

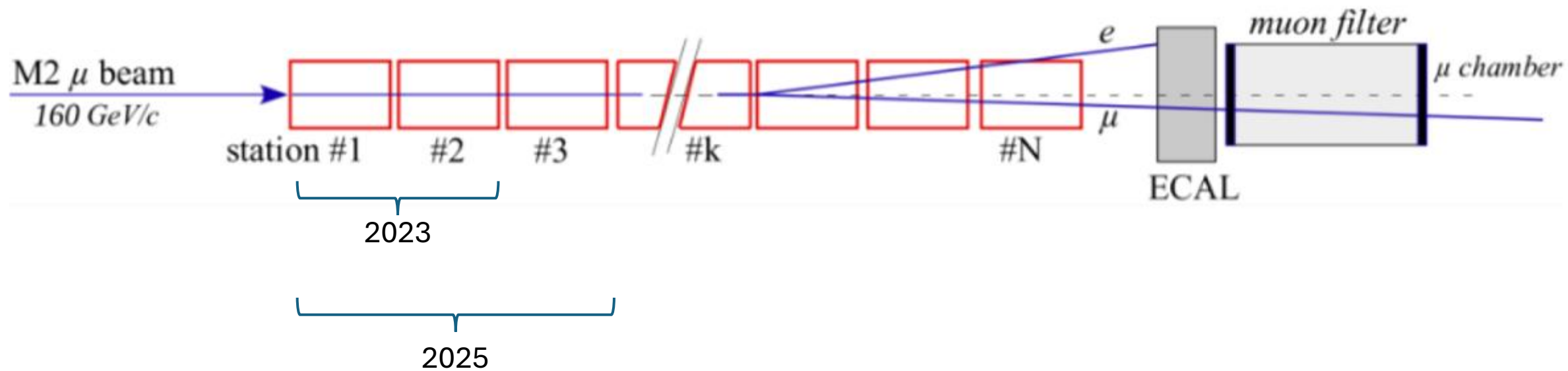


UNIVERSITY OF  
LIVERPOOL



**Background study using MESMER generator**  
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**03/11/25**

# MUonE experiment



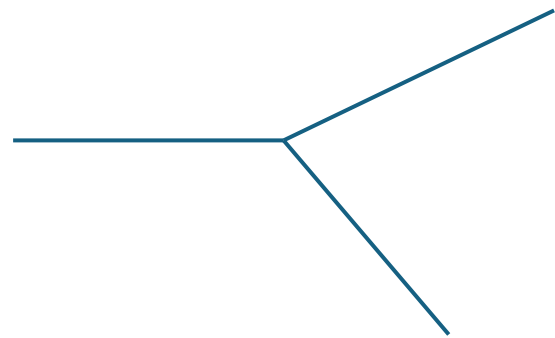
# The analysis problem

→ Looking at 2023 set-up simulations

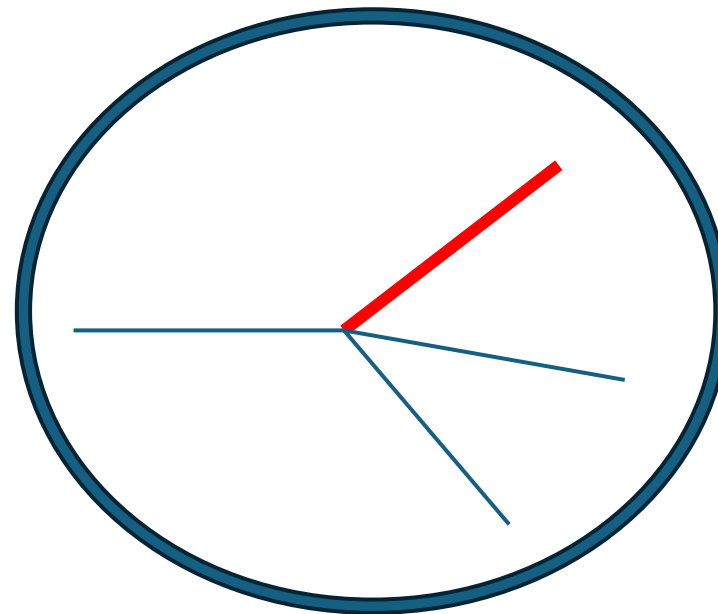
## General cuts:

- Cut if not reconstructed
- Cut if total number of tracks is  $>4$

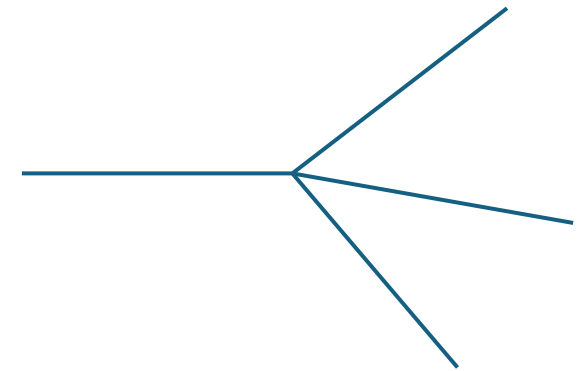
Background events look like signal events if any of the outgoing tracks are not detected or not reconstructed.



2 outgoing tracks  
(Signal)



2 outgoing tracks  
(Background events that look like signal events)



3 outgoing tracks  
(Background)

# More problems

In the original analysis of the background events, the physics results made no sense, and our conclusion was that noise was overwhelming in the analysis.

We checked how many equivalent events we were using for the analysis, and it was much too low for a meaningful study of physics variables.

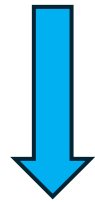
$$\text{Equivalent number of events} = \frac{(\sum \omega_i)^2}{\sum \omega_i^2}$$

# Equivalent events

1502 files of  $100e3$  events / 3000 =  $150,200,000 / 3000 = \sim 50,000$  equivalent events for bkg

15 files of  $10e3 / 3 = 150,000 / 3 = \sim 50,000$  equivalent events for signal

- Equivalent number of events for bkg and signal – 50,000 events
- After events with less than  $1e-3$  weight were cut, each  $100e3$  background simulation file was reduced to  $\sim 40e3$  events.



- Even though events have been cut, the number of equivalent events remain the same because the events that were removed had such small weights to be negligible to the weight calculation/equivalent event calculation.

# Normalisation

\*Z\_carbon = 6  
\*Wnorm = 1340 for signal  
\*Wnorm = 14.92 for bkg

```
slurm-3560000.out: N weights = 9942 , Wnorm = 1340  
slurm-3559975.out: N weights = 9958 , Wnorm = 1340  
slurm-3559977.out: N weights = 9954 , Wnorm = 1340
```

Pull N\_weights and Wnorm from the log files of the generation and reconstruction job

Rescale the background histogram to the signal histogram for meaningful comparison:

$$\text{luminosity}_{\text{signal}} = \frac{N_{\text{weight, signal}}}{W_{\text{norm, signal}} * Z_{\text{carbon}}}$$

$$\text{luminosity}_{\text{background}} = \frac{N_{\text{weight, background}}}{W_{\text{norm, background}}}$$

$$\text{histogram\_background} \rightarrow \text{Scale}\left( \frac{\text{luminosity}_{\text{signal}}}{\text{luminosity}_{\text{background}}} \right)$$

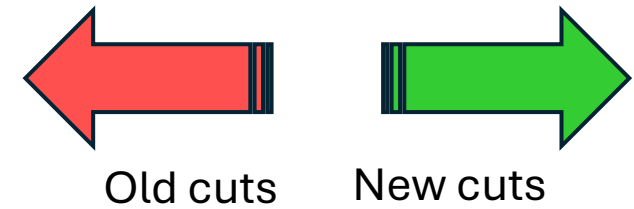
Signal:  $N_{\text{weights\_signal}} / w_{\text{norm\_signal}} = 111.39 \Rightarrow$  Signal luminosity: 1.899

Bkg:  $N_{\text{weights\_bkg}} / w_{\text{norm\_bkg}} = 9.48e7 \Rightarrow$  Background luminosity: 8.48e7

Normalisation factor =  $111.394 / (9.47785e7 * 6) = 1.96e-7$

**Normalisation factor: 1.96e-7**

# Elastic cuts:



Cut 0: no cuts

Cut 1:  $\theta_{\max} < 32 \text{ mrad} \ \&\& \ \theta_{\min} \geq 0.2 \text{ mrad}$

