

# Strong suppression of heat conduction in laboratory and astrophysical plasmas

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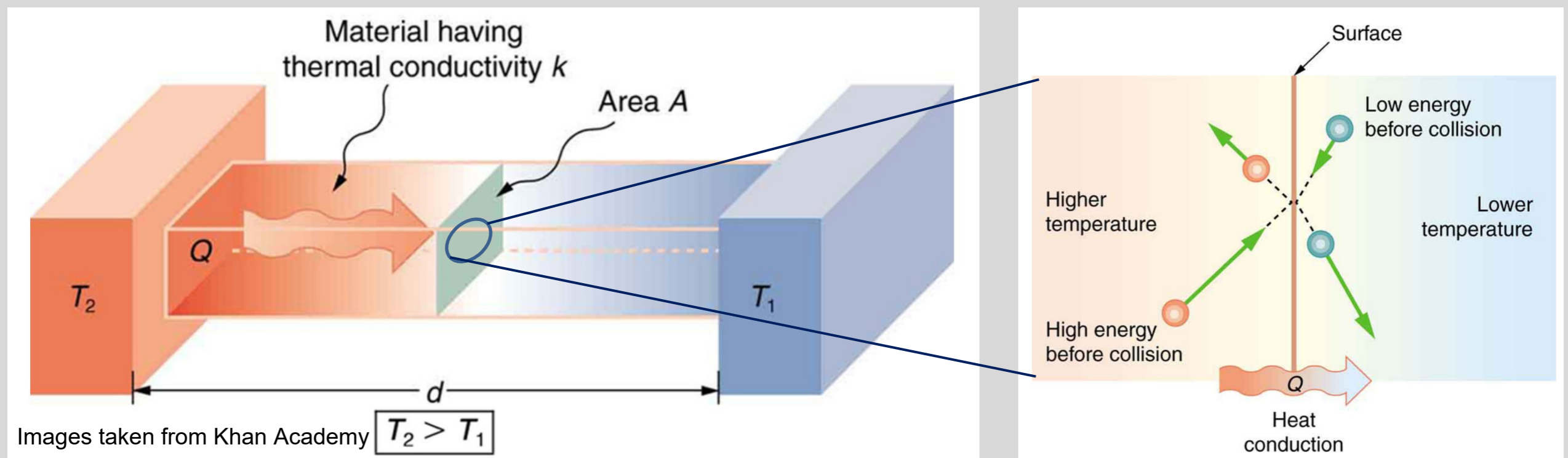
# Thermal conduction in plasmas

# Classical (Spitzer) thermal conduction in plasmas relies on Coulomb collisions

- In a classical (collisional) plasma electron collisions mediate the heat transport. The heat flux is given by Fick's law

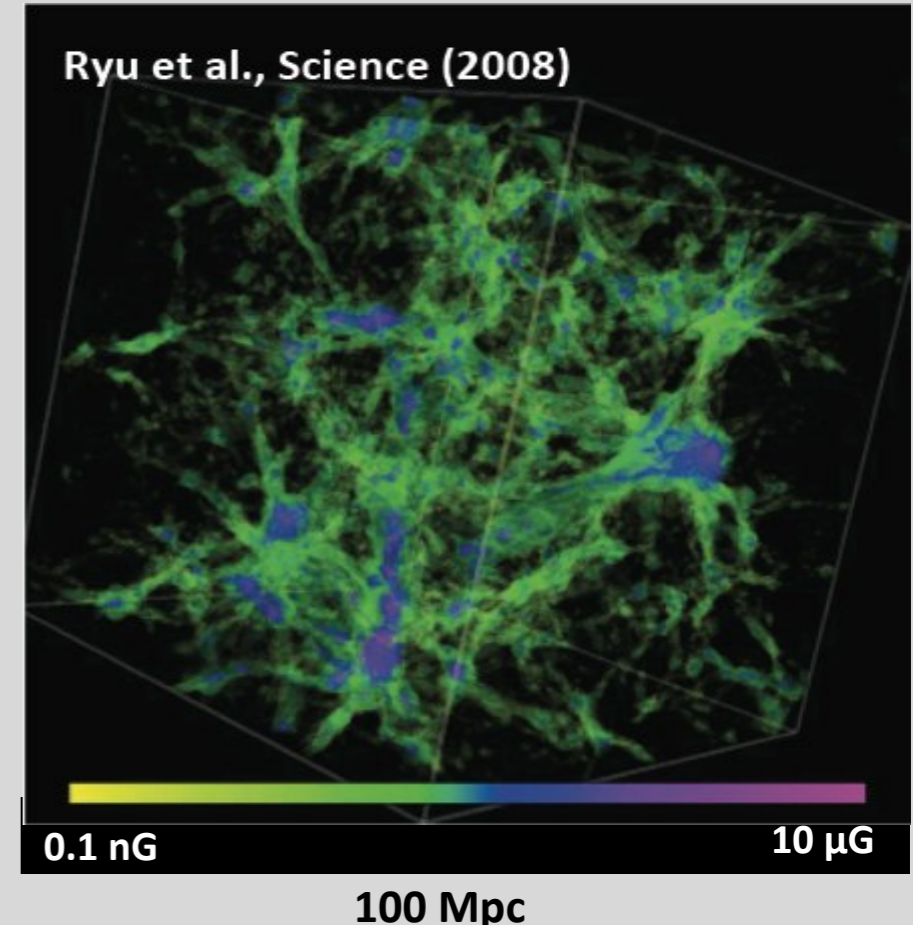
$$Q = \frac{(4\pi \epsilon_0)^2 (k_B T)^{5/2}}{m_e^{1/2} e^4} \nabla(k_B T)$$

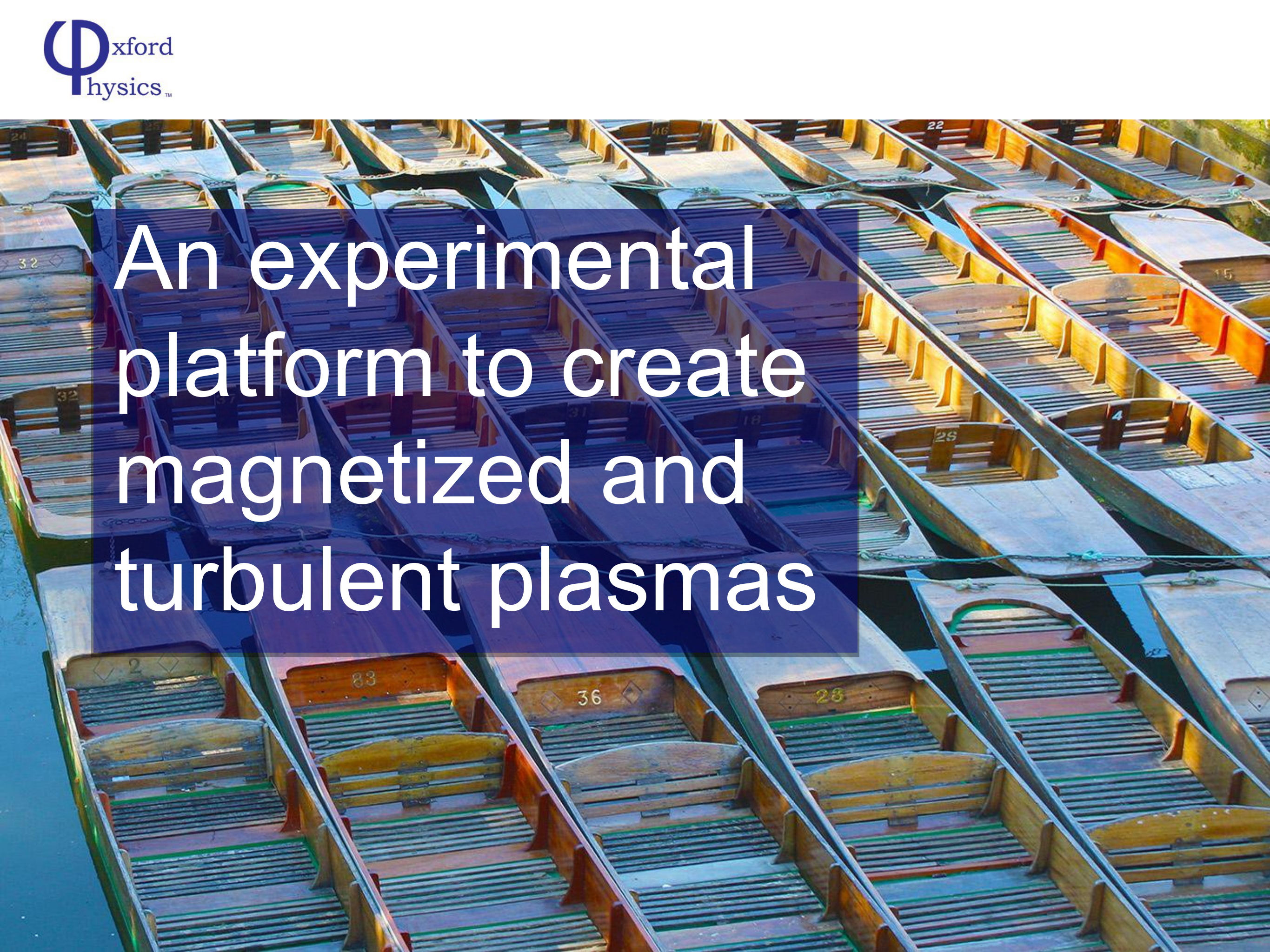
- This model assumes the electrons to be in equilibrium, with a Maxwell-Boltzmann distribution, and with no magnetic fields.
- In several laboratory and astrophysical conditions, the above assumptions do not hold, and conduction does not always take a Fick's law form.



# Thermal transport is a challenge in many astrophysical systems

- Galaxy clusters are diffuse, turbulent magnetized plasmas.
- In cluster cores, the temperatures remain anomalously high compared to what might be expected, given that the cooling time is short relative to the Hubble time.
- While feedback from the central active galactic nuclei is believed to provide most of the heating, there has been a long debate as to whether conduction of heat from the bulk to the core might help the core reach observed temperatures.
- ***Thermal conduction in magnetized, weakly collisional plasmas is a longstanding problem in plasma physics.***

