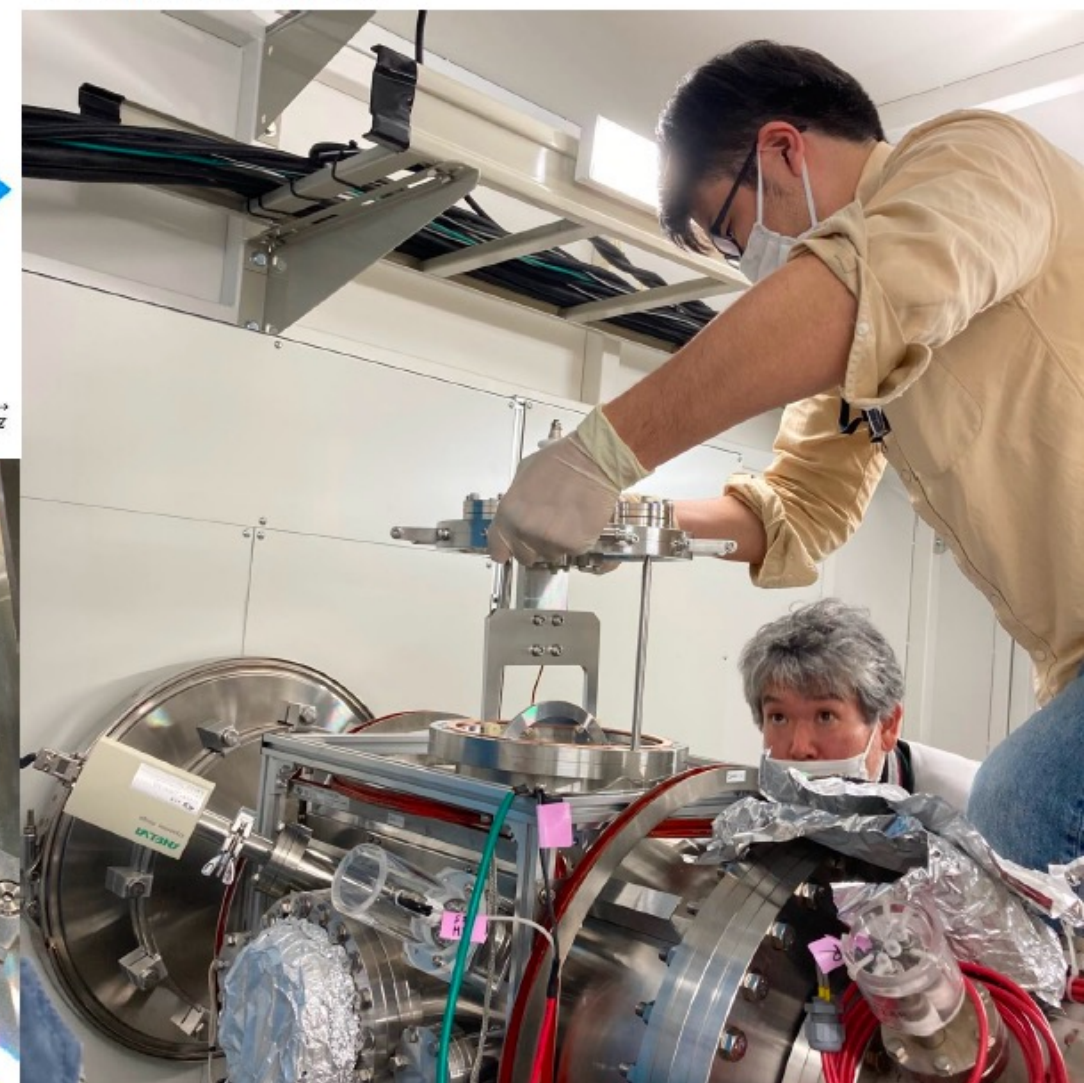
Ⓢ (Received 16 October 2024; accepted 21 April 2025; published 16 June 2025)

Acceleration of positive muons from thermal energy to 100 keV has been demonstrated. Thermal muons were generated by resonant multiphoton ionization of muonium atoms emitted from a sheet of laser-ablated aerogel. The thermal muons were first electrostatically accelerated to 5.7 keV, followed by further acceleration to 100 keV using a radio-frequency quadrupole with an intensity of $2 \times 10^{-3} \mu\text{T}/\text{pulse}$. The transverse normalized rms emittance of the accelerated muons in the horizontal and vertical planes were 0.85 ± 0.25 (stat) $^{+0.22}_{-0.13}$ (syst) $\pi\text{ mm mrad}$ and 0.32 ± 0.03 (stat) $^{+0.05}_{-0.02}$ (syst) $\pi\text{ mm mrad}$, respectively. The measured emittance values demonstrated phase-space reduction by a factor of 2.0×10^2 (horizontal) and 4.1×10^2 (vertical) allowing good acceleration efficiency. These results pave the way to realize the first-ever muon accelerator for a variety of applications in particle physics, material science, and other fields.