Cut 2: cut #1 + N stubs on S1  $\leq 14$

Cut 3: cut #2 + |modified\_Acoplanarity|  $< 0.4$

Cut 4: cut #3 + |z\_vertex - z\_target|  $\leq 3 \text{ cm}$  (target thickness)

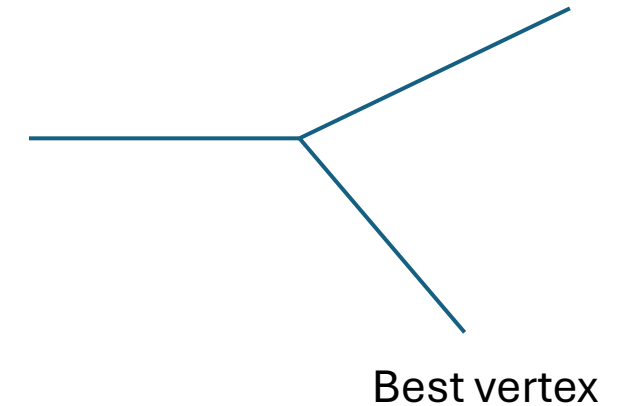
Cut 5: cut #4 +  $\chi^2_{\text{vertex}} \text{ (KF)} \leq 20$

Cut 6: Fiducial region

- single-muon in the first station within a fiducial region  $|X, Y| < 1.5 \text{ cm}$

Cut 7: Elasticity cut

- Elasticity cut as  $|\theta_{\mu}^{\text{rec}} - \theta_{\mu}^{\text{exp}}(\theta_e^{\text{rec}})| < 0.2 \text{ mrad}$



$$\text{Ratio} = \frac{\text{background integral}}{\text{signal integral}}$$

$$\text{Fractional error on ratio: } \sqrt{\left(\frac{\text{err}_1}{v_1}\right)^2 + \left(\frac{\text{err}_2}{v_2}\right)^2}$$

The number of effective entries is defined as :  $(\text{Sum of weights})^2 / (\text{Sum of weight}^2)$   
 where the sum is considered on all histogram bins.

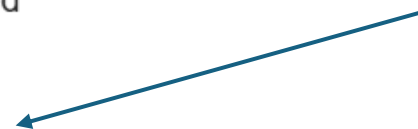
In case of an unweighted histogram this number is then equivalent to the number of entries of the histogram.

For a weighted histogram, this number corresponds to the hypothetical number of unweighted entries  
 a histogram would need to have the same statistical power.

$$\text{Err} = \sqrt{N}$$

$$V = N$$

N = effective entries

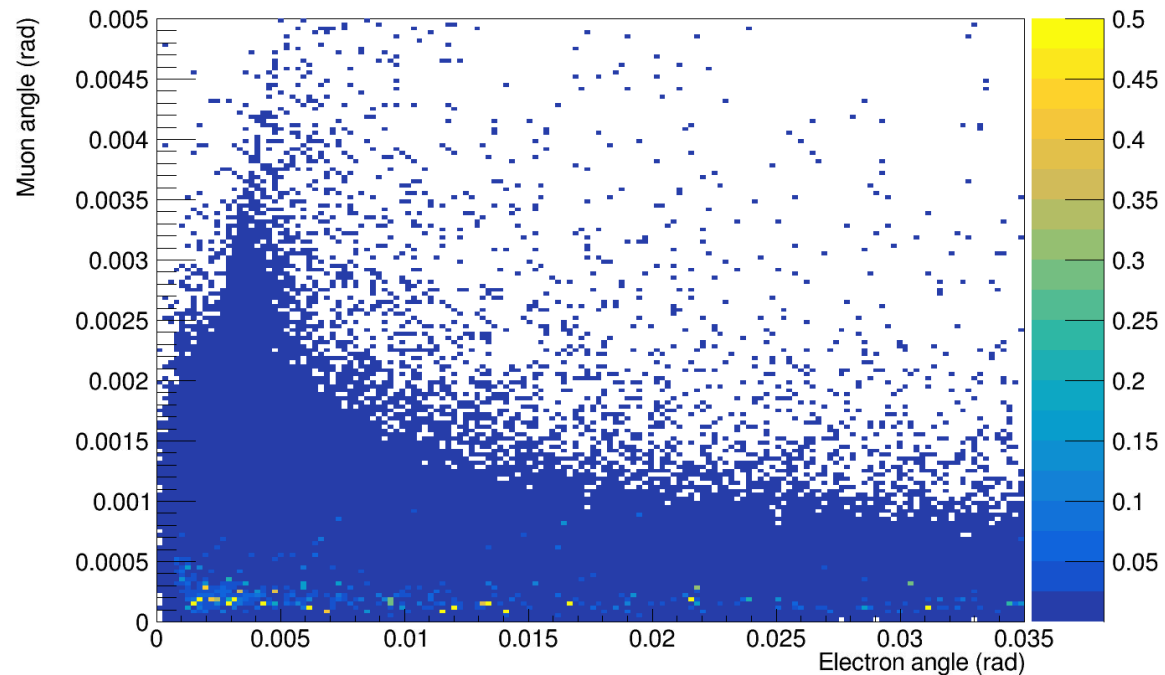




**Old cuts, cut 0**

**Cut 0: no cuts**

electron\_vs\_muon\_angle



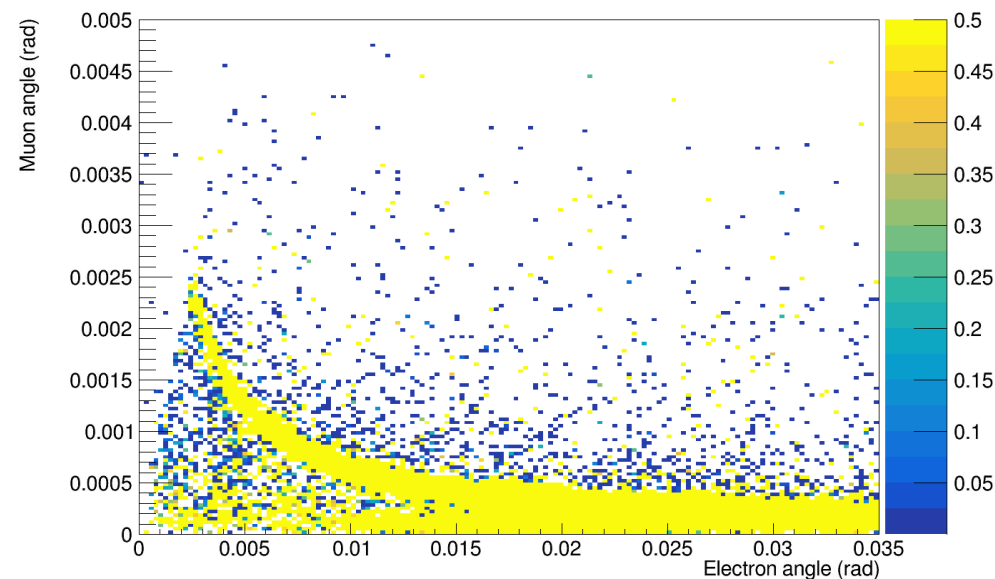
electron_vs_muon_angle	
Effective entries	93.767
Integral	45.714
Mean	0.011
Std Dev	0.009