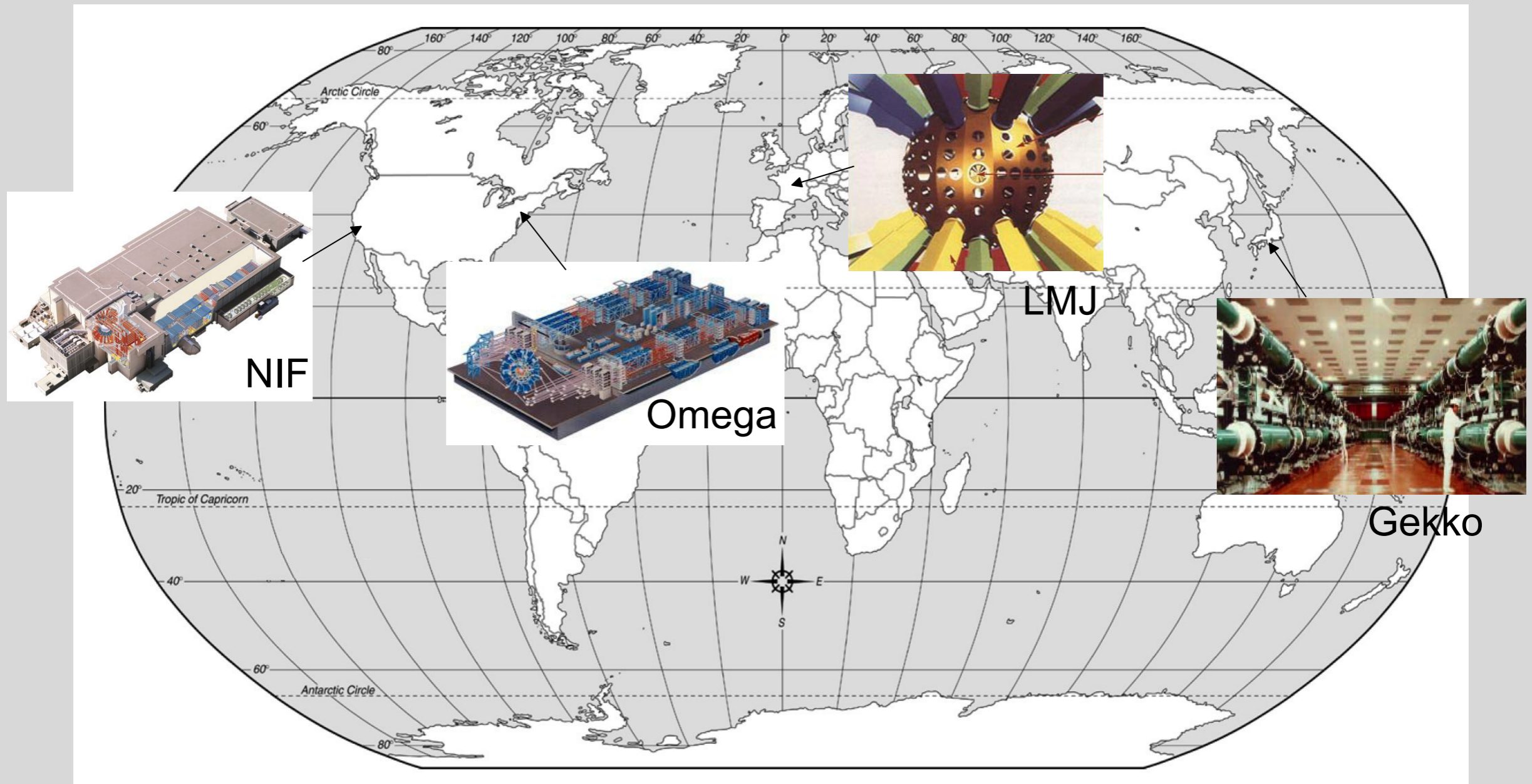




An experimental platform to create magnetized and turbulent plasmas

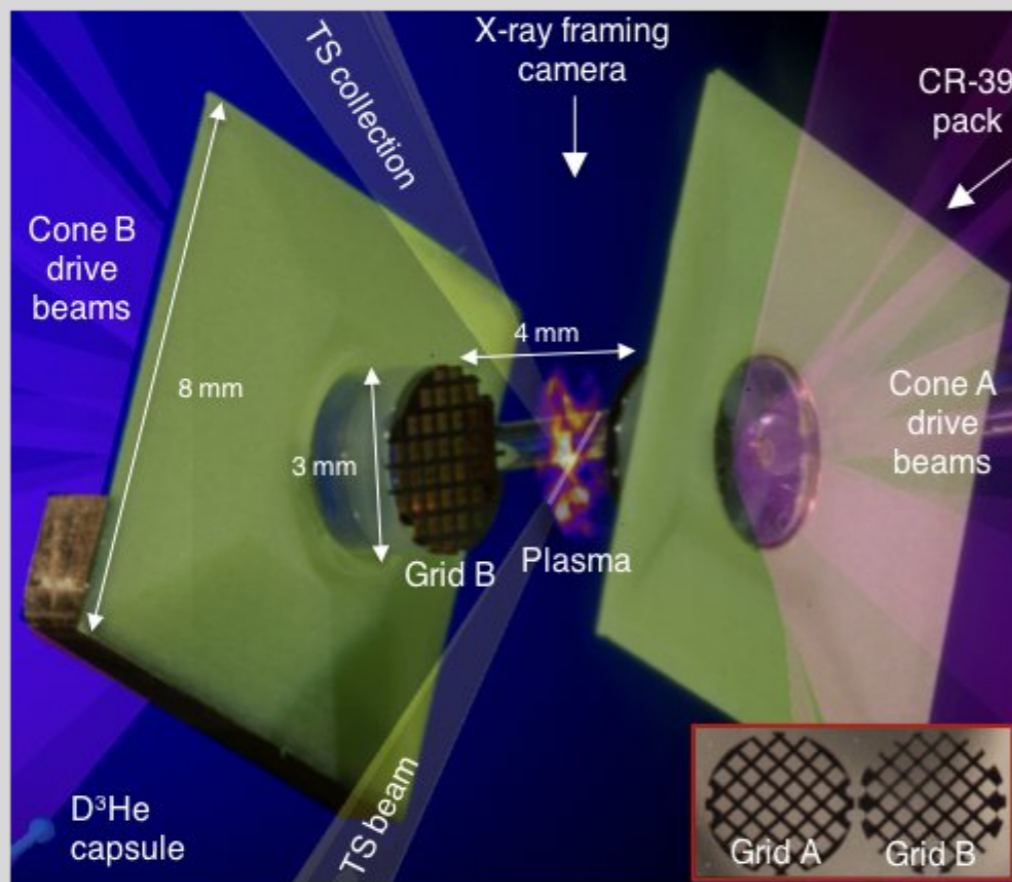
# We have used several large laser facilities around the world

Nanosecond pulses ( $10^{-9}$  s)  
Mega-joules energy  
Petawatt peak powers ( $10^{15}$  W)

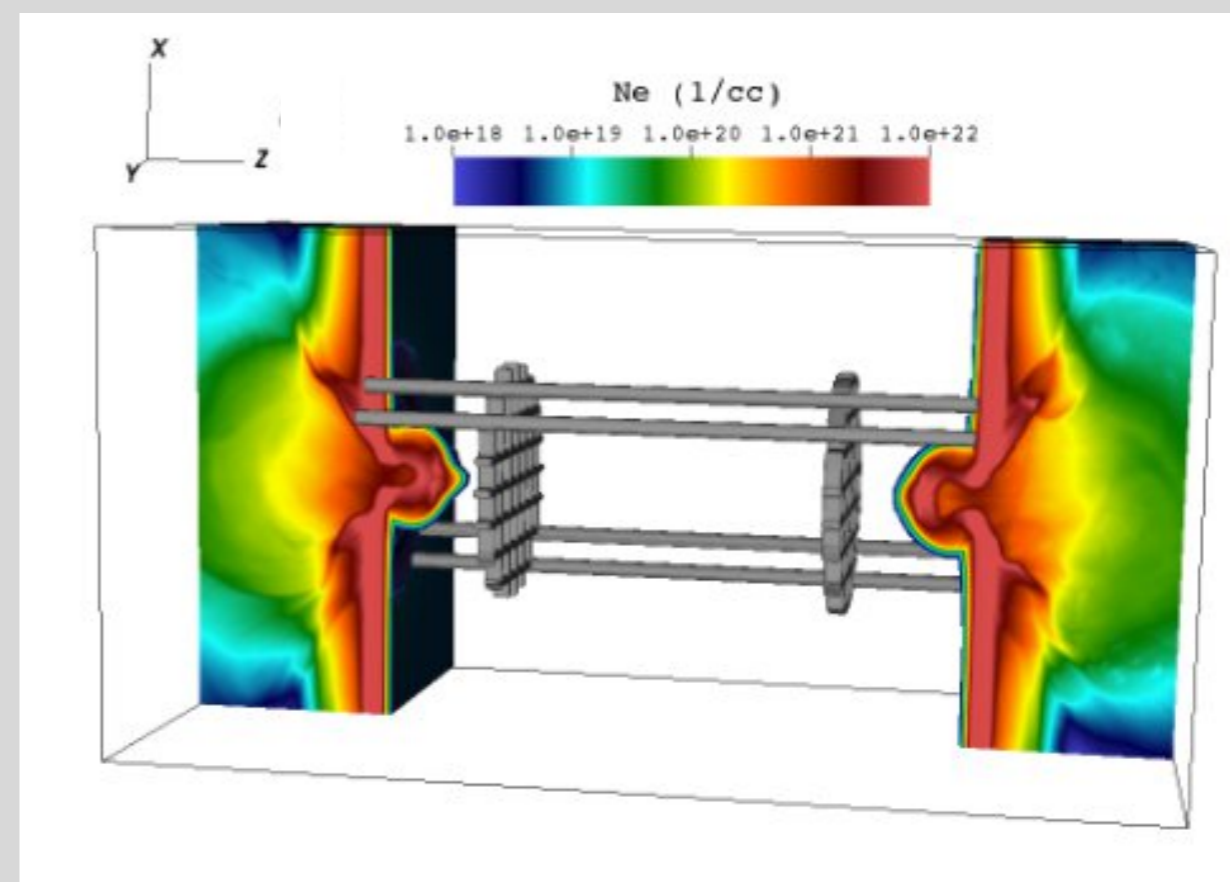


# Experiment uses colliding flows and grids to create strong turbulence

- We use experiments to create colliding jets of plasmas
  - Plasma flows are created by firing two sets of laser beams
  - Flow initially destabilized by interaction with a grid
- In the collision region, strong turbulence is generated
- At the same time, magnetic fields are amplified by turbulent dynamo



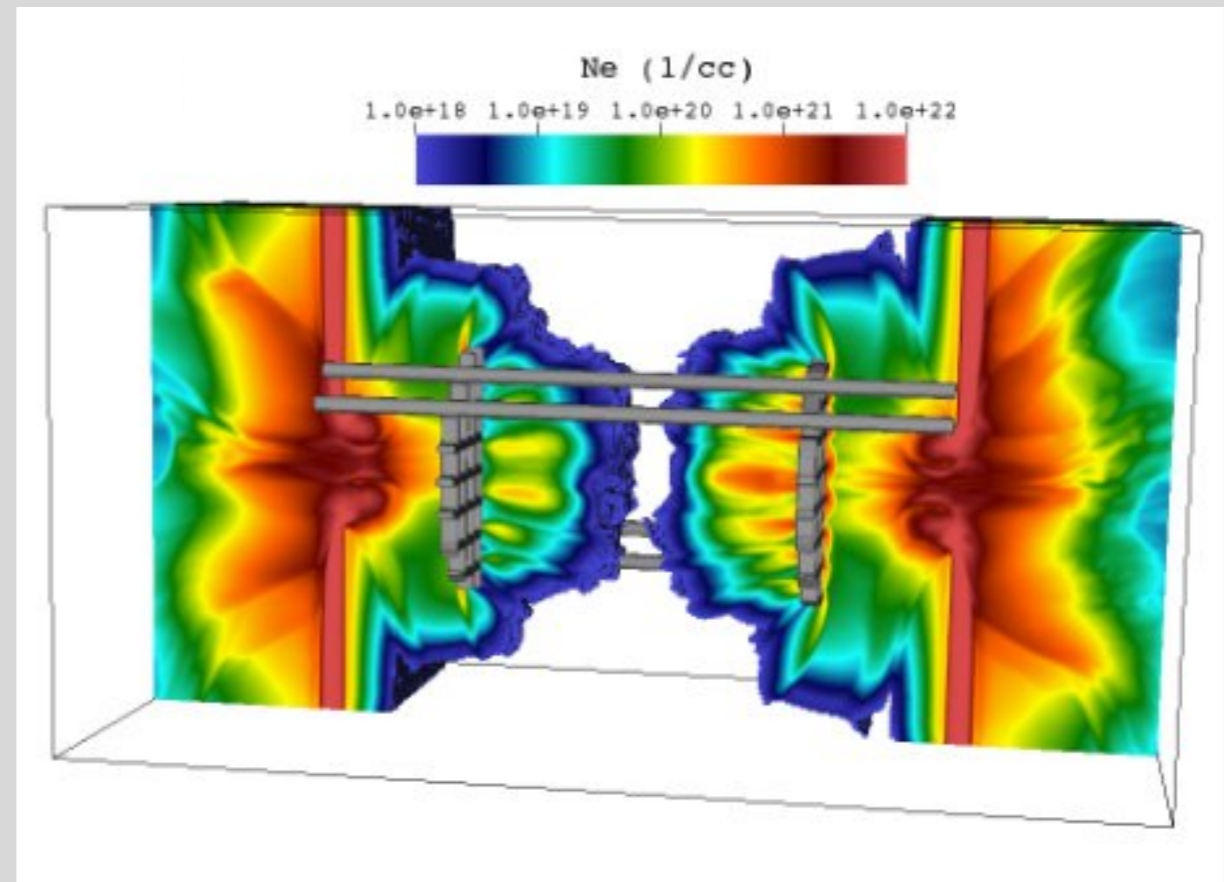
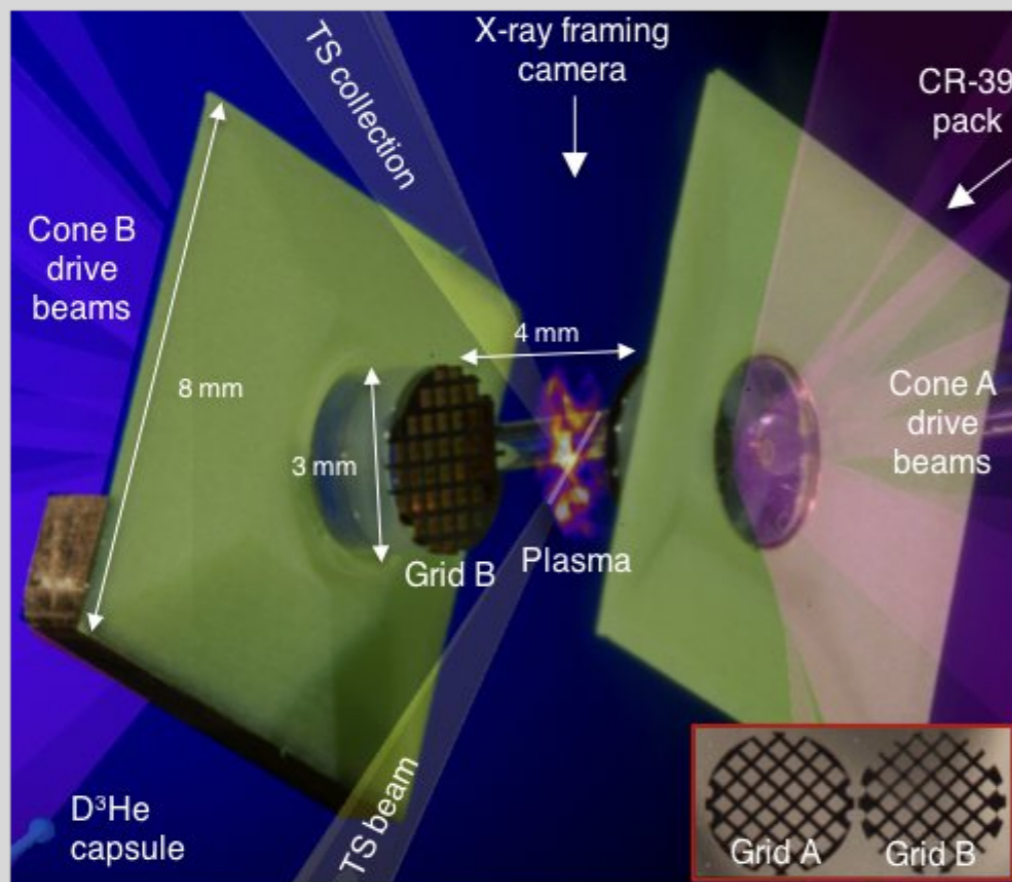
Tzeferacos et al. Nature Comm. (2018)