DOI: 10.1103/PhysRevLett.134.245001



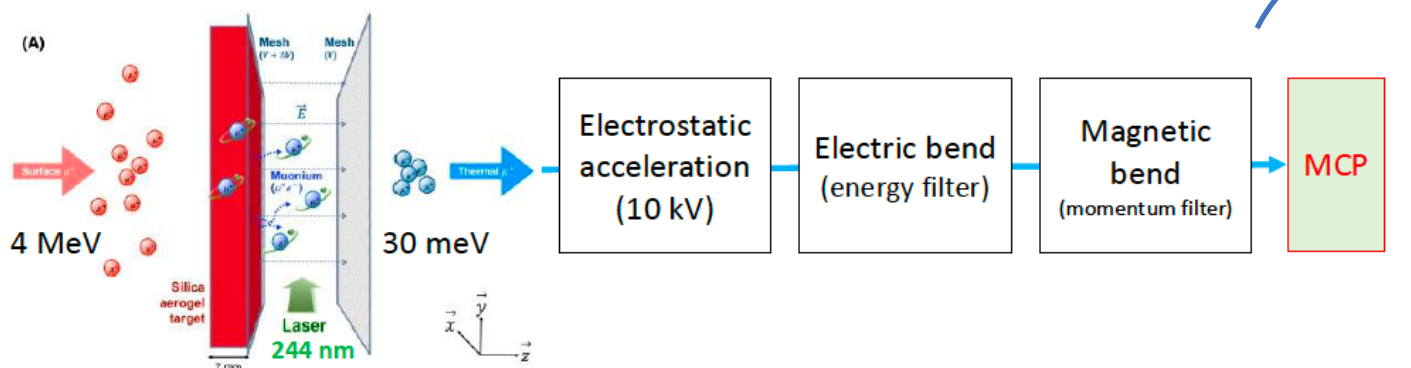
J-PARC S2 area



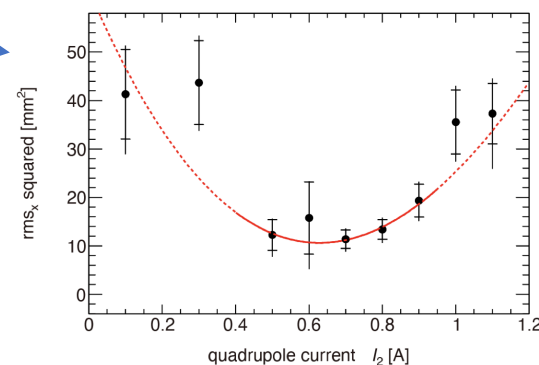


Re-accelerated thermal muon

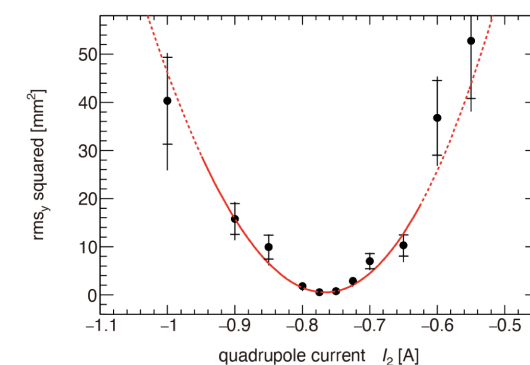
- Muon Cooling demonstration:



horizontal



vertical

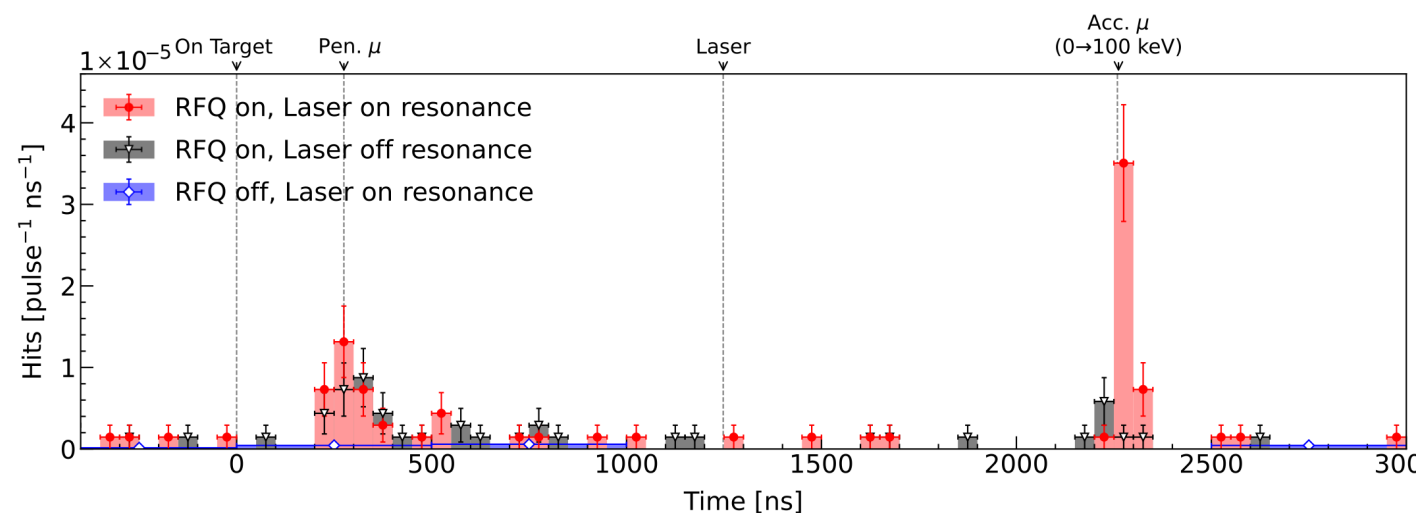


$$\epsilon_x = 0.85 \pm 0.25(\text{stat})^{+0.22}_{-0.13}(\text{syst}) [\pi \text{ mm mrad}]$$

$$\epsilon_y = 0.32 \pm 0.03(\text{stat})^{+0.05}_{-0.02}(\text{syst}) [\pi \text{ mm mrad}]$$

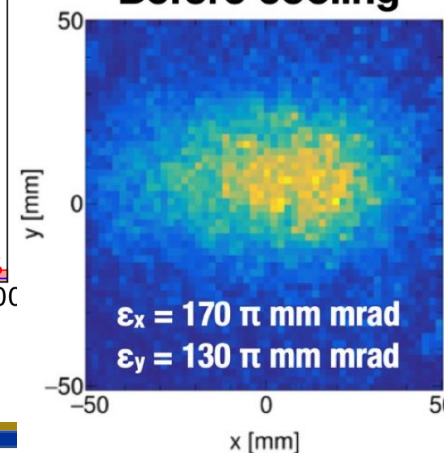
Emittance reduction by $\sim 10^{-3}$

The birth of low-emittance muon beam

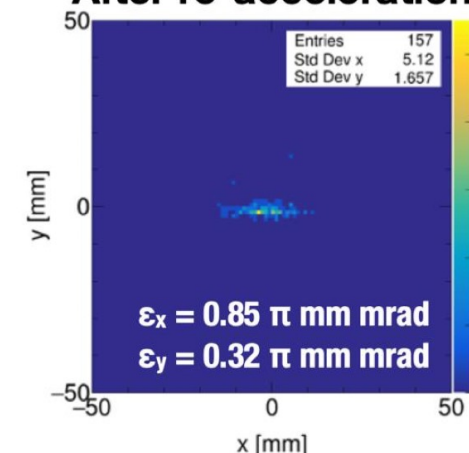


[Phys. Rev. Lett. 134, 245001](#)