**BKG**

Ratio =  $45.714 / 37593.275 = 0.00122$

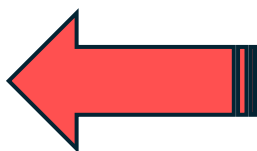
Fractional error: 0.1033

electron\_vs\_muon\_angle



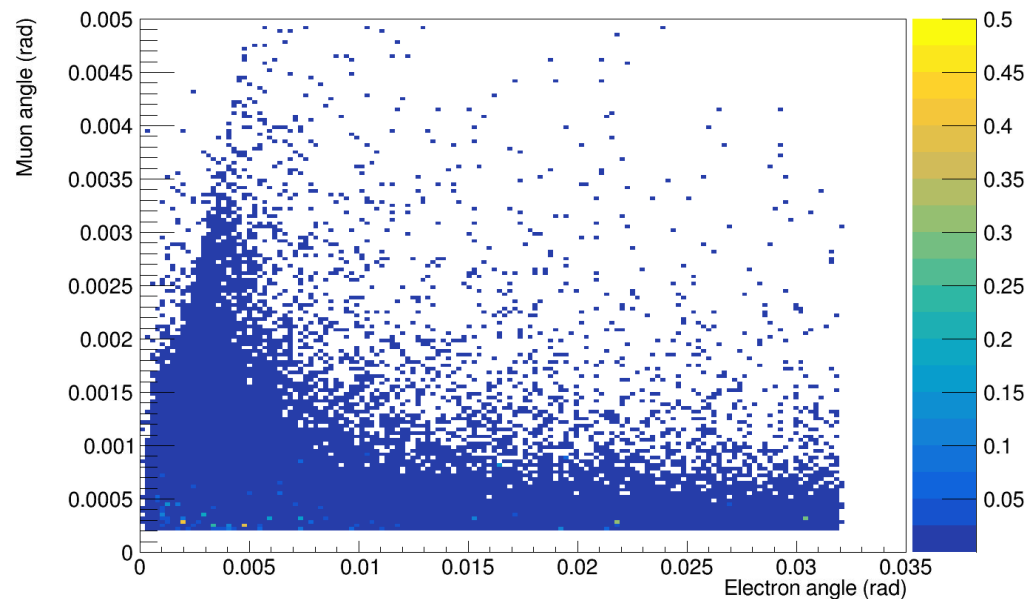
electron_vs_muon_angle	
Effective entries	7402.131
Integral	37593.275
Mean	0.022
Std Dev	0.008

**SIGNAL**



### Cut 3

electron\_vs\_muon\_angle



electron_vs_muon_angle	
Effective entries	104.431
Integral	9.203
Mean	0.009
Std Dev	0.009

**BKG**

Ratio:  $9.203 / 20123.277 = 0.000457$   
Fractional error: 0.0979

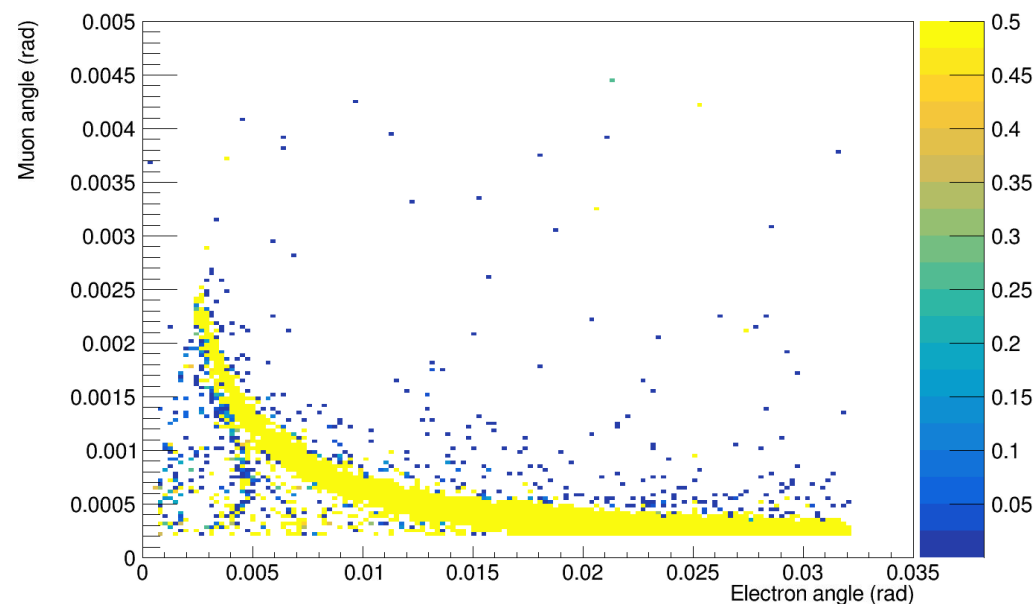
Old cuts, cut 3:

**Cut 1:  $\theta_{max} < 32 \text{ mrad}$  &&  $\theta_{min} \geq 0.2 \text{ mrad}$**

**Cut 2: cut #1 + N stubs on S1  $\leq 14$**

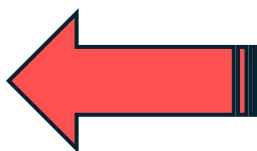
**Cut 3: cut #2 +  $|\text{modified\_Acoplanarity}| < 0.4$**

electron\_vs\_muon\_angle



electron_vs_muon_angle	
Effective entries	11134.188
Integral	20123.277
Mean	0.020
Std Dev	0.007

**SIGNAL**



**Old cuts, cut 7:**

**Cut 1:  $\theta_{max} < 32 \text{ mrad}$  &  $\theta_{min} \geq 0.2 \text{ mrad}$**

**Cut 2: cut #1 + N stubs on S1  $\leq 14$**

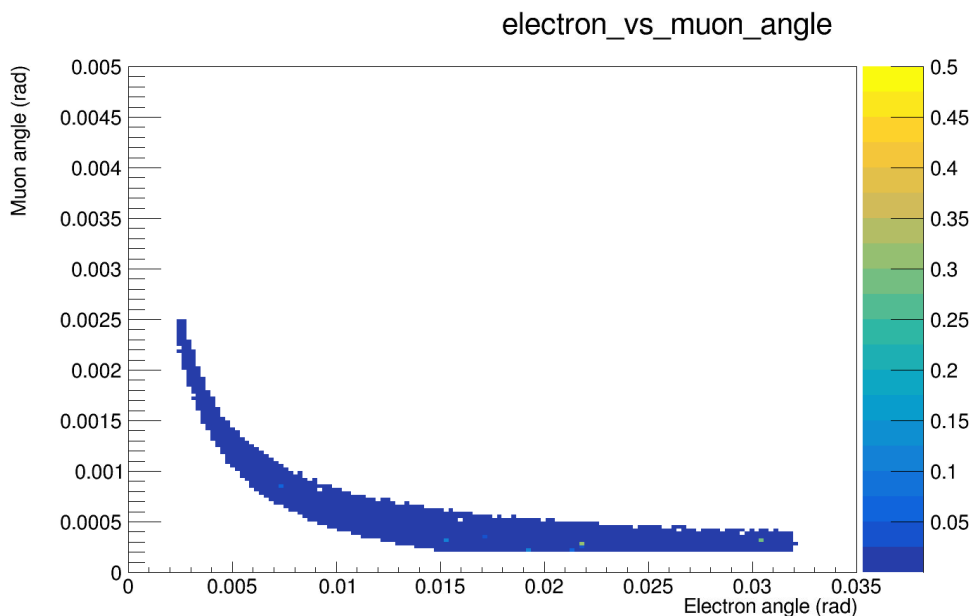
**Cut 3: cut #2 +  $|\text{modified\_Acoplanarity}| < 0.4$**

**Cut 4: cut #4 +  $|z_{\text{vertex}} - z_{\text{target}}| \leq 3 \text{ cm}$  (target thickness)**

**Cut 5: cut #3 +  $\chi^2_{\text{vertex}} \text{ (KF)} \leq 20$**

**Cut 6: Fiducial region**

**Cut 7: Elasticity cut**



electron_vs_muon_angle	
Effective entries	17.257
Integral	1.983
Mean	0.021
Std Dev	0.007

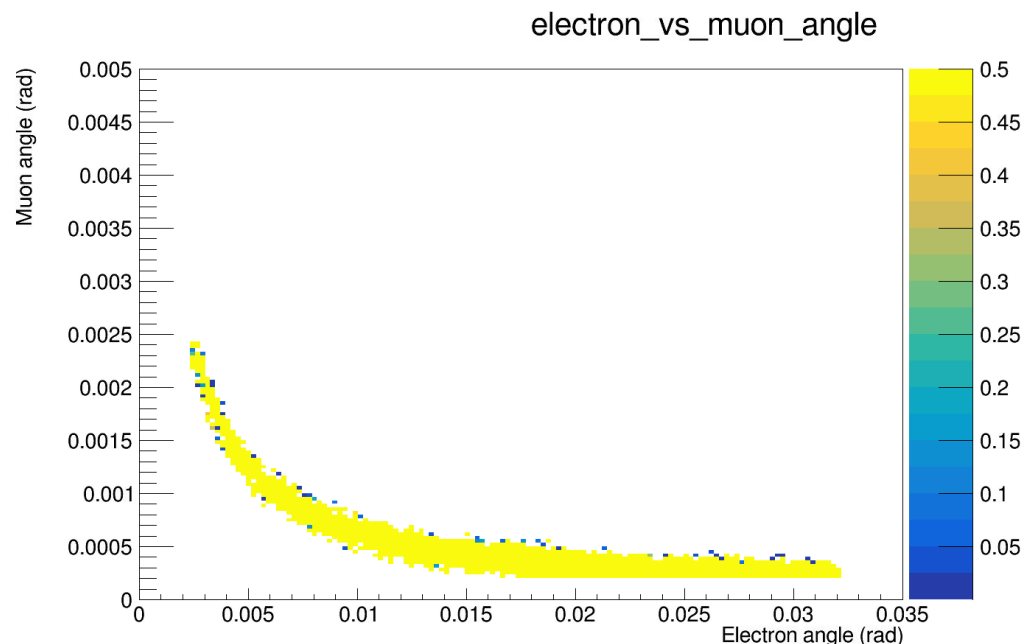
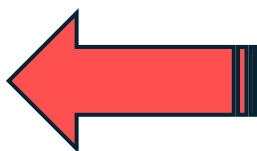
**BKG**