Numerical simulations done with the MHD code FLASH (including laser package and non-ideal EOS)

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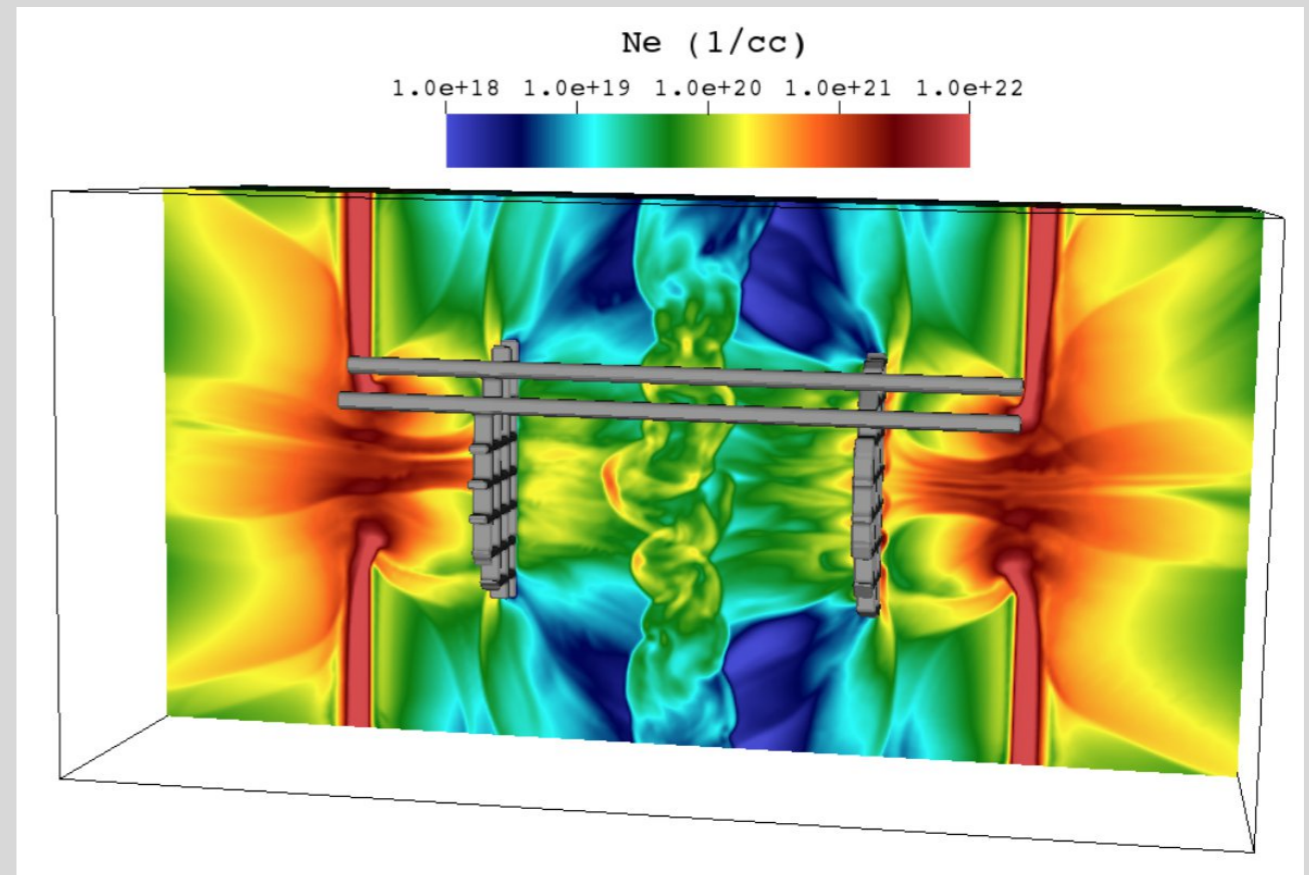
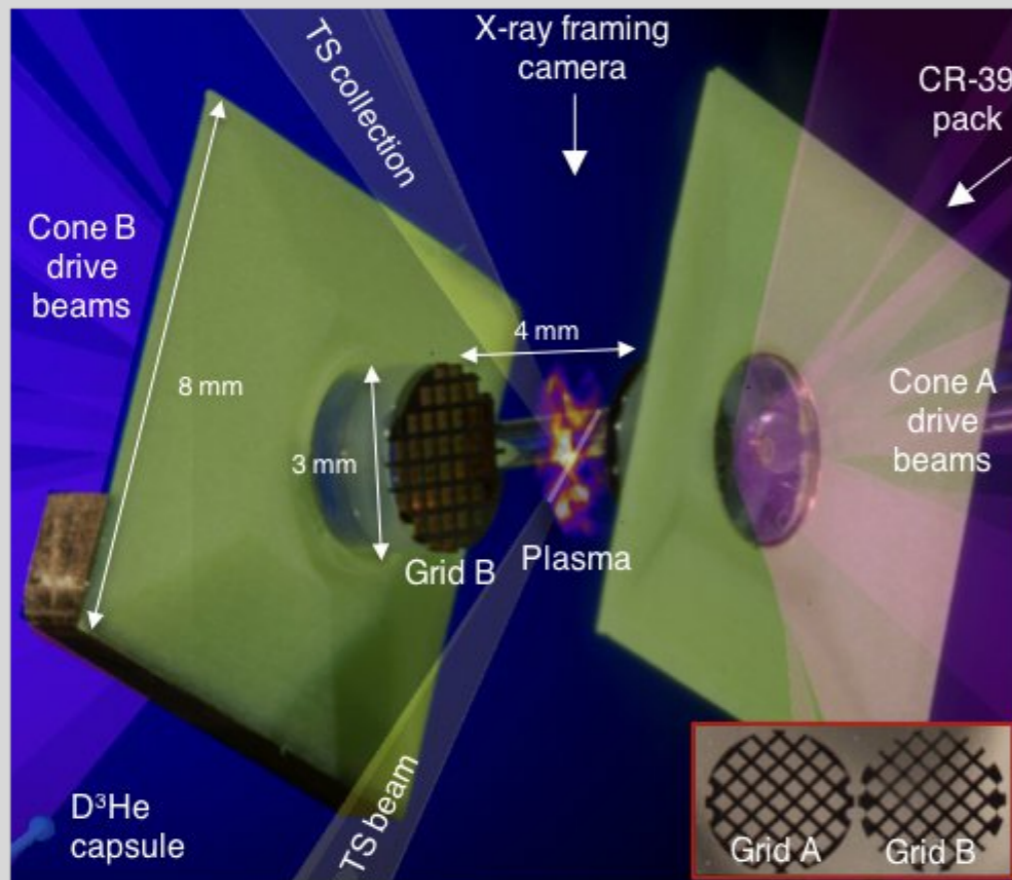


*Tzeferacos et al. Nature Comm. (2018)*

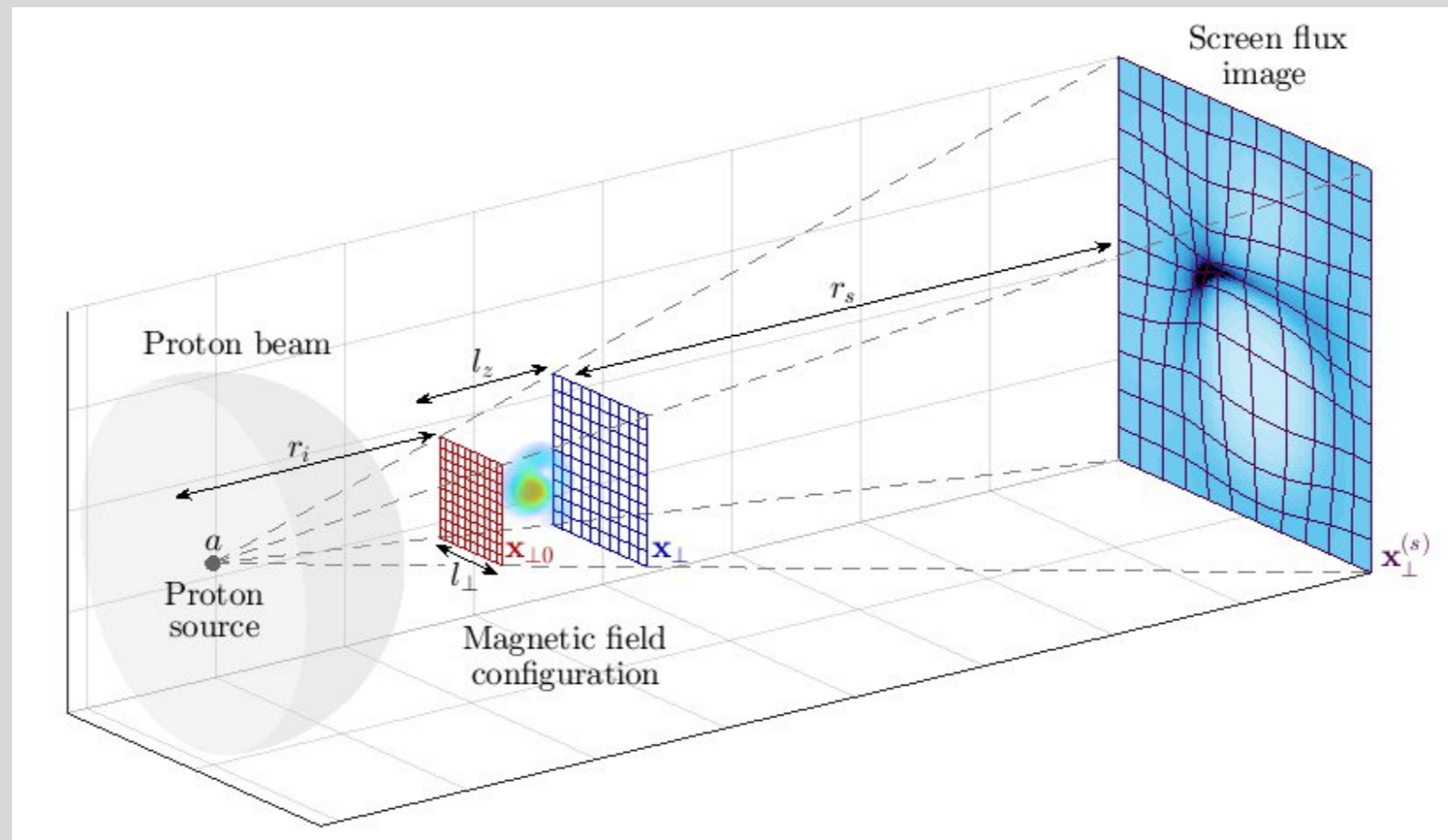


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# Magnetic fields are measured by proton radiography