Before cooling



After re-acceleration





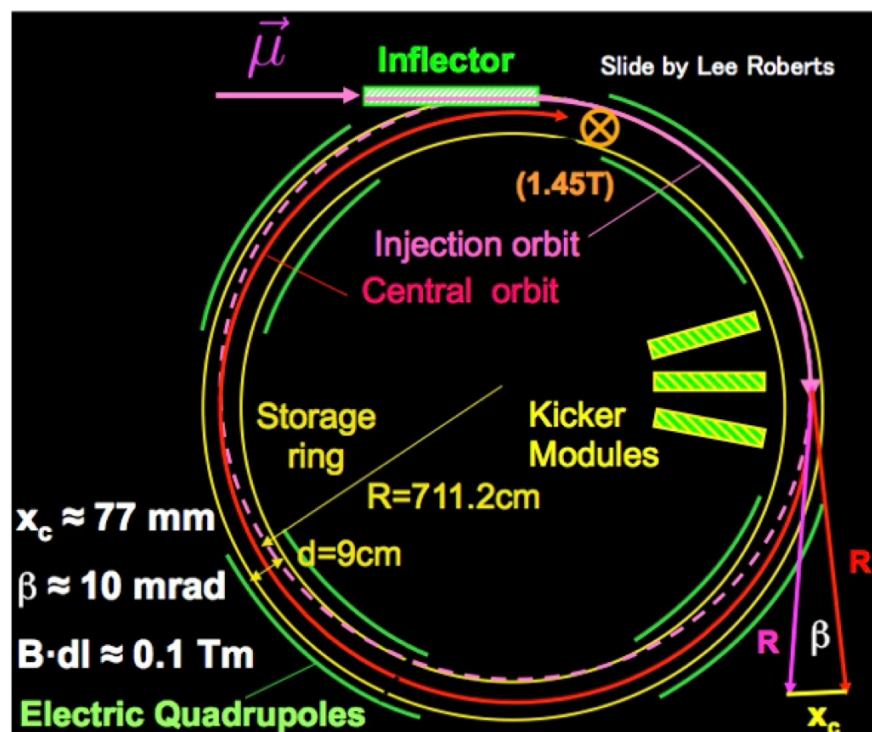
3D spiral injection





3D spiral injection

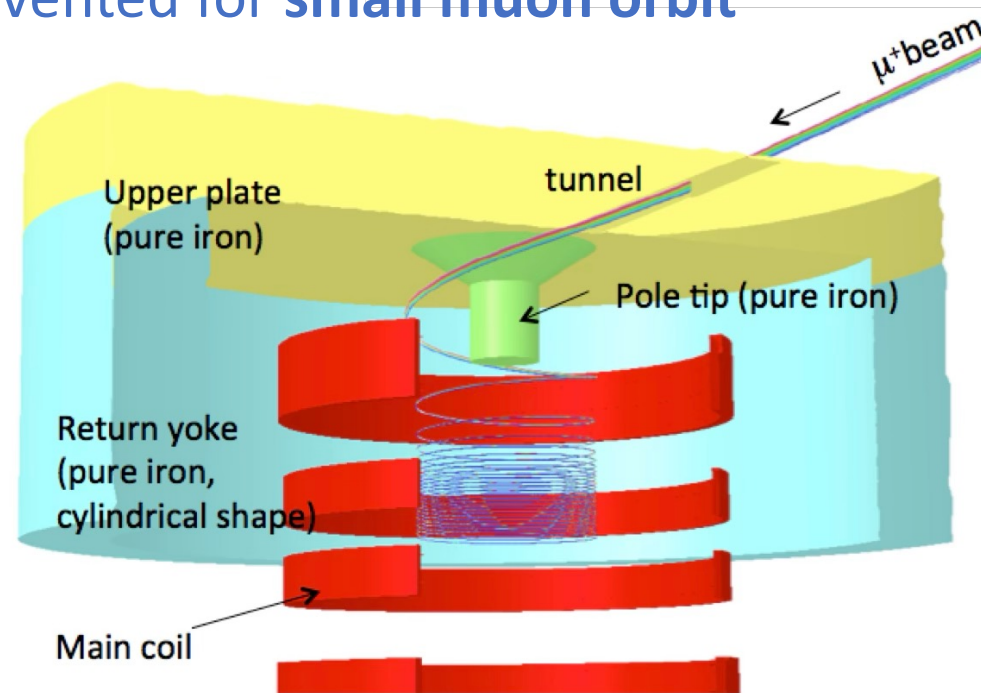
The 3D spiral injection scheme has been invented for **small muon orbit**



[PRD73, 072003, 2006]

Conventional 2D injection @BNL and FNAL

- Inflector + horizontal kicker
- Efficiency ~3-5%



[H. Inuma et al., NIMA 832, 51, 2016]

Novel injection @J-PARC

- 3D spiral injection + vertical kicker
- Efficiency > 80%
- to be adopted for the EDM @ PSI too