Ratio =  $1.983 / 18513.749 = 0.00011$

Fractional error: 0.2407

Result: (0.011 +/- 0.0026) %

We need to achieve a better rejection or know the background error 10 times more precisely to control the contamination

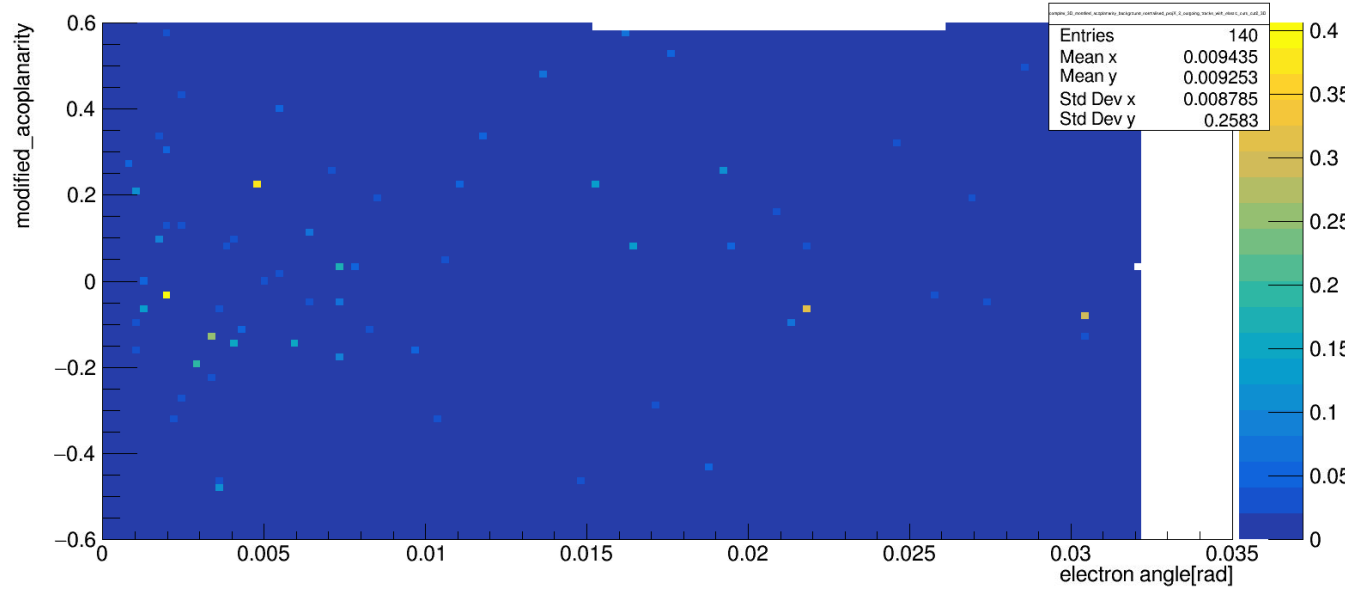


electron_vs_muon_angle	
Effective entries	10295.695
Integral	18513.749
Mean	0.020
Std Dev	0.007

**SIGNAL**

# Modified acoplanarity cut analysis

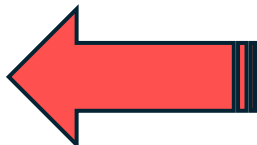
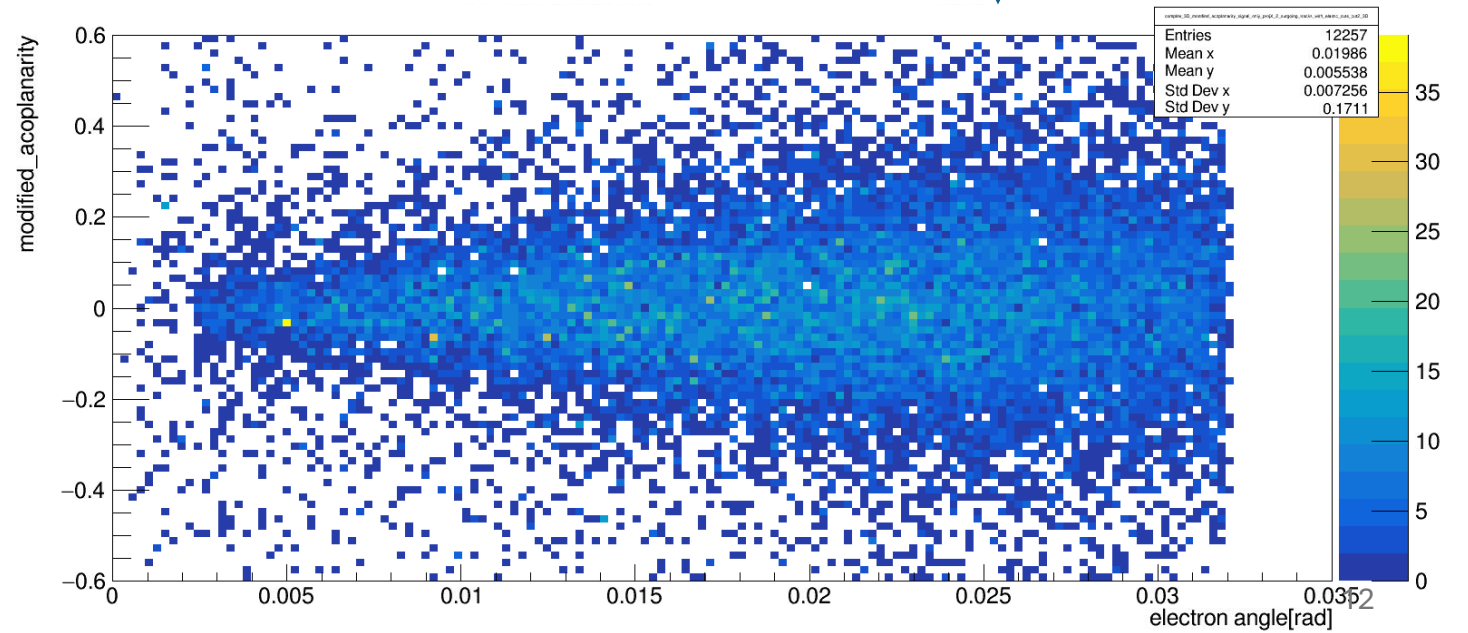
# OLD CUTS, cut 2 (before the modified acoplanarity cut)