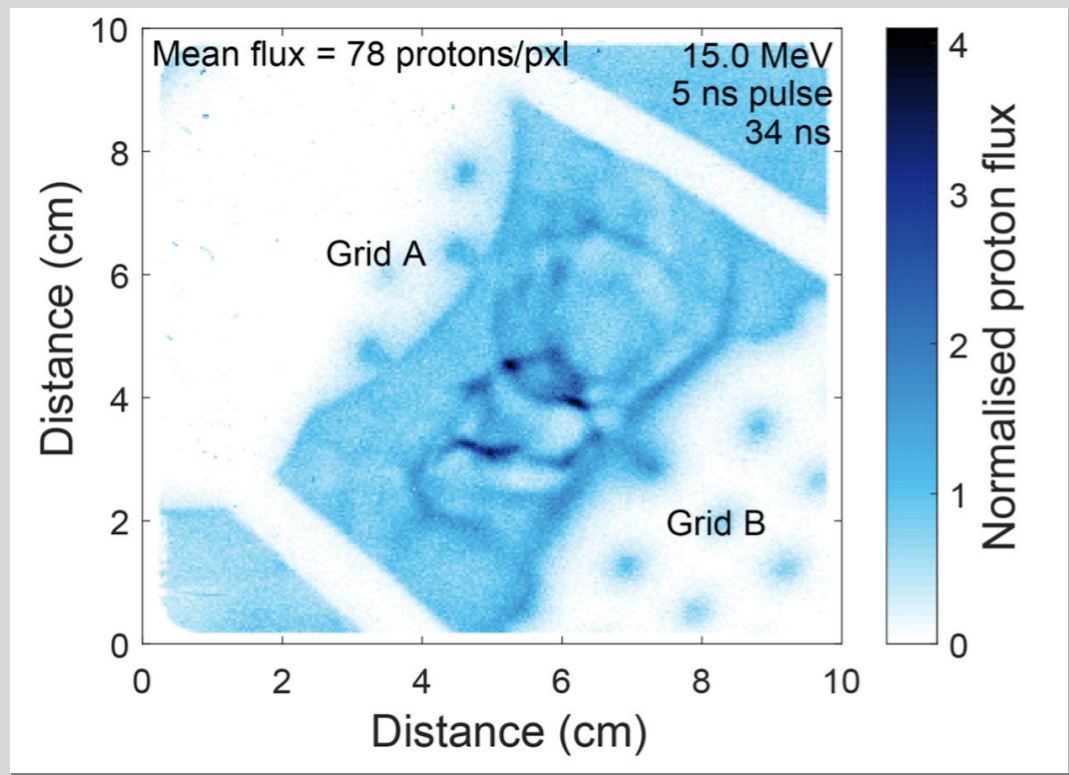
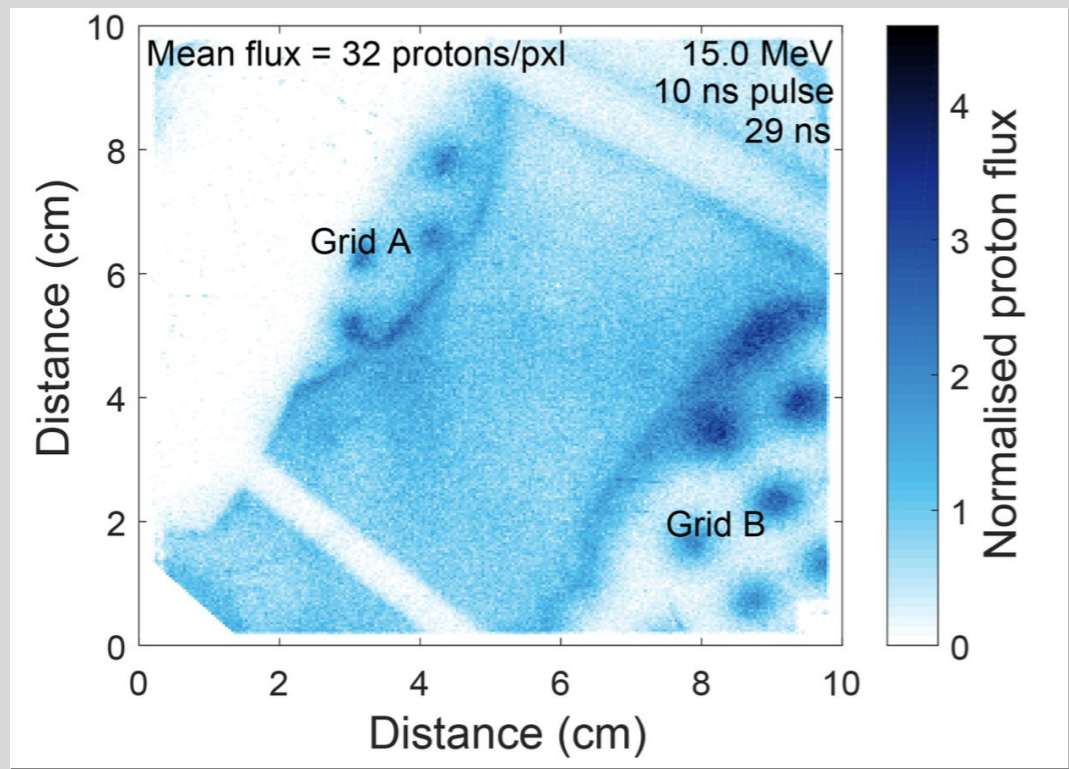


- We use 3.3 MeV and 15 MeV protons to map the magnetic field structures in the plasma
- Proton deflections are a measurement of the path-integrated magnetic field
- How to obtain the (path-integrated) magnetic field:
  - Solution of the Ampere-Monge equation (*Bott et al., 2017*)
  - Optimal regression analysis with Bayesian inference (*Kasim et al., 2019*)

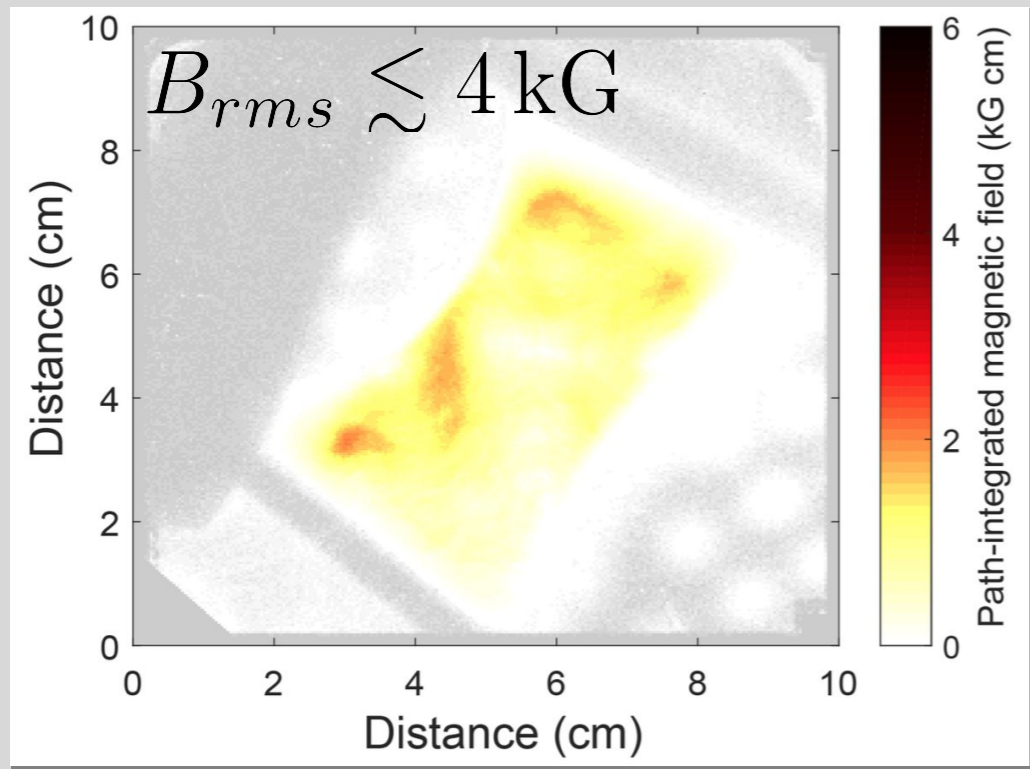
# Magnetic fields are measured by proton radiography

→ No structures appear in the images before the collision.

→ Filaments are seen after the collision.



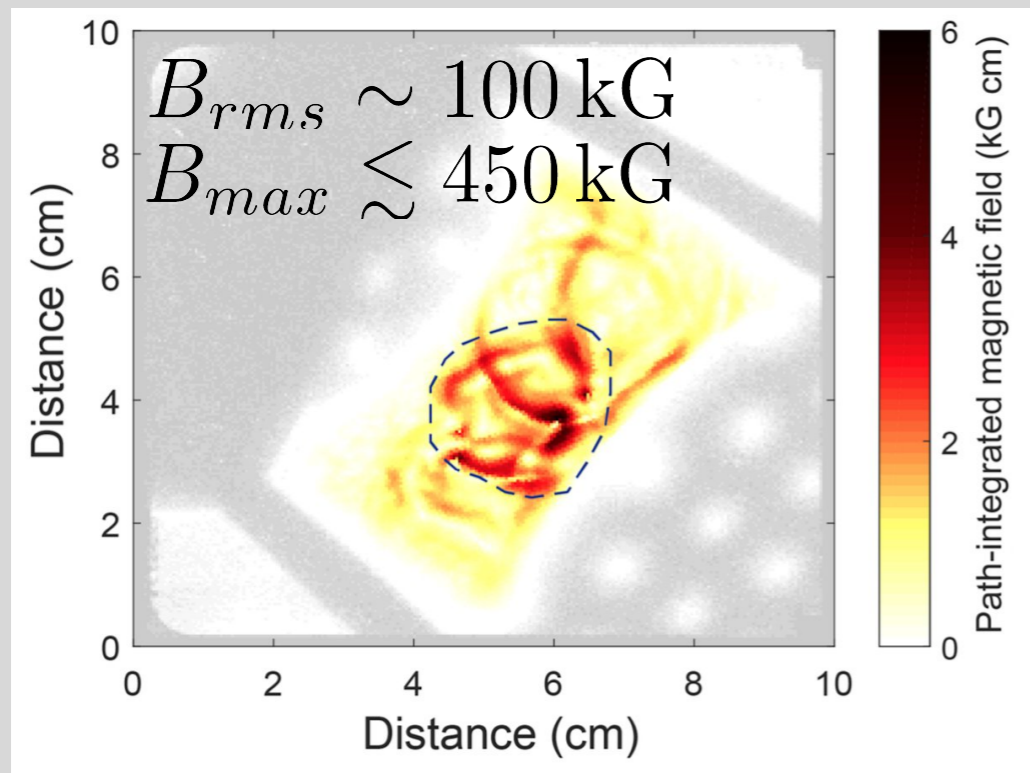
# The inferred magnetic field is significantly amplified by the turbulence



→ An initial (seed) magnetic field is present in the plasma before the collision.