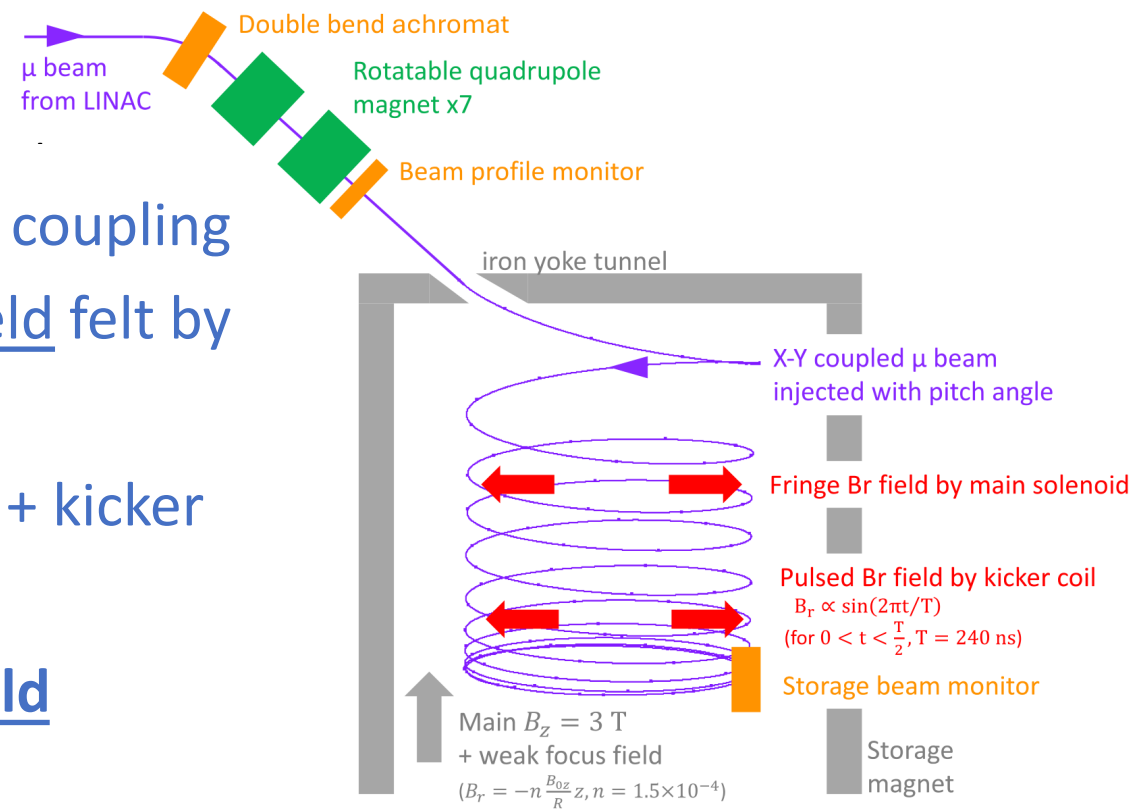


3D spiral injection

- **Low emittance muon beam** (300MeV, 0.3π mm-mrad) will be injected into the storage orbit and stored without electric focusing with good injection efficiency.

Key points

1. Inject low emittance beam with appropriate X-Y coupling into solenoid magnet – to compensate fringe field felt by each muon
2. Apply appropriate radial Br-field (Fringe Br-field + kicker coil Br-field).
 - to guide muons to the uniform magnetic field region.
3. Store muon beam by **weak focusing**.





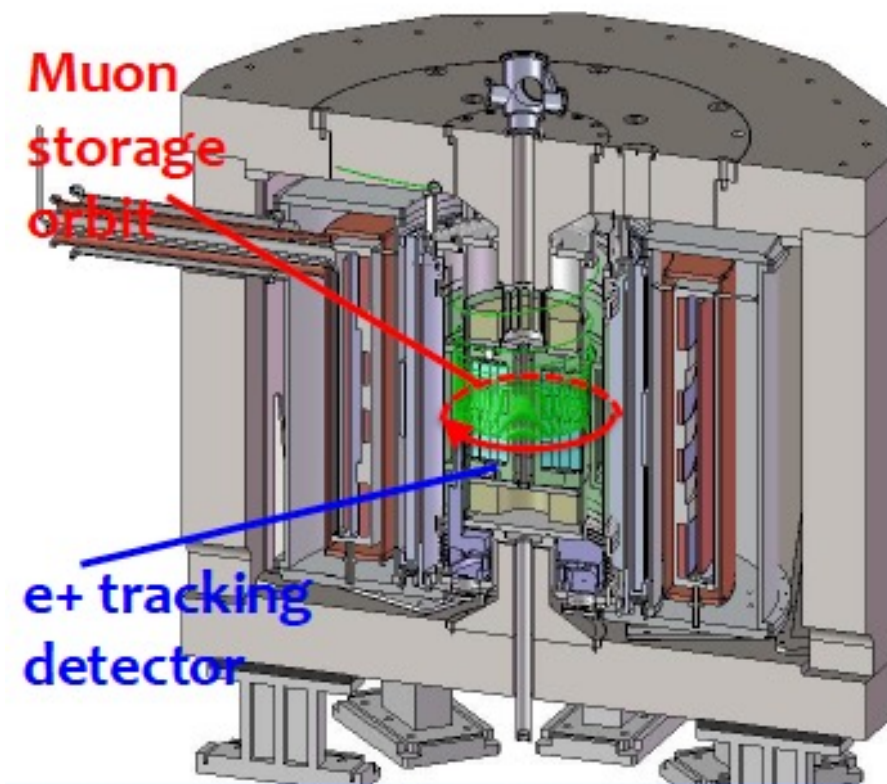
Storage Ring





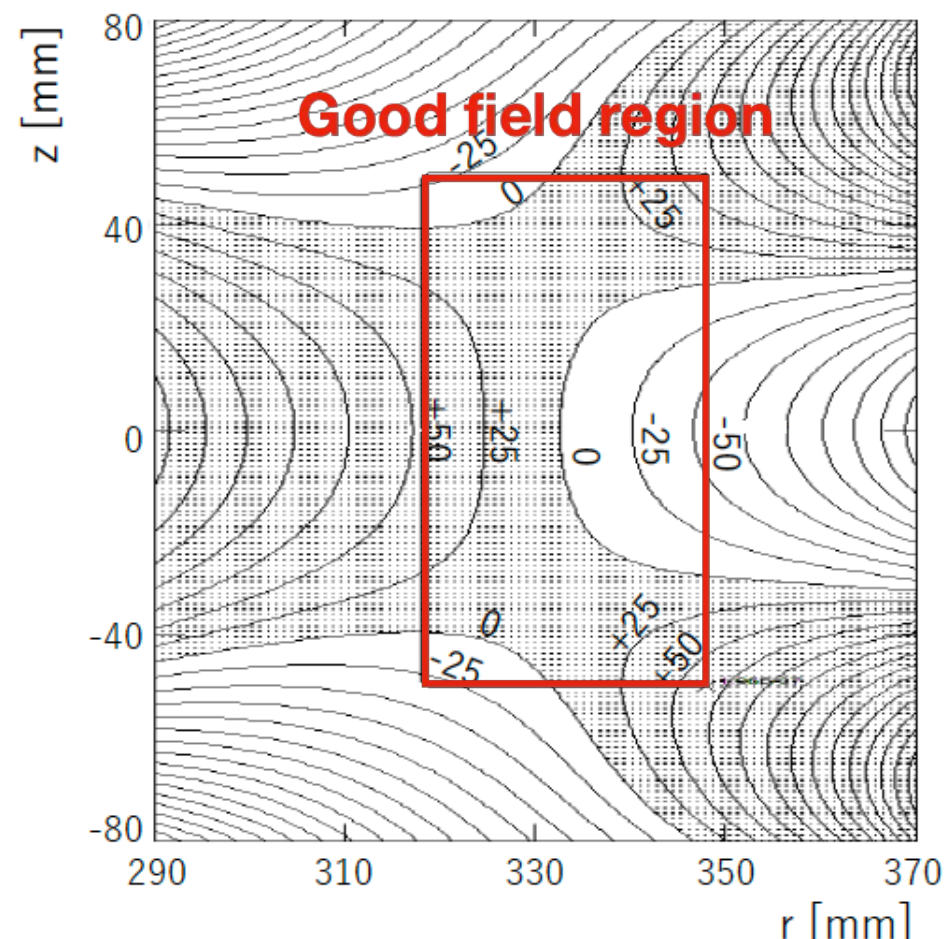
Storage Magnet

3 Tesla MRI-type superconducting solenoid magnet is under design



M. Abe et. al., NIM A 890, 51 (2018)

- ❖ Storage region :
 - radius : 33.3 ± 1.5 cm
 - height : ± 5 cm
 - Field strength : 3T
 - Uniformity : 0.1 ppm (Azimuthal integral)
- ❖ Injection region :
 - Smooth field for beam injection
- ❖ Weak focus field: $-5e-4$ T/m of Br at maximum