Background is ~flat

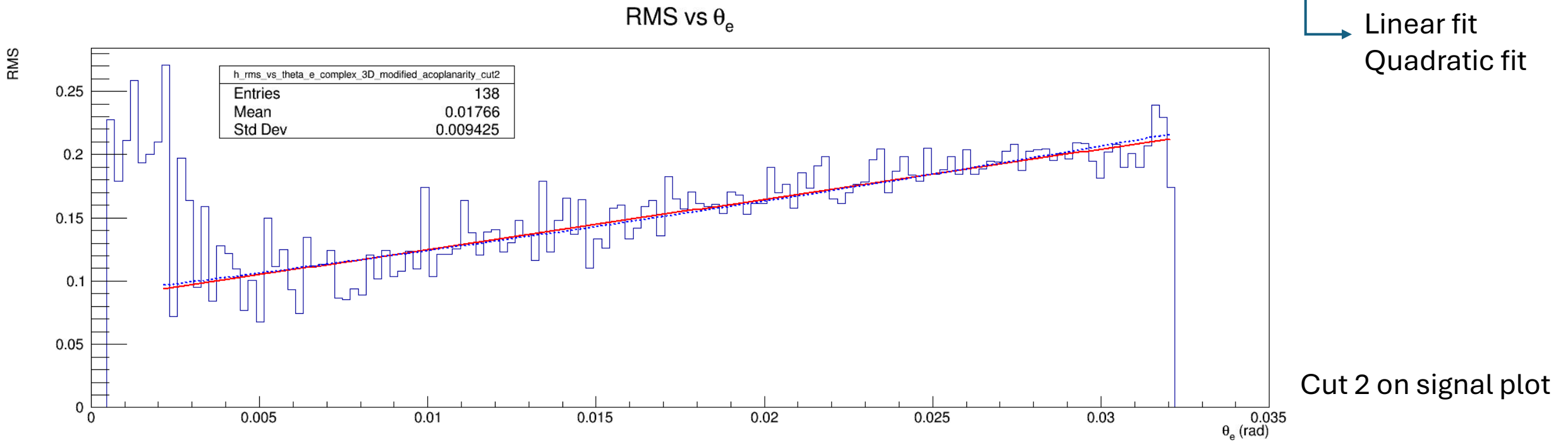


Signal is a ~cone



# Modified acoplanarity cut analysis

Modified acoplanarity vs electron angle plot => Make RMS vs electron angle plot => Find the best fit of the RMS plot



Cut 3: cut #2 + |modified\_Acoplanarity| < **0.4**

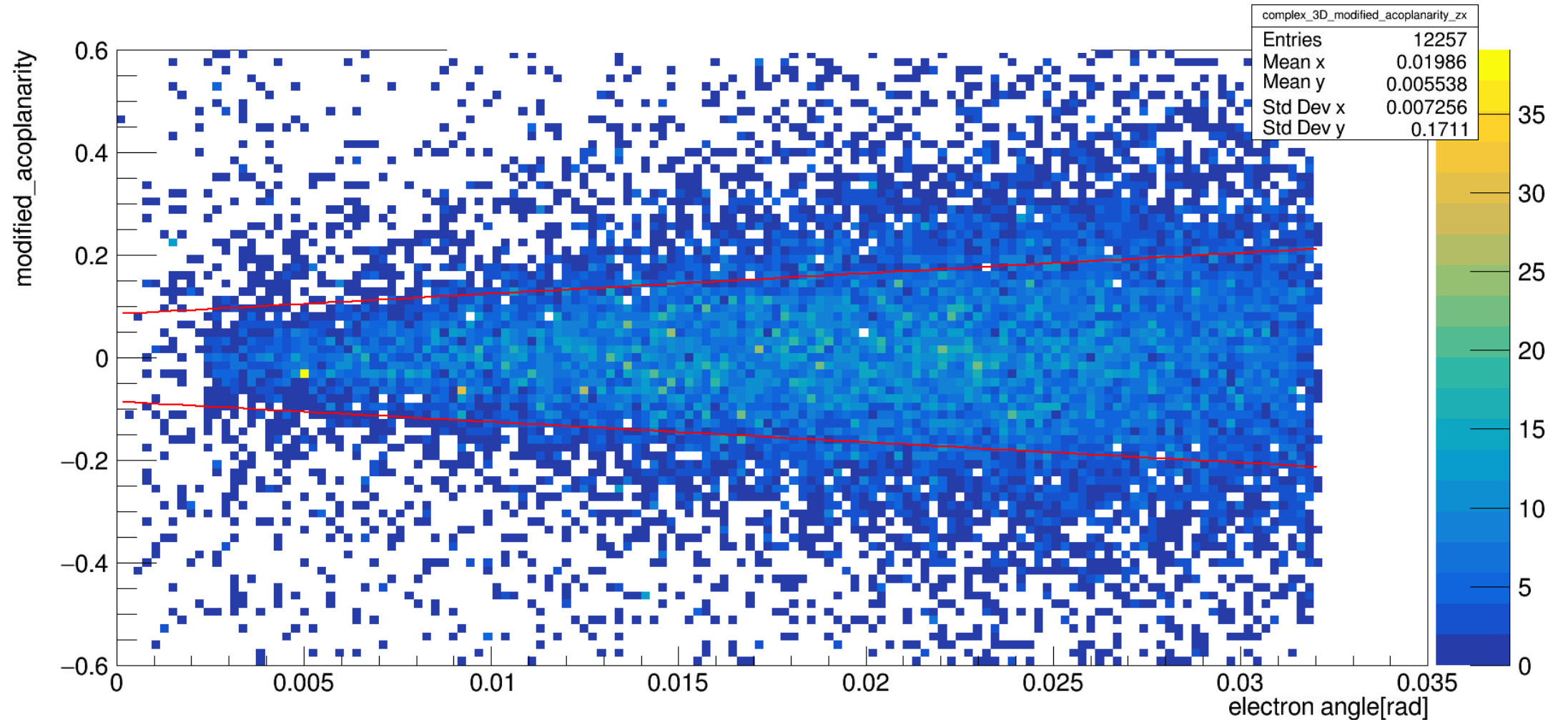


Cut 3: cut #2 + |modified\_Acoplanarity| < **RMS fit**

**The linear fit is a better fit**

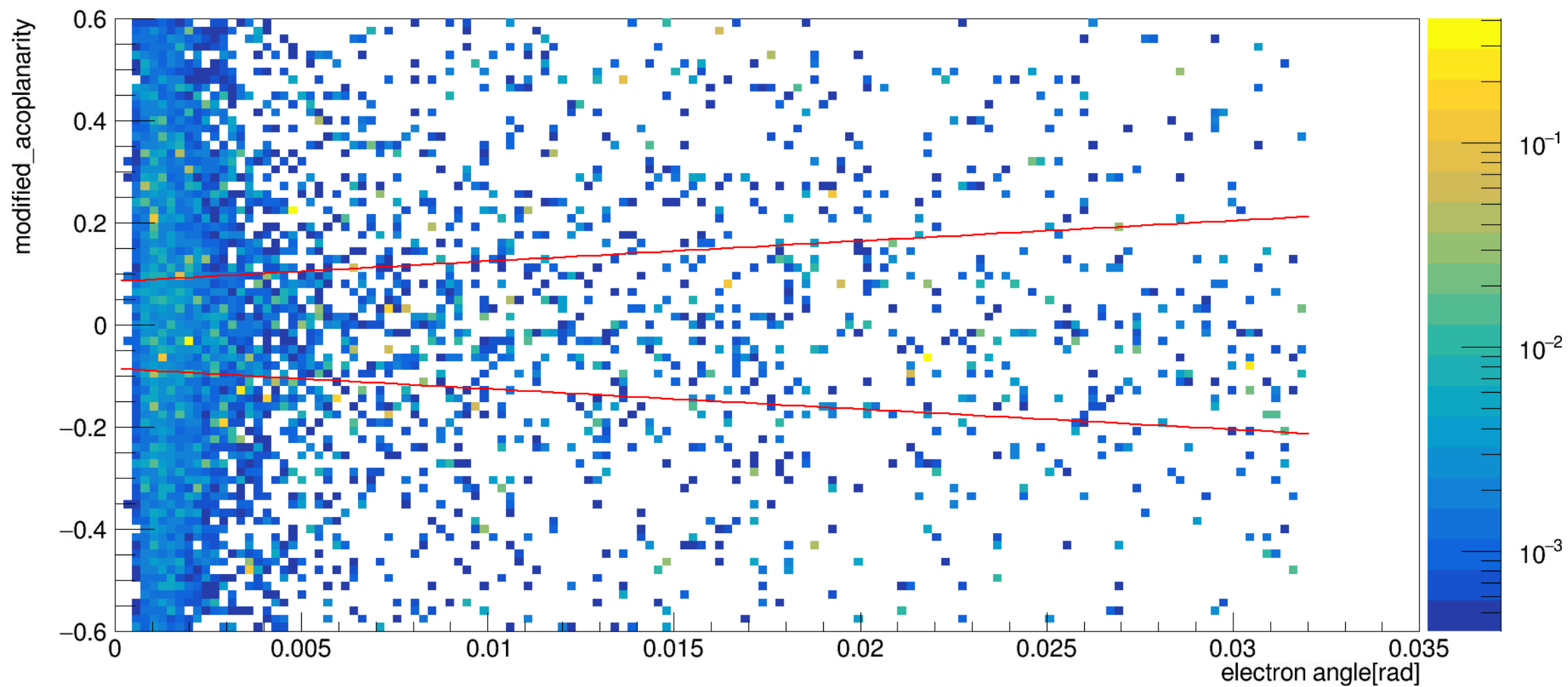
# Modified acoplanarity cut analysis

Use the best fit from RMS plot (for signal file, cut 2) to fit modified acoplanarity vs electron angle