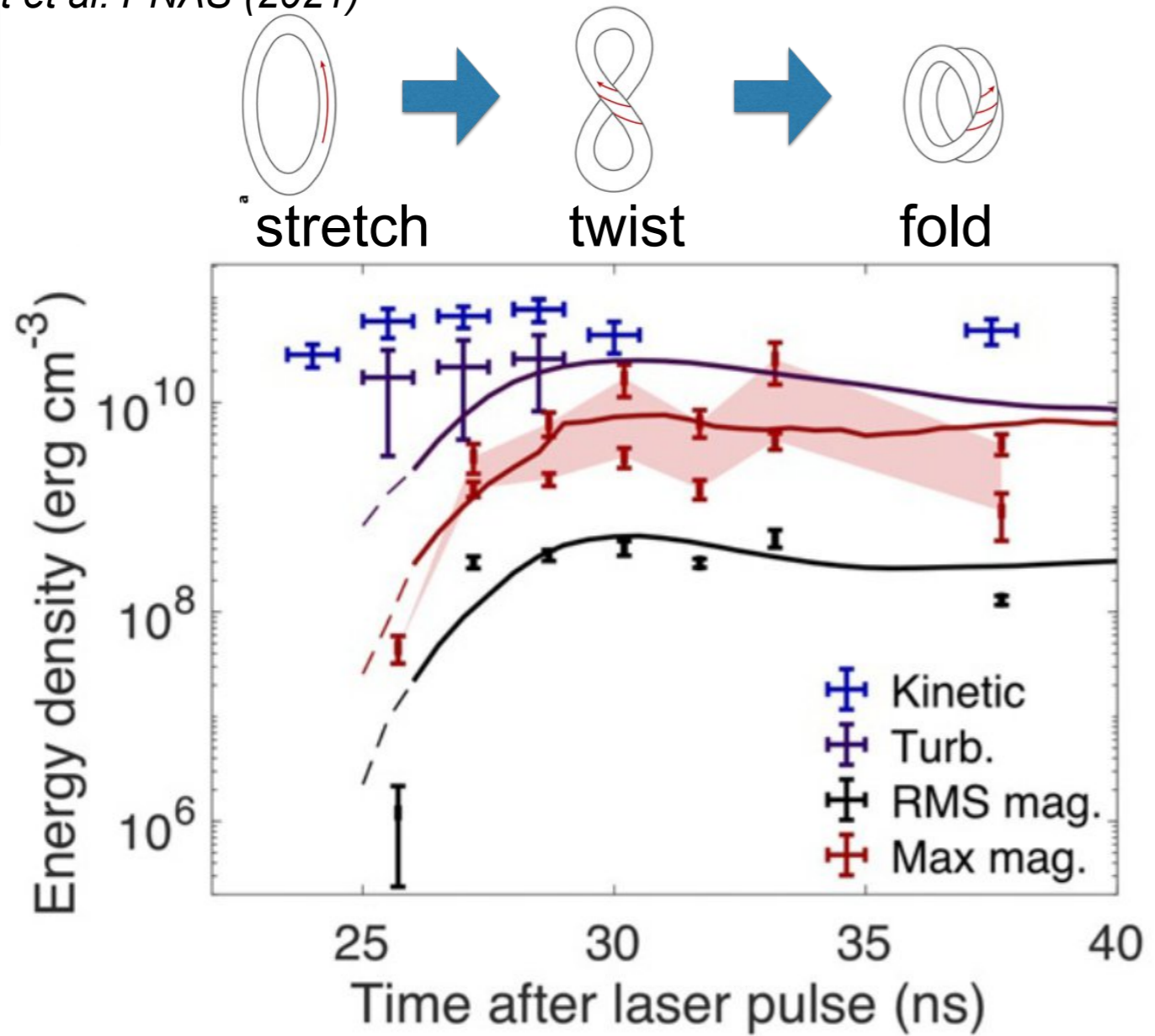
→ A much stronger field is observed after the collision, when turbulence is stronger.

→ Our analysis suggests **25x** amplification of the RMS field and peaks of **450 kG** (near saturation).



# Omega conditions are in the regime where turbulent dynamo can be excited

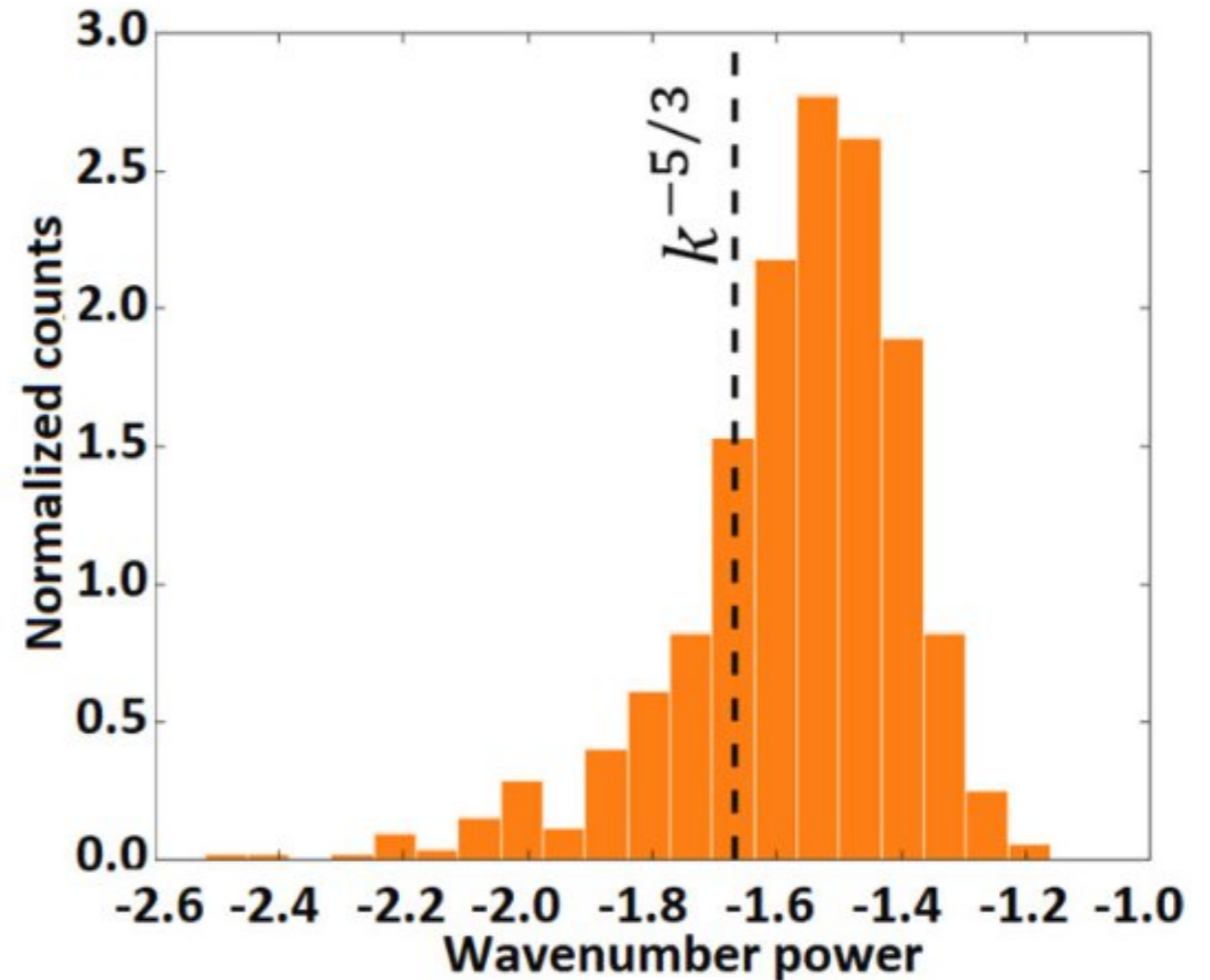
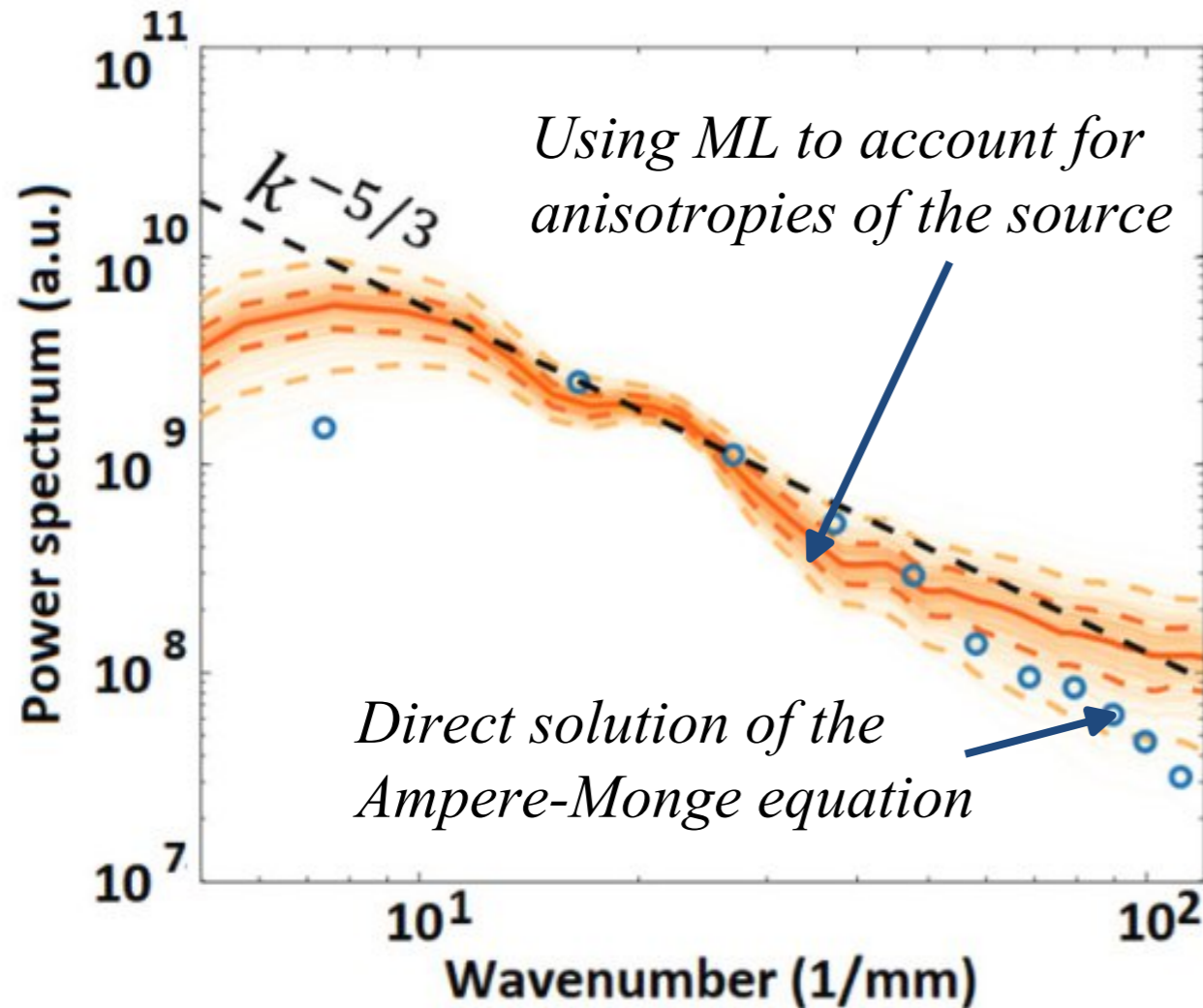
Bott et al. PNAS (2021)



	Experiment
<b>v</b>	100 km/s
<b>T<sub>e</sub></b>	450 eV
<b>n<sub>e</sub></b>	~10 <sup>20</sup> cm <sup>-3</sup>
<b>M</b>	1
<b>Re</b>	1200
<b>Rm</b>	600
<b>Pm</b>	<1

- Dynamo can only be excited for  $Rm >$  a few hundred (plasma must be a very good conductor).
- We have achieved magnetic Reynolds number much larger than the threshold value for turbulent dynamo action.
- The measured magnetic field is in dynamical equipartition between fluid motions.