- Average magnetic field **uniformity** is better than **0.1 ppm**
- 25 ppb/line

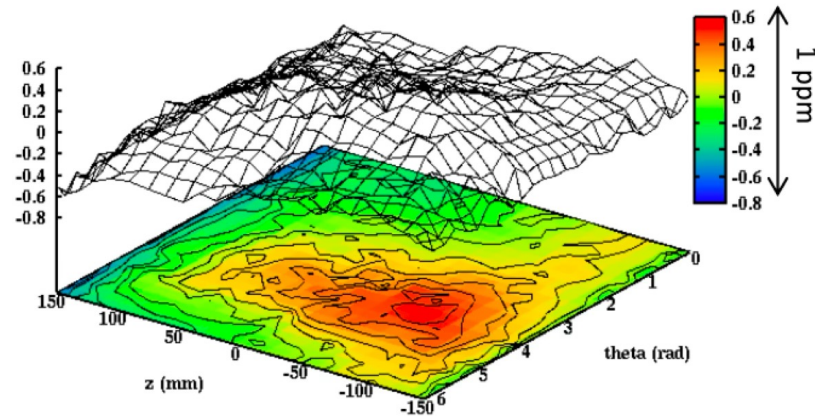


Storage Magnet

- Local uniformity of **1 ppm** was demonstrated by the MUSEUM experiment magnet at **1.2 T**;
 - Further tests will be carried out at **3 T**.
- In the cross-calibration of FNAL and J-PARC field probes at ANL, **~7 ppb** agreement was obtained with **15 ppb** uncertainties.



MRI magnet for MuSEUM experiment



Magnetic field after shimming

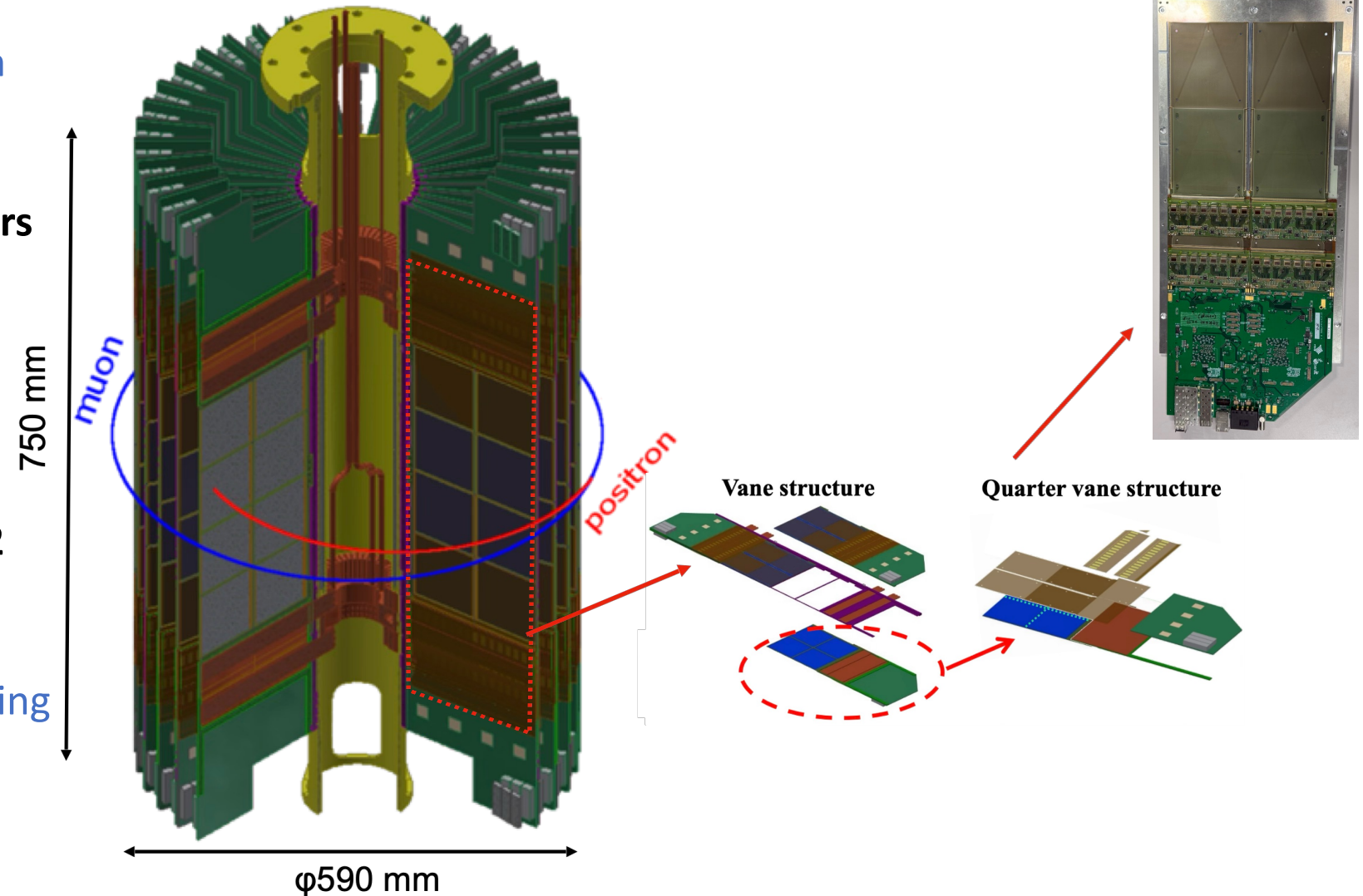


Cross calibration at ANL in January 2019



Positron Tracking Detector

- **40 modules (vanes)** each 200mm (radial) x 400mm (axial)
- Each vane consists of **16 Si sensors** (10x10 cm², 320 μ m thickness).
- Two-dimensional hit position is reconstructed from orthogonally arranged silicon strip sensor (**512 strips with 190 μ m pitch**)
- 32 Readout ASIC w/ 5nsec sampling rate.