Cut 2, signal file

## Modified acoplanarity cut analysis



Cut 2, background file

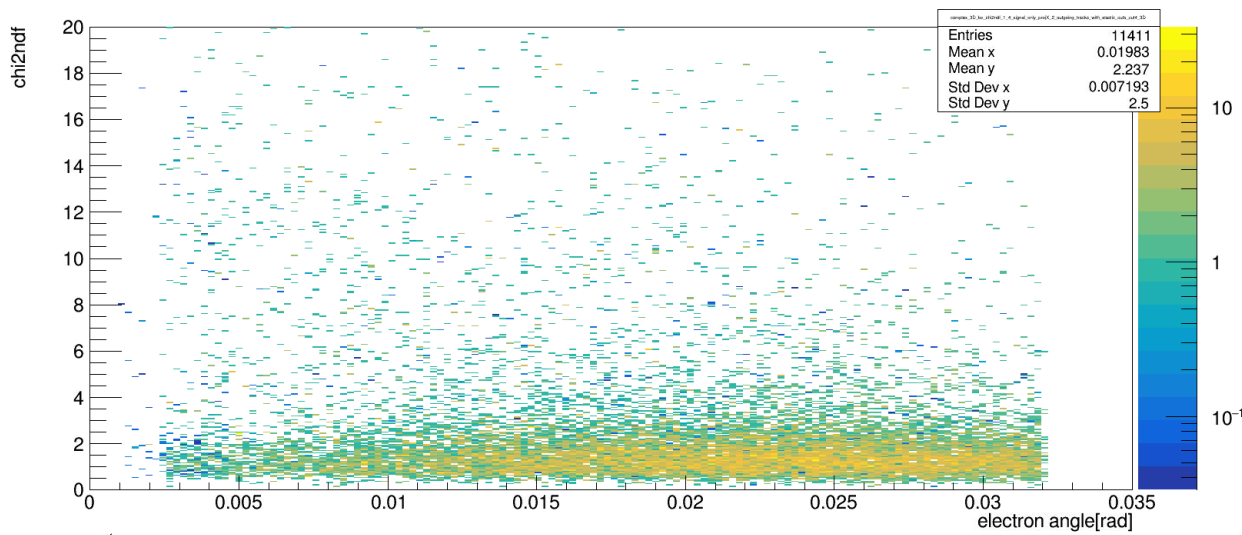
# Chi2ndf cut analysis

OLD CUTS, cut 4 (before chi2ndf cut)

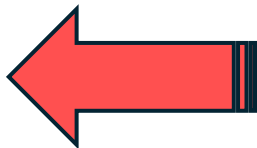
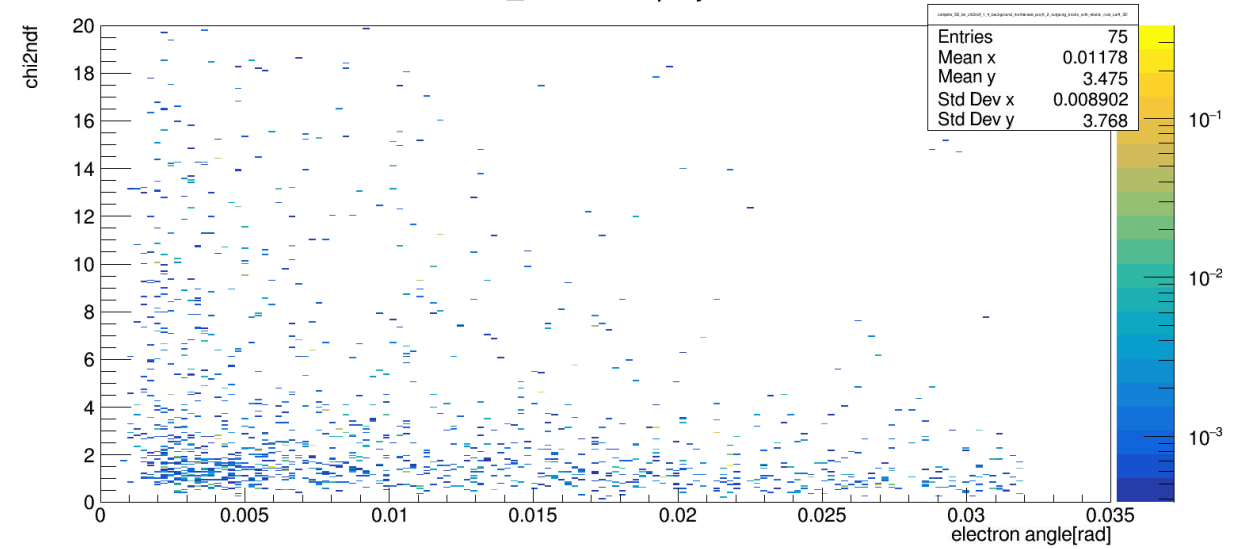
Cut 5: cut #3 + chi2\_vertex (KF)  $\leq 20$  (ORIGINAL)

Cut 5: cut #3 + chi2\_vertex (KF)  $\leq 5$  (NEW)  $\longrightarrow$  Based on the majority of events having chi2ndf  $\leq 5$

Signal file



Background file





# New elastic cut analysis

Cut 1:  $\theta_{max} < 32 \text{ mrad}$  &&  $\theta_{min} \geq 0.2 \text{ mrad}$

Cut 2: cut #1 + N stubs on S1  $\leq 14$

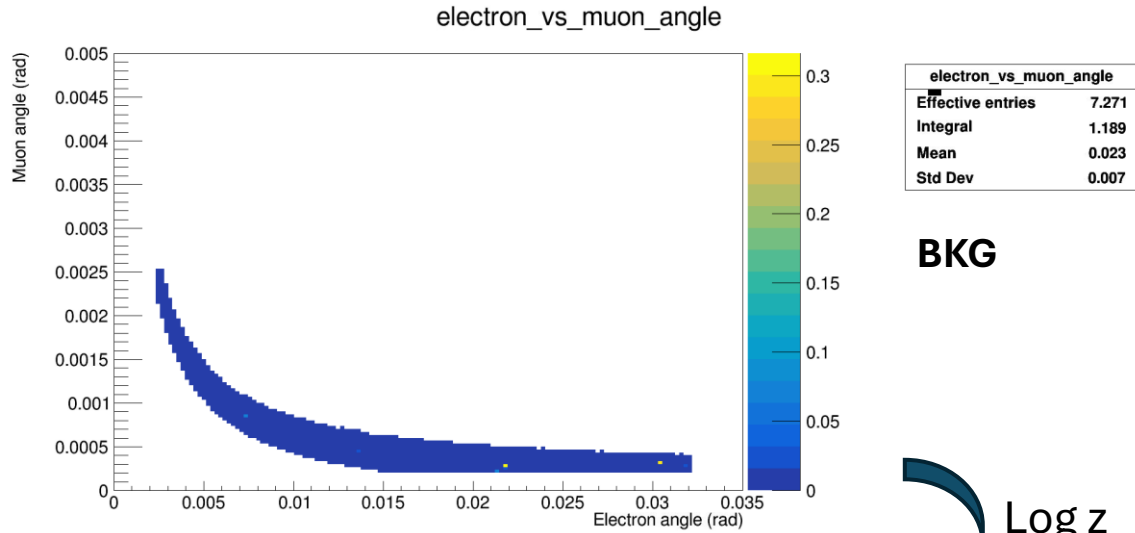
**Cut 3: cut #2 + |modified\_Acoplanarity| < fit on signal file's cut 2 RMS plot**

Cut 4: cut #4 +  $|z_{vertex} - z_{target}| \leq 3 \text{ cm}$  (target thickness)