# Magnetic field spectra are retrieved using machine learning



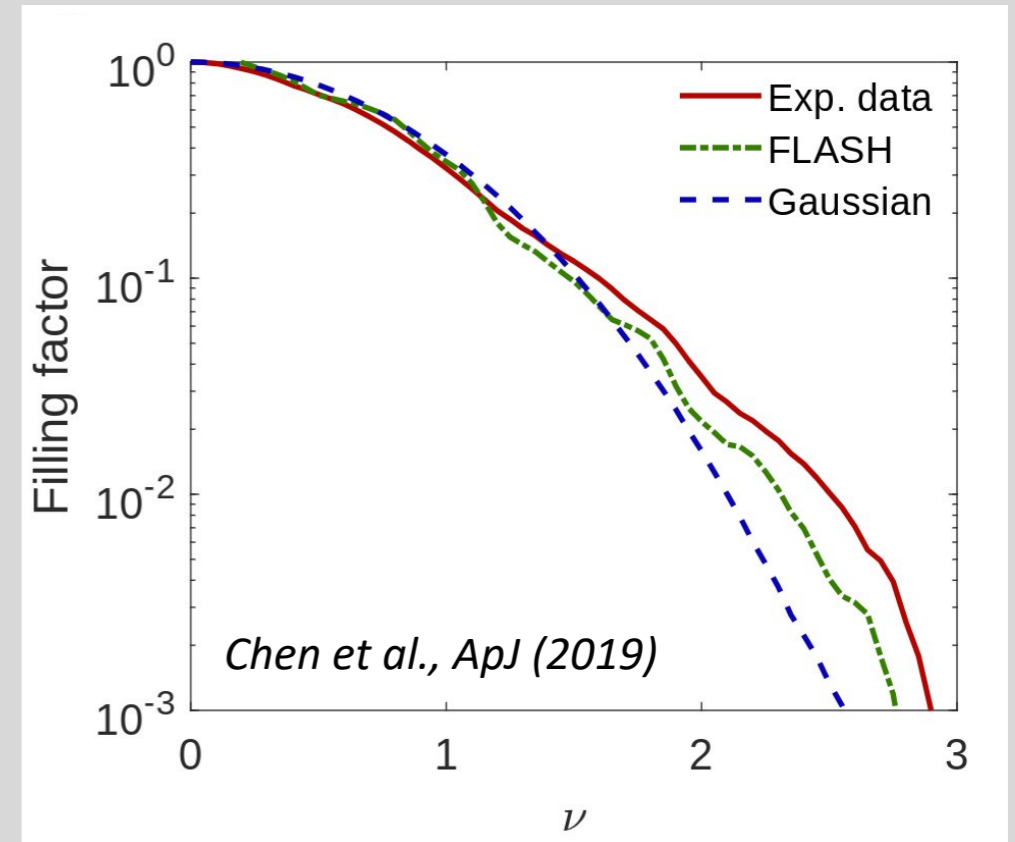
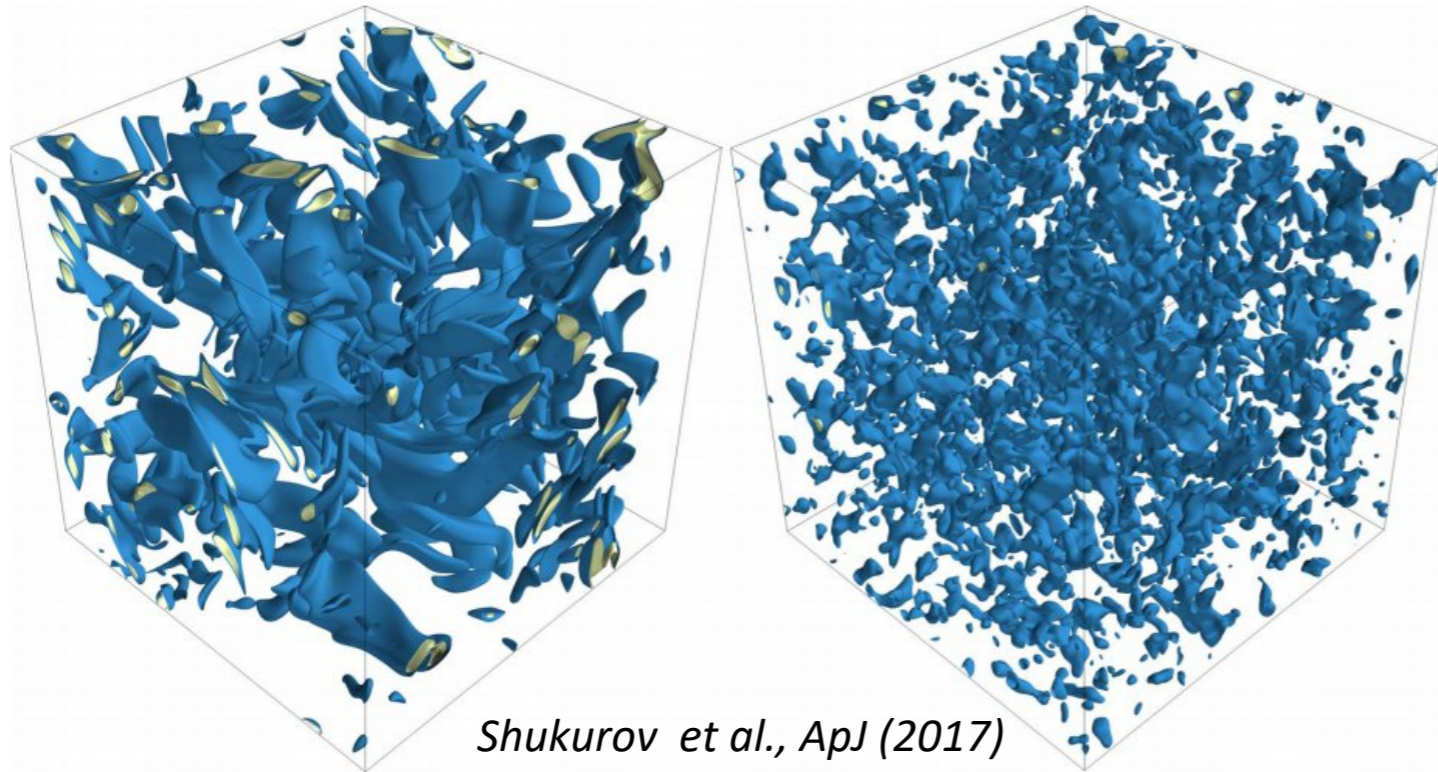
Kasim et al. PRE (2019)

- We have used regression and Bayesian analysis to determine the best fit and distribution of magnetic field power spectra.
- Measured spectra slopes are consistent with MHD numerical simulations.

# Magnetic fields in the experiments are not volume-filling

**Non Gaussian**

**Gaussian**



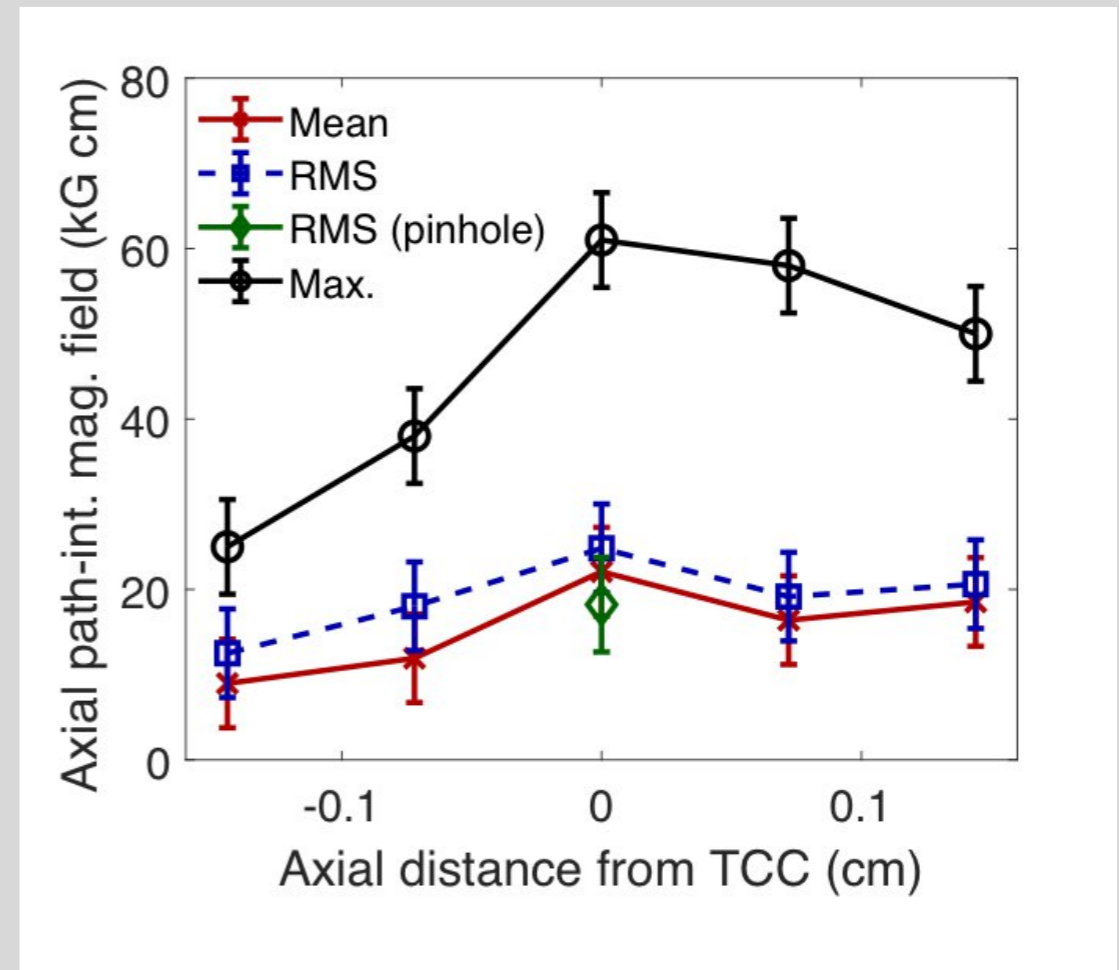
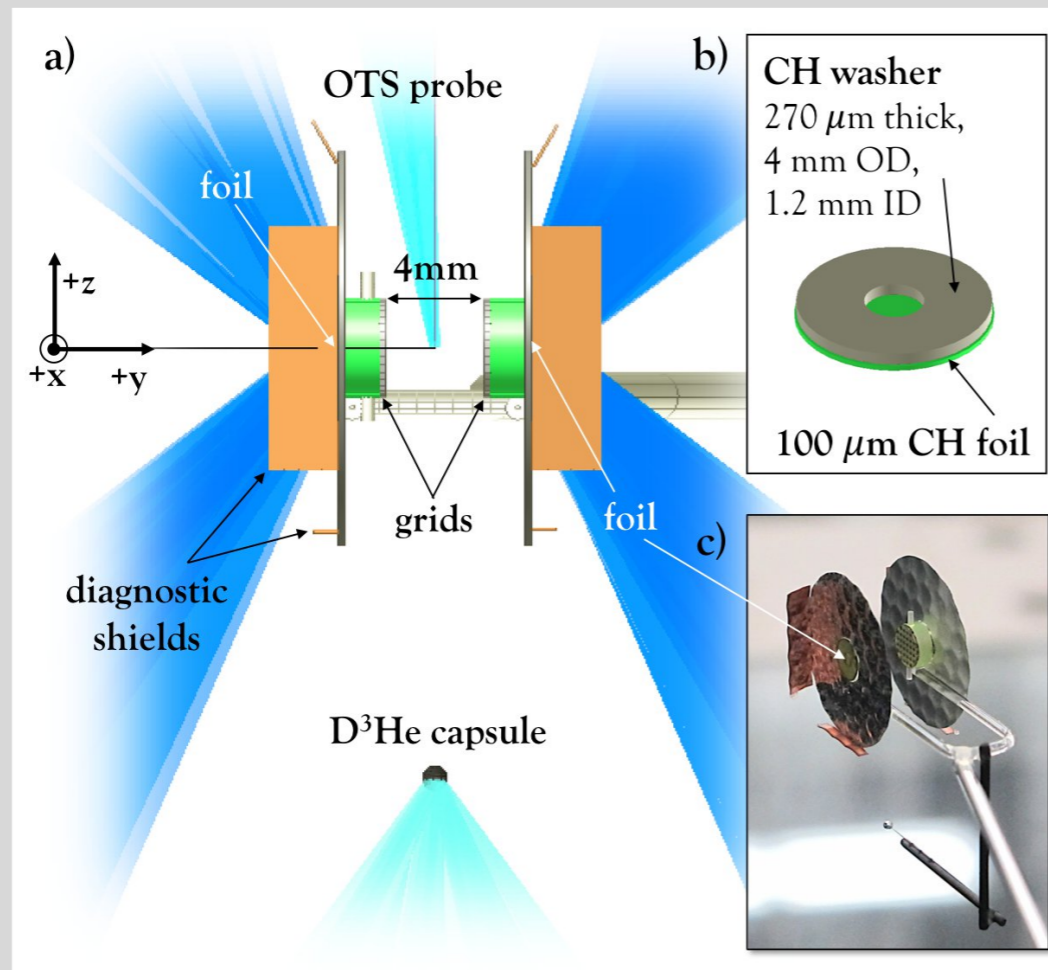
- The fractional volume with magnetic fields  $B > \nu B_{rms}$  shows a non-Gaussian behavior (expected since MHD turbulence is intermittent).
- Magnetic field spatial distribution shows islands of large field strength surrounded by regions of weak field.
- On these experiments,  $r_g > \lambda_e$ , therefore we don't expect the structure of the magnetic field to affect thermal conduction.