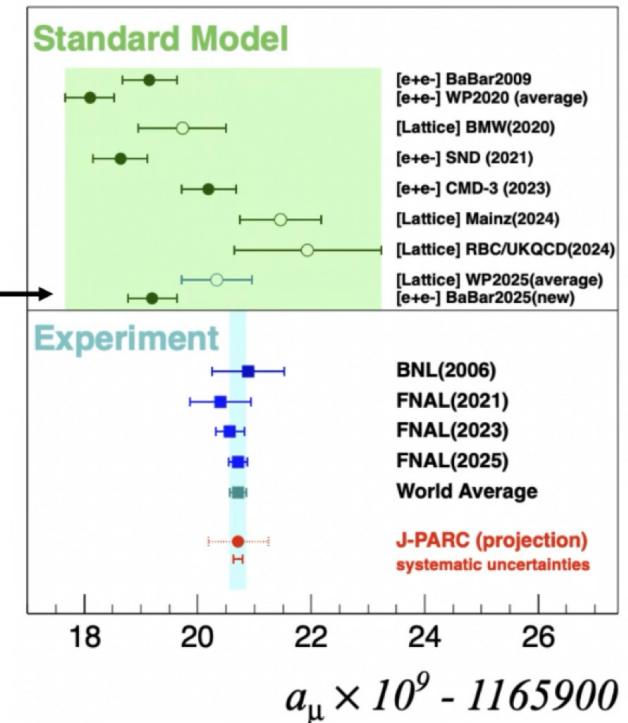
Expected sensitivity - Statistics

- A TDR muon rate $3.2 \times 10^8 \mu/\text{sec}$ at the entrance at 1 MW proton power.
- The expected intensity of stored muon is $1.3 \times 10^5 \mu/\text{sec}$. Cumulative efficiency from thermal muon generation to reconstructed positron is 4.0×10^{-4}
- **2-years data taking** (2×10^7 seconds, ~ 230 days) will give a total positron 5.7×10^{11} , achieving the BNL precision of **0.45 ppm** on a_μ .

Table 5. Summary of statistics and uncertainties.

	Estimation
Total number of muons in the storage magnet	5.2×10^{12}
Total number of reconstructed e^+ in the energy window [200, 275 MeV]	5.7×10^{11}
Effective analyzing power	0.42
Statistical uncertainty on ω_a [ppb]	450
Uncertainties on a_μ [ppb]	450 (stat.) < 70 (syst.)
Uncertainties on EDM [$10^{-21} e \cdot \text{cm}$]	1.5 (stat.) 0.36 (syst.)

The NEW BaBar measurement confirmed their 2009 result.





Expected sensitivity - Systematic

- The systematic uncertainties are estimated to be less than 70 ppb – smaller than the statistical one:

Table 6. Estimated systematic uncertainties on a_μ .

Anomalous spin precession (ω_a)		Magnetic field (ω_p)	
Source	Estimation (ppb)	Source	Estimation (ppb)
Timing shift	< 36	Absolute calibration	25
Pitch effect	13	Calibration of mapping probe	20
Electric field	10	Position of mapping probe	45
Delayed positrons	0.8	Field decay	< 10
Differential decay	1.5	Eddy current from kicker	0.1
Quadratic sum	< 40	Quadratic sum	56

$\delta a_{\mu(syst)} \sim 70 \text{ ppb} \rightarrow$ this experiment is expected to be strongly statistically limited.



Expected sensitivity comparison with FNAL

- Here is the comparison between the Run-456 FNAL result and the project error for J-PARC

experiment:

FNAL – Run456

Quantity	Correction (ppb)	Uncertainty (ppb)
ω_a^m (statistical)		114
ω_a^m (systematic)		30
C_e	347	27
C_p	175	9
C_{pa}	-33	15
C_{dd}	26	27
C_{ml}	0	2
$\langle \omega'_p \times M \rangle$ (mapping, tracking)		34
$\langle \omega'_p \times M \rangle$ (calibration)		34
B_k	-37	22
B_q	-21	20

$$\delta\omega_{a_{syst}} \sim 52 \text{ ppb}$$

$$\delta\omega_{p_{syst}} \sim 57 \text{ ppb}$$

J-PARC – TDR

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C_{dd}	26	27
C_{ml}	0	2
$\langle \omega'_p \times M \rangle$ (mapping, tracking)		34
$\langle \omega'_p \times M \rangle$ (calibration)		34
B_k	-37	22
B_q	-21	20

$$\delta \omega_{a_{syst}} \sim 52 \text{ ppb}$$

$$\delta \omega_{p_{syst}} \sim 57 \text{ ppb}$$

$$\delta a_{\mu(syst)} \sim 78 \text{ ppb}$$

J-PARC – TDR

Table 6. Estimated systmatic uncertainties on a_μ .

Anomalous spin precession (ω_a)		Magnetic field (ω_p)	
Source	Estimation (ppb)	Source	Estimation (ppb)
Timing shift	< 36	Absolute calibration	25
Pitch effect	13	Calibration of mapping probe	20
Electric field	10	Position of mapping probe	45
Delayed positrons	0.8	Field decay	< 10
Differential decay	1.5	Eddy current from kicker	0.1
Quadratic sum	< 40	Quadratic sum	56

$$\delta a_{\mu(syst)} \sim 70 \text{ ppb}$$



Towards high sensitivity

- Given the strong **limitation on statistics** we can tweak the current set-up to increase the statistics.
- The statistical precision on the anomalous precession frequency ω_a is:

$$\frac{\Delta\omega_a}{\omega_a} = \frac{1}{\omega_a \gamma \tau P} \sqrt{\frac{2}{NA^2}}$$



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 - A stronger magnetic field **increases** the **anomalous precession frequency**.



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 - Effect on Anomalous Precession (ω_a):**
 - A stronger magnetic field **increases** the **anomalous precession frequency**.
- Doubling both momentum and field $\Rightarrow$ **x4** improvement in ω_a precision.