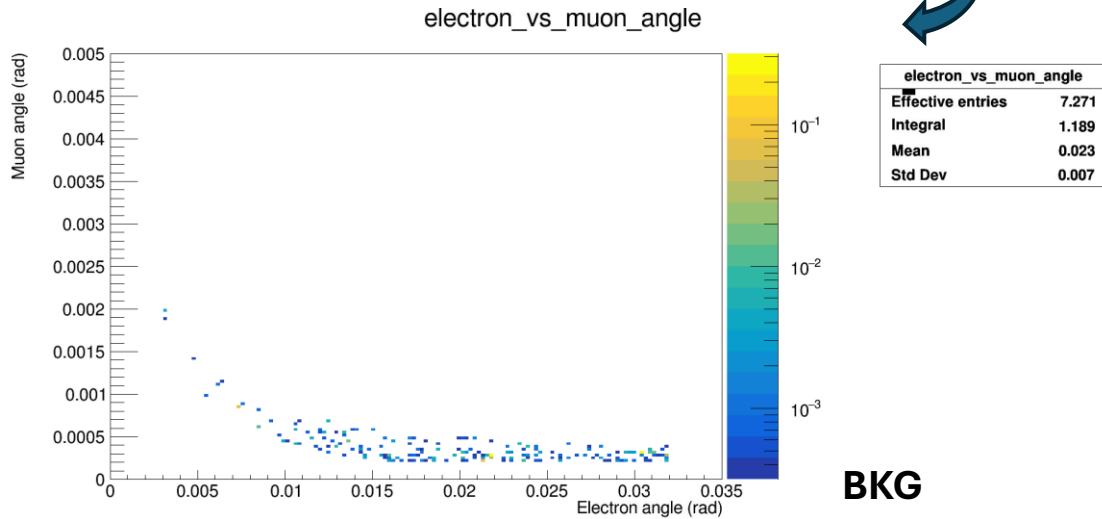
**Cut 5: cut #3 +  $\chi^2_{vertex} \text{ (KF)} \leq 5$**

Cut 6: Fiducial region

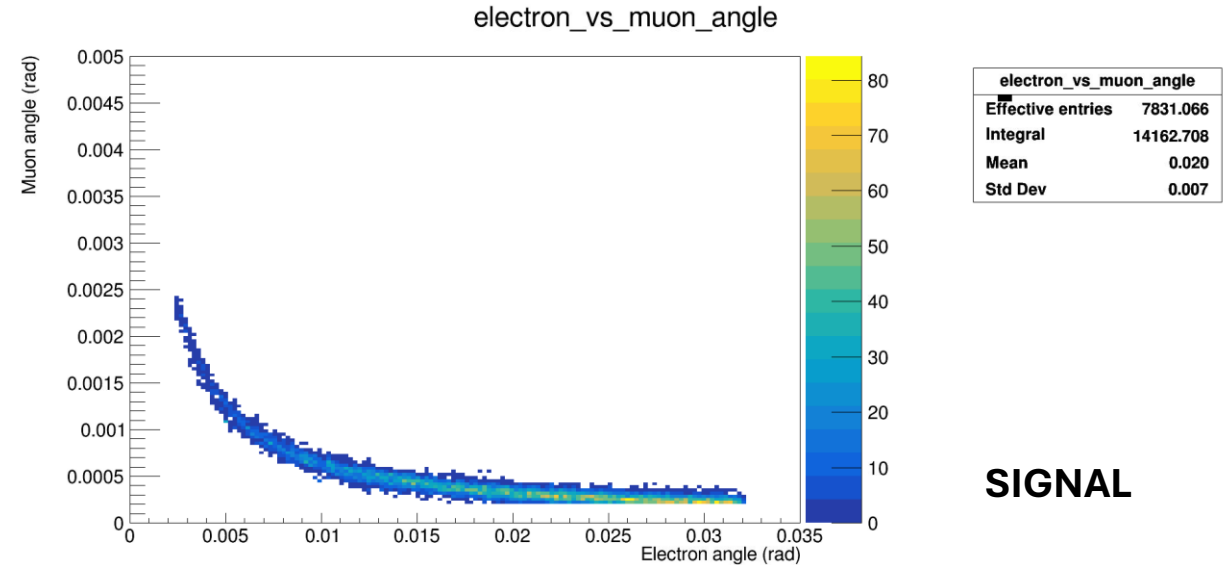
Cut 7: Elasticity cut



**BKG**



**BKG**



**SIGNAL**

Ratio:  $1.189 / 14162.708 = 0.000084$

Fractional error: 0.37



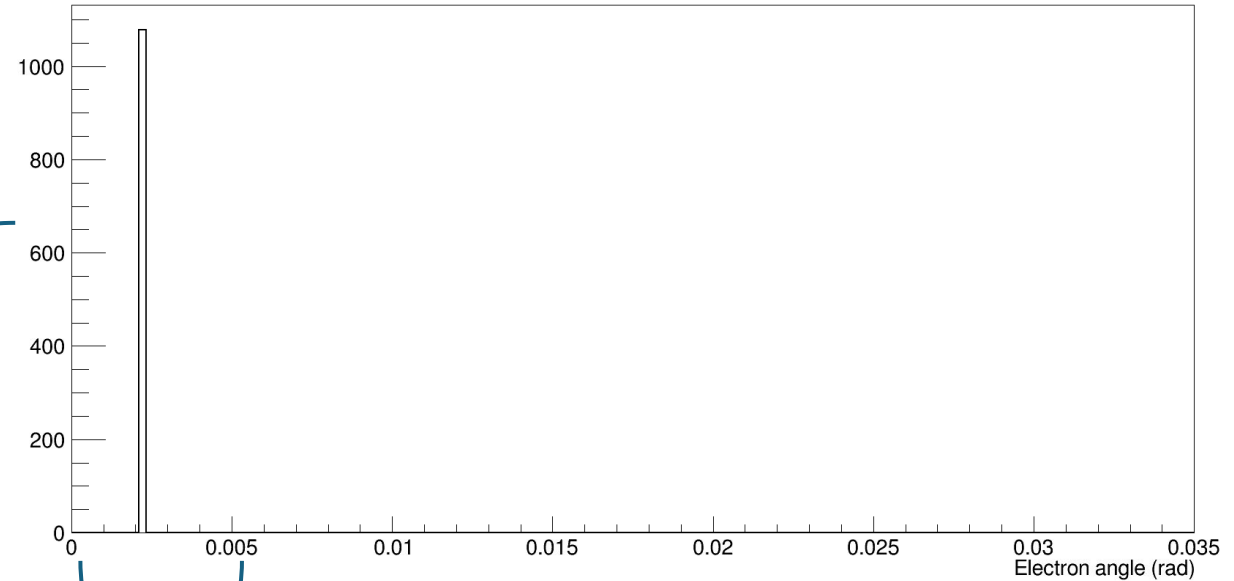
This result is better than the previous result with the old cuts

# Where is the contamination located?

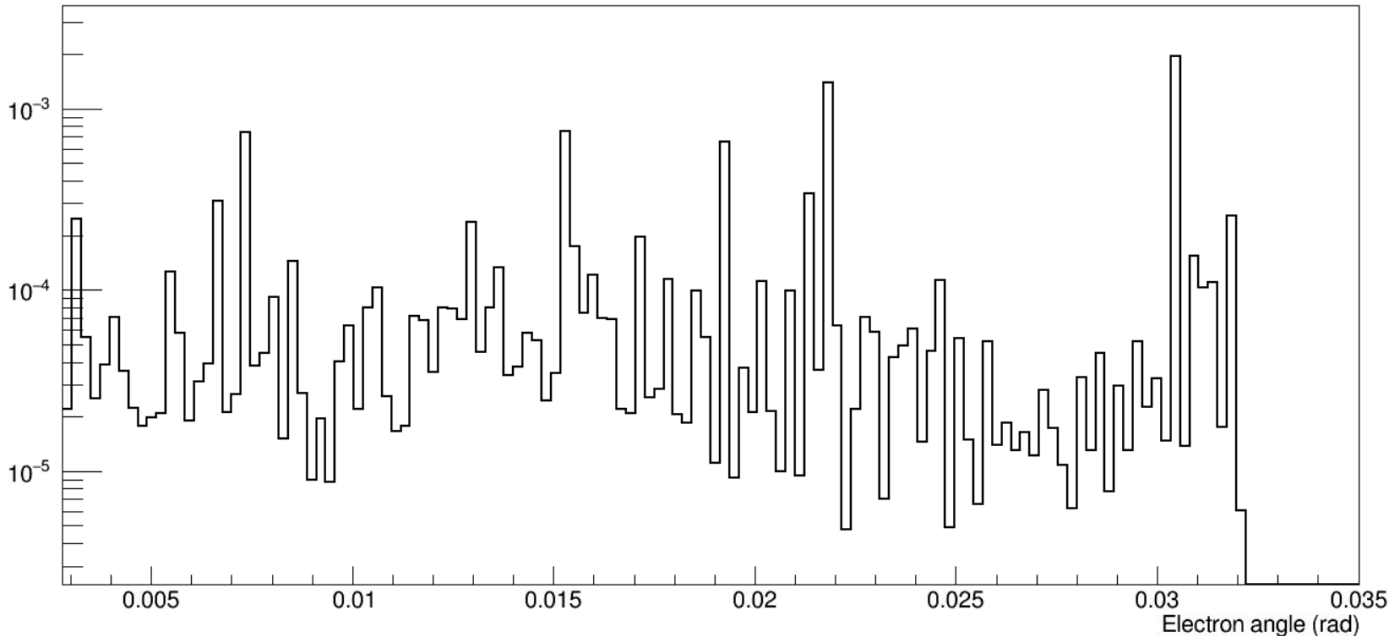
$$\text{Ratio} = \frac{h_{\text{background} \rightarrow \text{ProjectionX}()}}{h_{\text{signal} \rightarrow \text{ProjectionX}()}}$$

Ignoring this peak, the ratio is flat. No area is more contaminated than another area.