# Transport in highly magnetized and turbulent plasmas



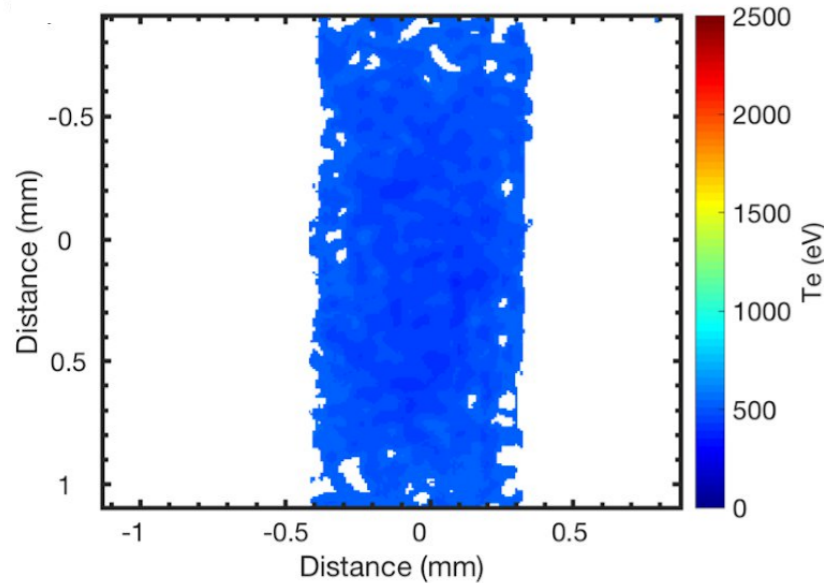
# NIF experiments show a significant increase in magnetic field turbulence



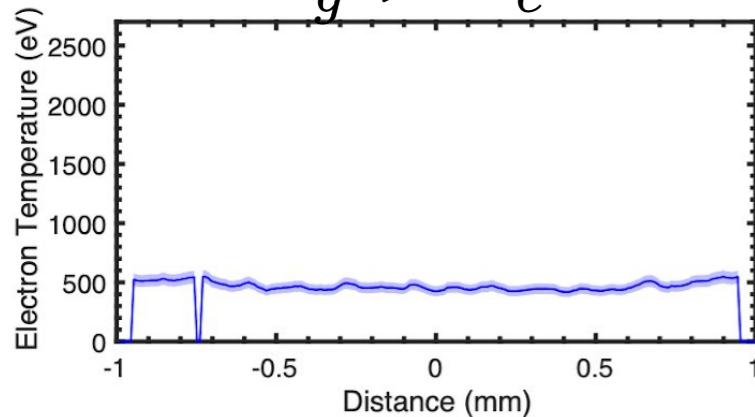
- ➔ At the National Ignition Facility (NIF) laser we observe about 10x increase in magnetic field values compared to Omega experiments.
- ➔ Increase in magnetic field is due to larger laser drive and faster flow motions.
- ➔ The larger magnetic field starts to affect the plasma transport properties (thermal conduction).

# We measure the 2d temperature maps of the interaction region

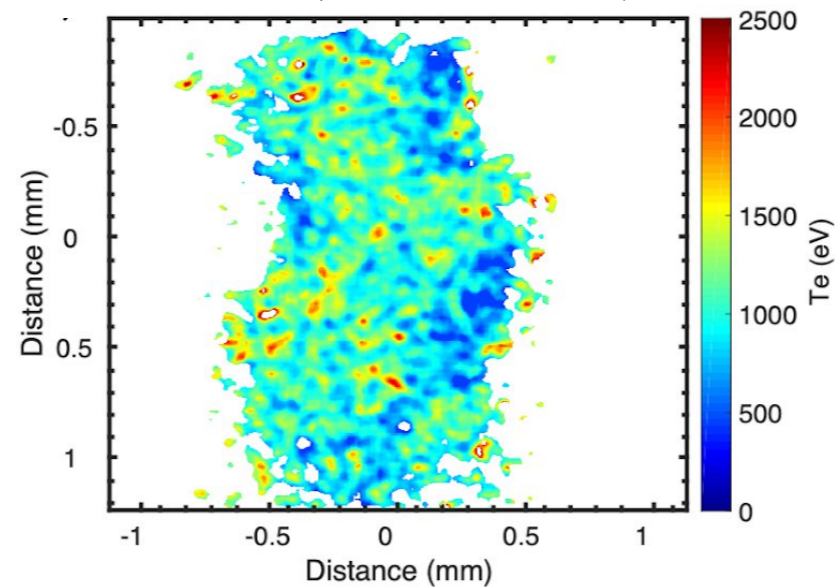
*Omega data*



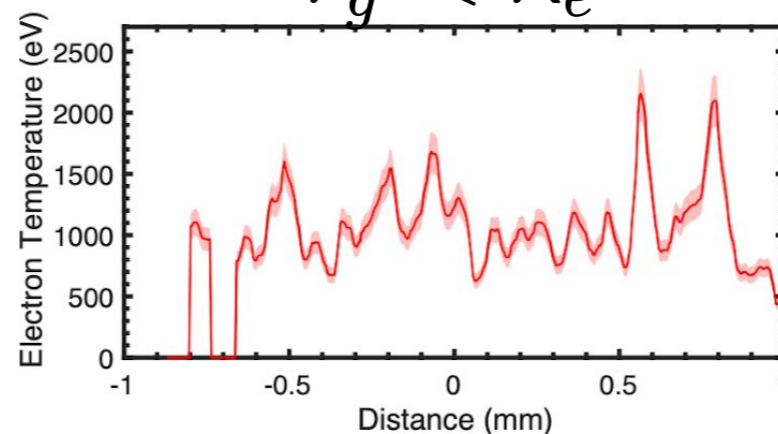
$$r_g > \lambda_e$$



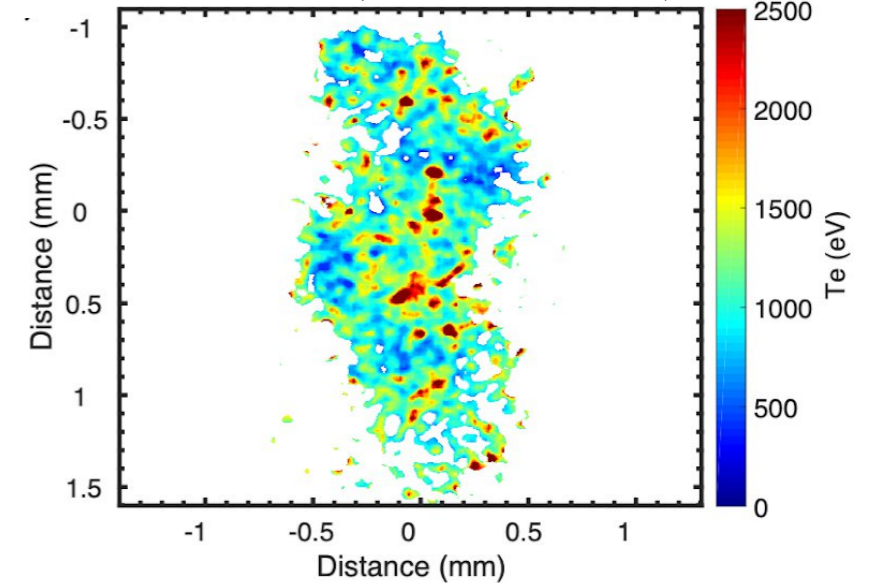
*NIF (t=23 ns)*



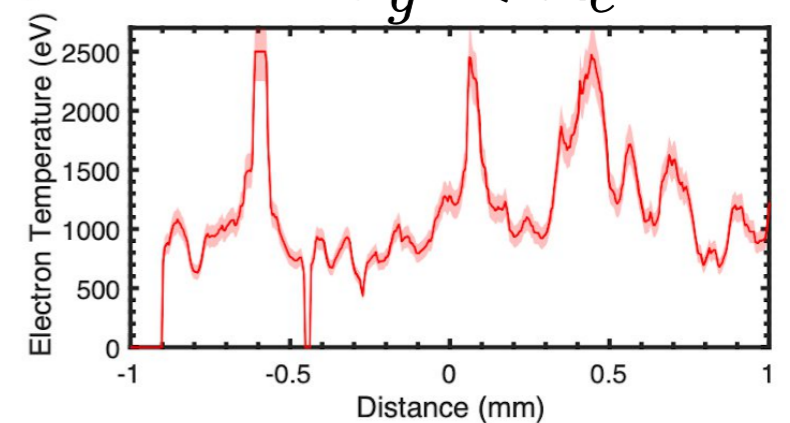
$$r_g < \lambda_e$$



*NIF (t=25 ns)*



$$r_g < \lambda_e$$

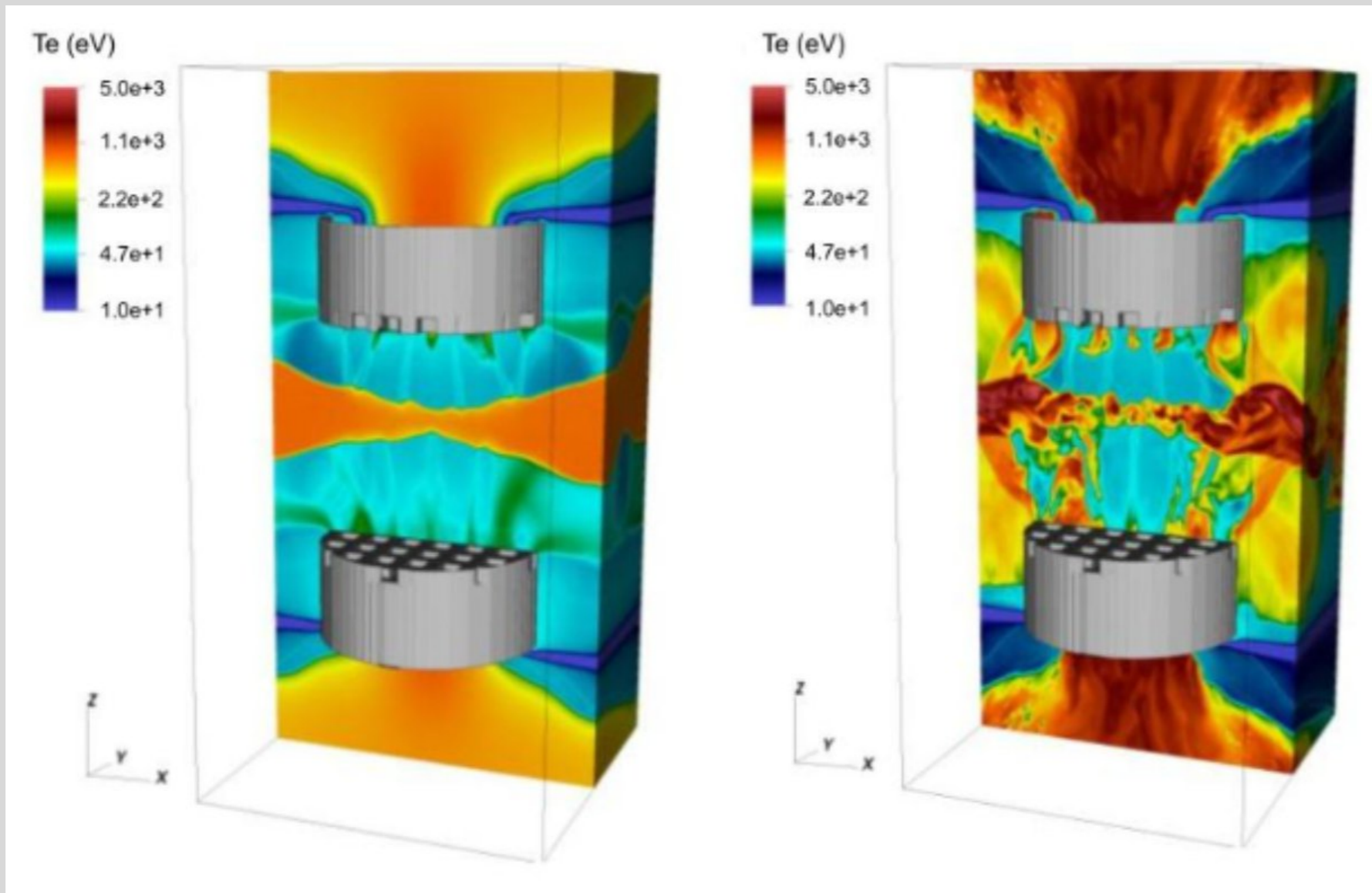


Meinecke et al. arXiv:2105.08461 (2021)