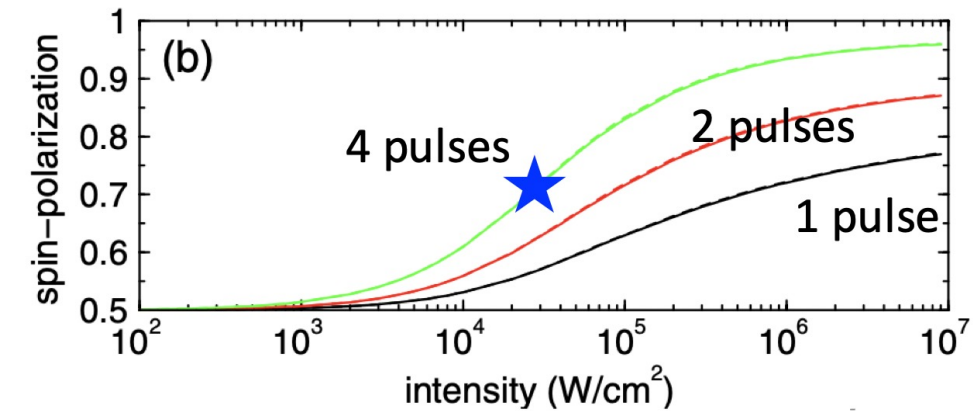
Towards high sensitivity

- **Polarization Contribution (P):**

- Current polarization: 50% Possible improvement: → **75% (realistically)** → Adds an additional **x1.5** gain in total precision.

$$\frac{\Delta\omega_a}{\omega_a} = \frac{1}{\omega_a \gamma \tau P} \sqrt{\frac{2}{NA^2}}$$

Higher momentum beam (needs higher B-field)



Optical pumping with train of laser pulse



Towards high sensitivity

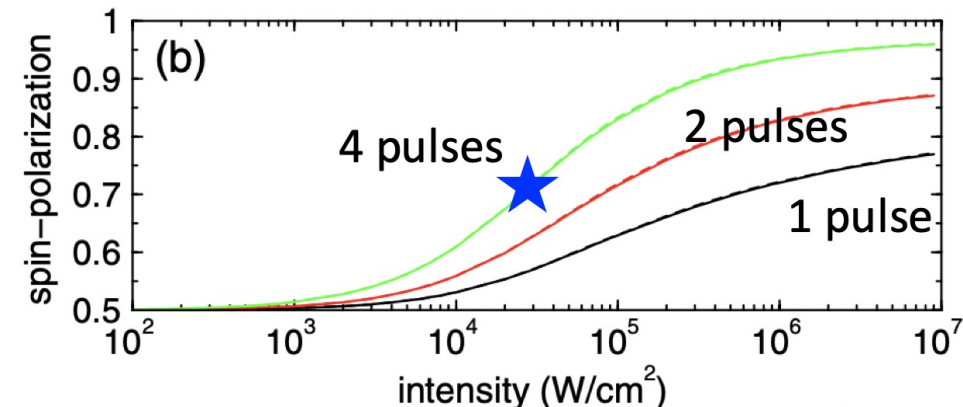
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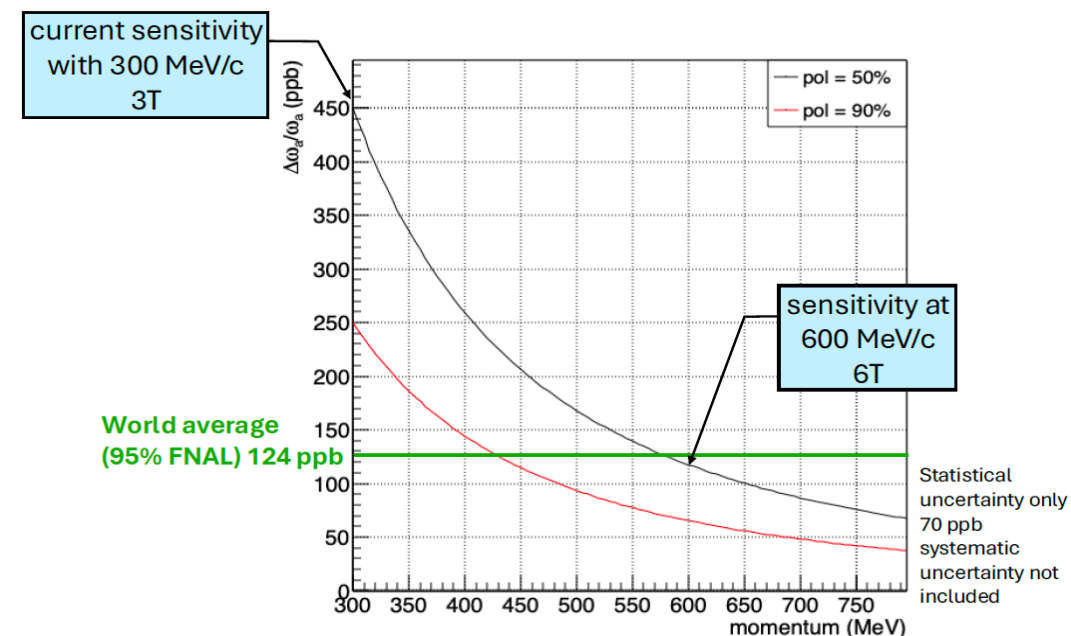
$$\frac{\Delta\omega_a}{\omega_a} = \frac{1}{\omega_a \gamma \tau P} \sqrt{\frac{2}{NA^2}}$$

- Here is projected $\frac{\Delta\omega_a}{\omega_a}$ as function of the momentum.
- A task force has been built to check the feasibility:
 - Magnetic field;
 - Linac;
 - Polarization;
 - Other possible improvements.

Higher momentum beam (needs higher B-field)