Background / Signal ProjectionX 2\_outgoing\_tracks\_with\_elastic\_cuts | cut7

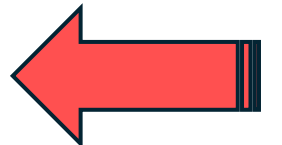


Background / Signal ProjectionX 2\_outgoing\_tracks\_with\_elastic\_cuts | cut7



This is the region where we aren't sure if the particles are muons and electrons.

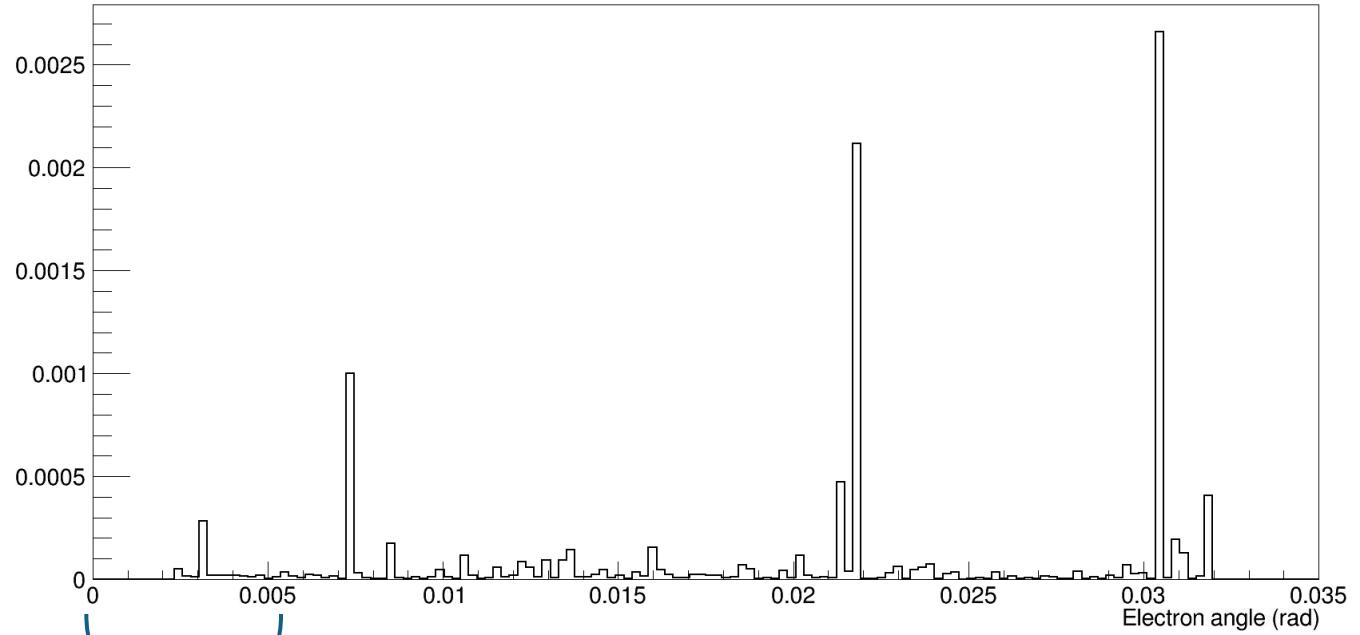
The peak is due to low statistics in this region (dividing by a small number = blown up peak)



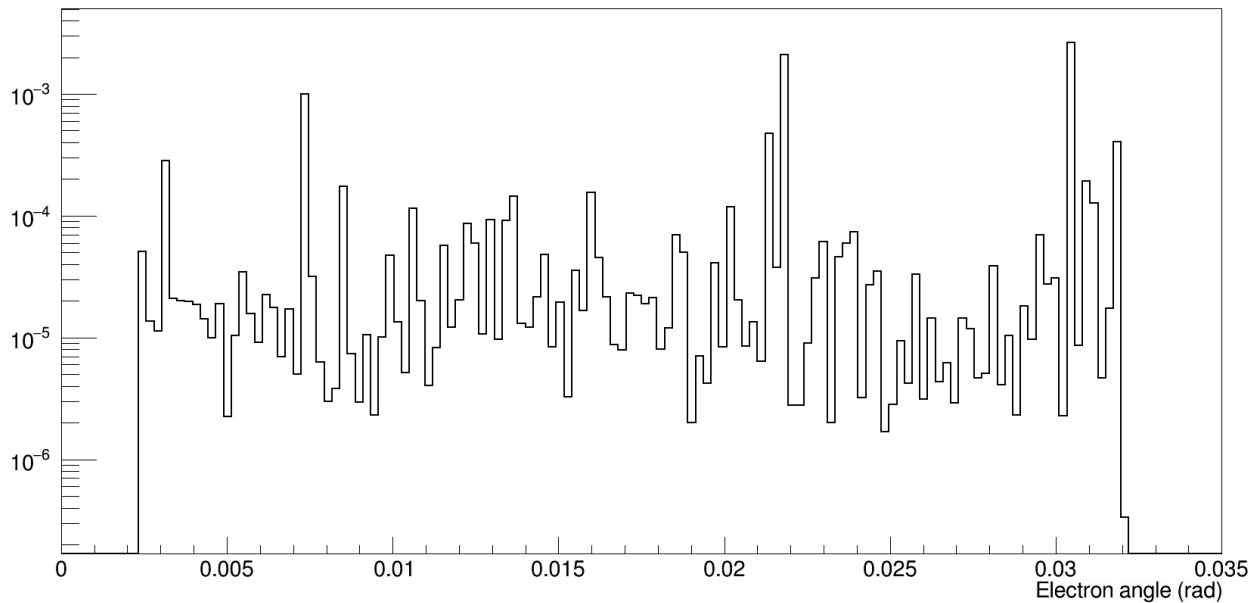
## Ratio for new cuts

Contamination can likely be resolved with the muon filter in the 2025 test beam and simulations.

The normalisation region is used only for systems as barely affected by the running of alpha.



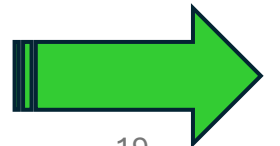
Background / Signal ProjectionX 2\_outgoing\_tracks\_with\_elastic\_cuts | cut7



“Unknown PID”  
region

Normalisation region

The main problematic peak is at 0.0075 radians (under investigation).



# Conclusion

- I'm using:
  - ~50,000 equivalent events – background events
  - ~50,000 equivalent events – signal events
  - Normalisation factor:  $1.95884791e-7$
- We can change the modified acoplanarity and chi2ndf cuts to improve the elastic event selection
- New cut 3:  $|\text{modified\_Acoplanarity}| < \text{RMS fit}$  (under testing)
- New cut 5:  $\text{chi2\_vertex (KF)} \leq 5$  (under testing)
- Ratio (**old cuts**): Result:  $(0.011 \pm 0.0026) \%$ 
  - We need to achieve a better rejection or know the background error 10 times more precisely to control the contamination
- Ratio (**new cuts**): Result:  $(0.0084 \pm 0.0031) \%$ 
  - The result is better than the previous result => still room for improvement
- I'm still currently investigating how many signal events are lost with each cut to ensure that we aren't suppressing too much signal whilst trying to suppress the background