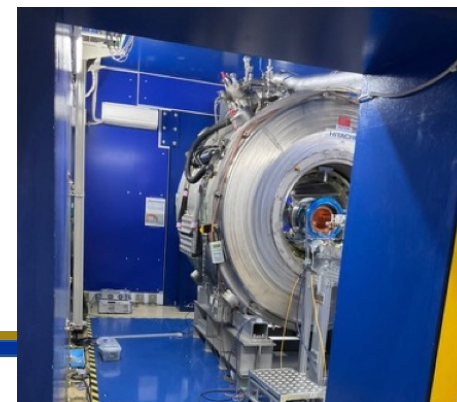
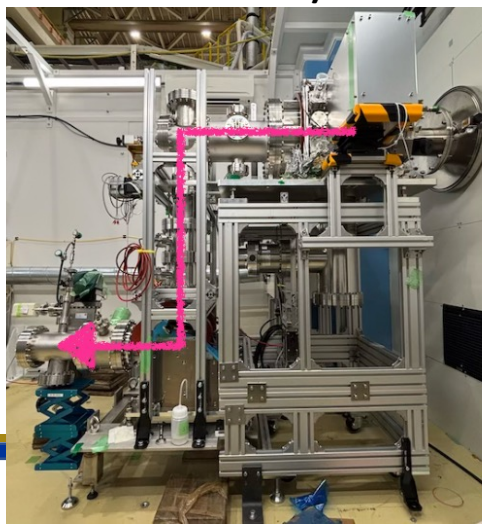
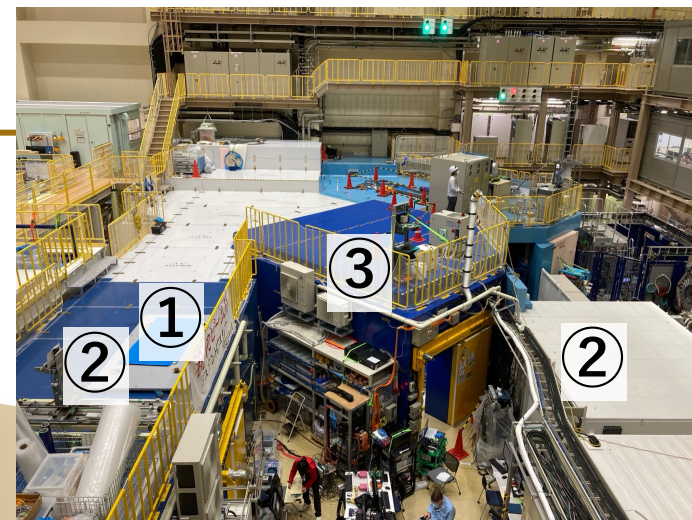
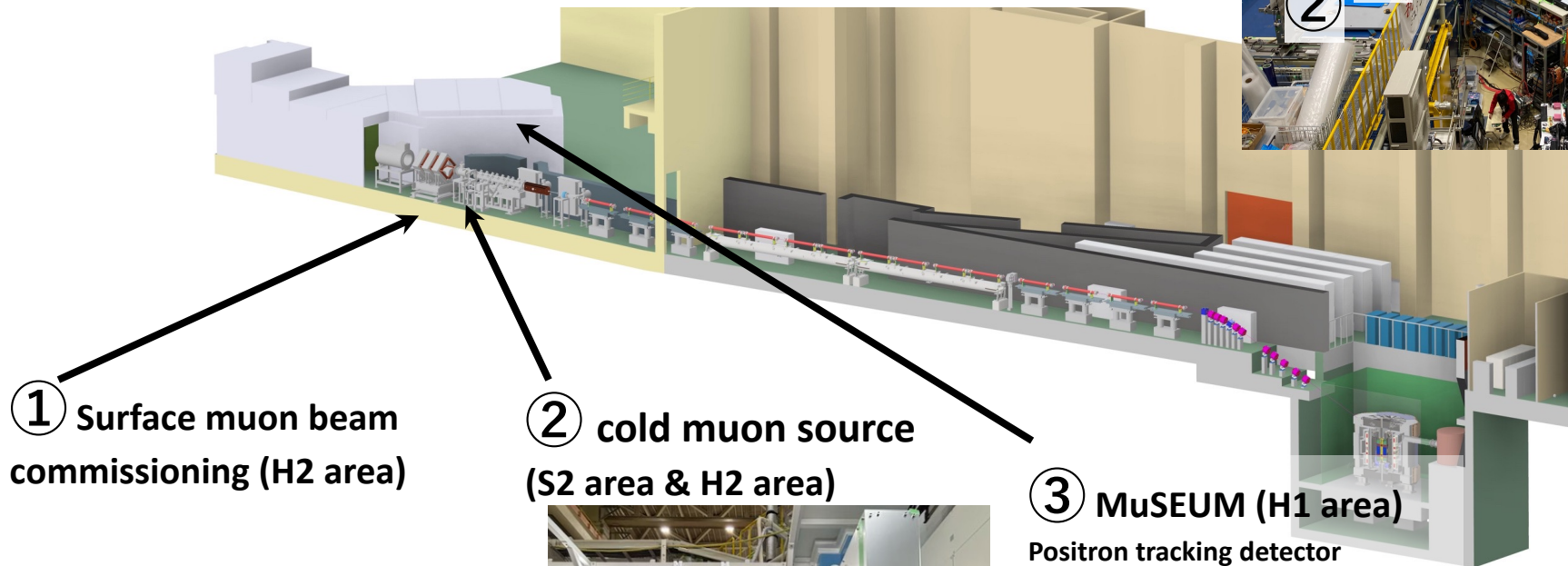
Optical pumping with train of laser pulse





Running test experiments

Three experiments are currently running at J-PARC MLF since October 29.





Conclusion

- J-PARC's **independent approach** can provide an **excellent cross check** of Fermilab's measurement;
- J-PARC has achieved **great progress recently -> First cold muon beam acceleration was an historical achievement.**
- It aims for 0.45 ppm precision ($\sim$ BNL level with data expected 2030+)
 - The high sensitivity study could bring to a turning point towards Fermilab precision.
- This will be another fundamental step towards our final goal:
Measuring muon $g-2$ with ever-increasing precision – testing the SM and probing new physics.



“The closer you look the more there is to see”

F. Jegerlehner

THANK YOU!



BACK-UP



Comparison with Fermilab

Prog. Theor. Exp. Phys. **2019**, 053C02 (2019)

	BNL-E821	Fermilab-E989	Our experiment
Muon momentum	3.09 GeV/c		300 MeV/c
Lorentz γ	29.3	$t_\mu \sim 64.4$ us	3 $t_\mu = 6.6$ us
Polarization	100%		50%
Storage field	$B = 1.45$ T		$B = 3.0$ T
Focusing field	Electric quadrupole		Very weak magnetic
Cyclotron period	149 ns		7.4 ns
Spin precession period	4.37 μ s		2.11 μ s
Number of detected e^+	5.0×10^9	1.6×10^{11}	5.7×10^{11}
Number of detected e^-	3.6×10^9	—	—
a_μ precision (stat.)	460 ppb	100 ppb	450 ppb
(syst.)	280 ppb	80 100 ppb	<70 ppb
EDM precision (stat.)	$0.2 \times 10^{-19} e \cdot \text{cm}$	—	$1.5 \times 10^{-21} e \cdot \text{cm}$
(syst.)	$0.9 \times 10^{-19} e \cdot \text{cm}$	—	$0.36 \times 10^{-21} e \cdot \text{cm}$
	Completed	Completed	In preparation