- ➔ On NIF we observe a significant scatter in the temperature distribution with hot spots surrounded by regions of cooler plasma.
- ➔ On Omega, instead, the temperature is very uniform all across the interaction region.
- ➔ The size of the observed hot spots is limited by instrument resolution.

# 3D MHD simulations of the interaction region

*FLASH  
with thermal  
Conduction*



*FLASH  
No thermal  
Conduction*

- ➔ NIF data revealed highly-structured temperature profile when the Larmor radius,  $r_g$  ( $\sim 0.1 \mu m$ ) is smaller than the electron Coulomb mean free path,  $\lambda_e$  ( $\sim 1 \mu m$ ).
- ➔ FLASH simulations with thermal conduction off shows significant structures in the temperature profiles.

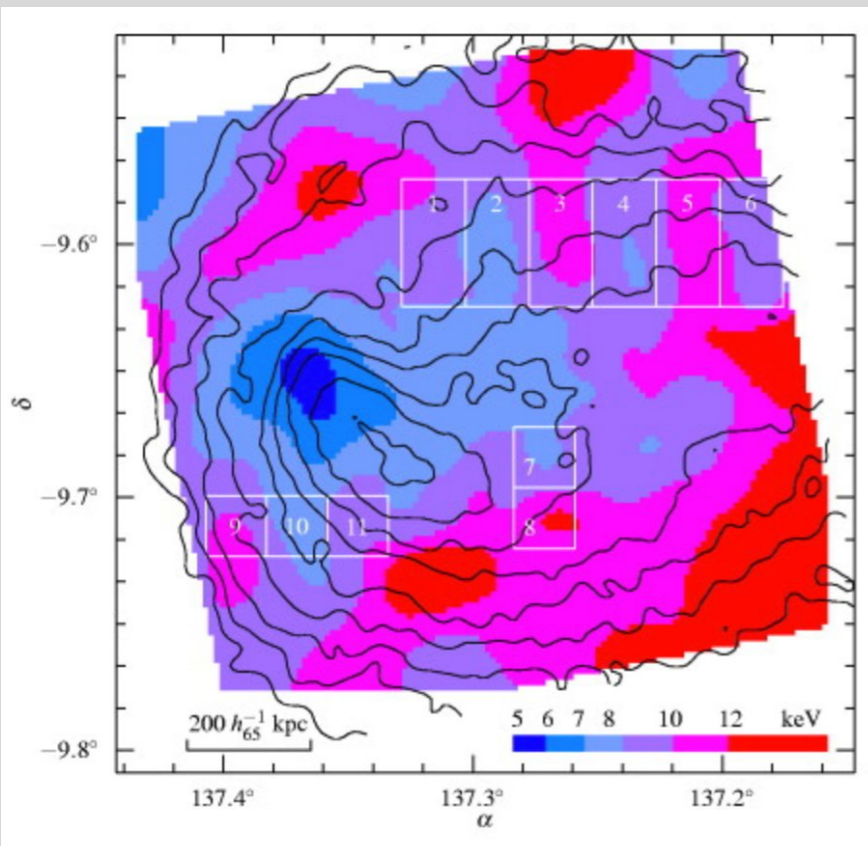
# Data is consistent with a strong suppression of heat conduction

Quantity	NIF	NIF	Omega
	t = 23ns	t = 25ns	t = 18ns
$n_e$ (cm <sup>-3</sup> )	7e20	5e20	1e20
$T_e$ (keV)	1.4	1.6	0.4
$l_T$ (μm)	50	50	200
$L$ (mm)	1	1	0.5
$Z_{\text{eff}}$	5.7	5.7	5.3
$t_{\text{cond}}$ (ps)	27	14	1324
$t_{\text{age}}$ (ns)	1.7	1.6	1.6
$\frac{t_{\text{age}}}{t_{\text{cond}}}$	63	114	1.2

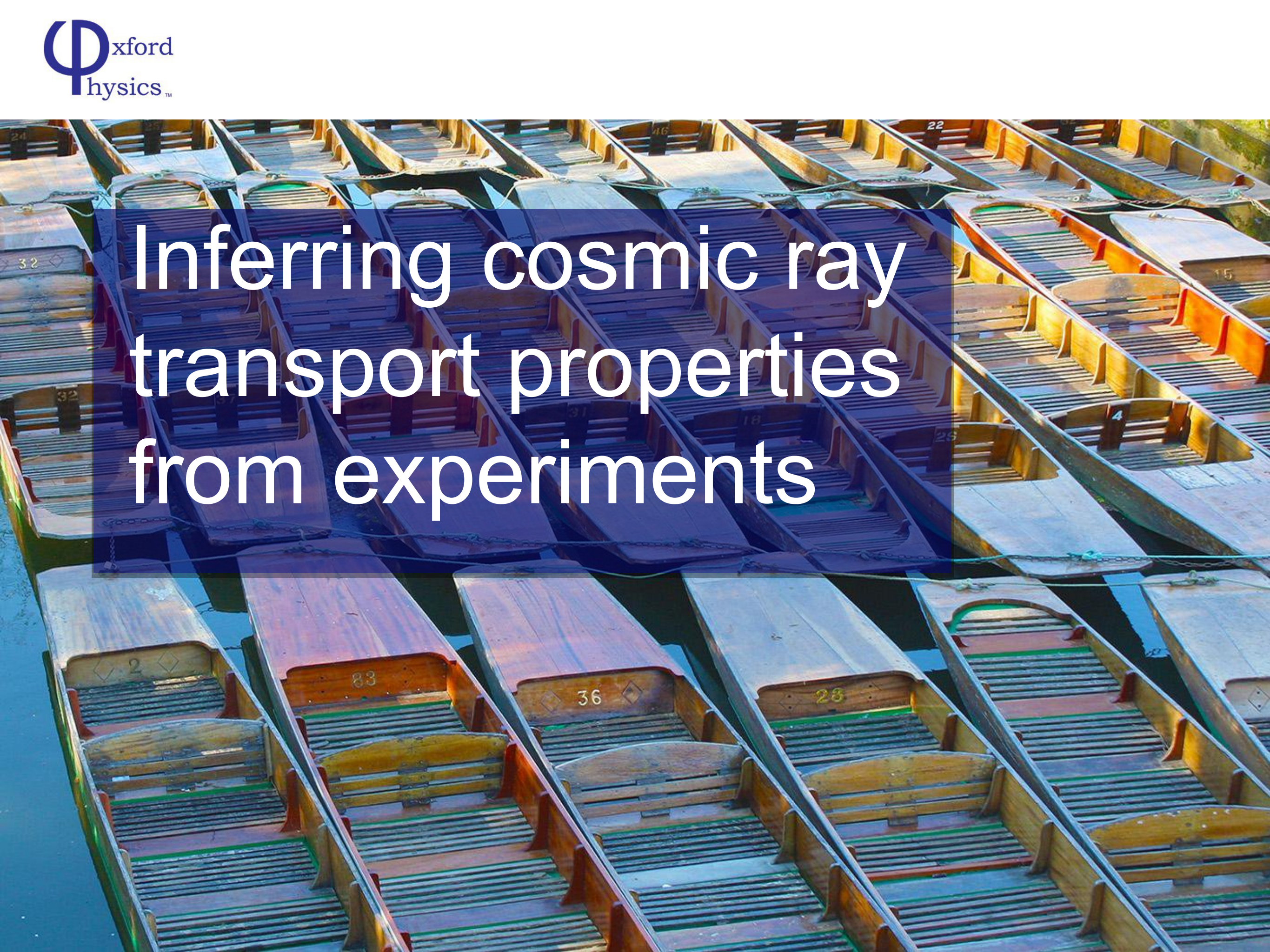
$$t_{\text{cond}} \sim k_B n_e l_T^2 / \kappa_S \quad \rightarrow \quad (\kappa / \kappa_S)^{-1} \sim (t_{\text{age}} / t_{\text{cond}})$$

$$t_{\text{age}} \sim L / c_s$$

- An estimate for heat conduction suppression is obtained by comparing the conduction time-scale with the time required for the turbulent structures to persist.
- Our estimates suggest 100x reduction of heat conduction in the NIF experiments.
- These conditions are, in fact, very similar to what we would expect to see in cluster of galaxies (Markevitch et al., ApJ 2003; Baldi et al. ApJ 2009).

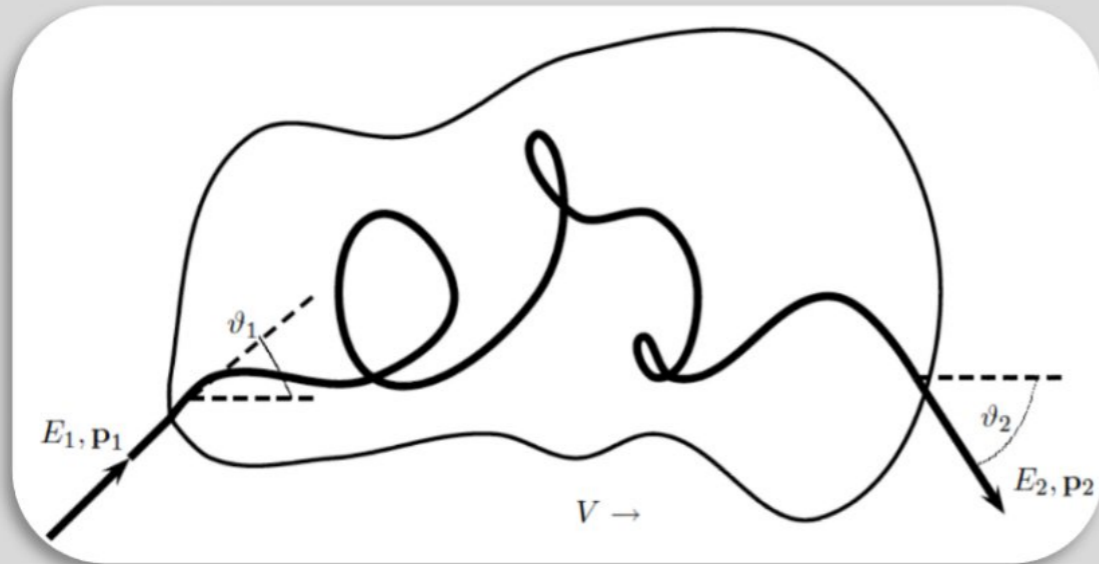


*Projected temperature map of A754 overlaid with CHANDRA x-ray image at 0.8-5 keV (Markevitch et al., ApJ 2003)*

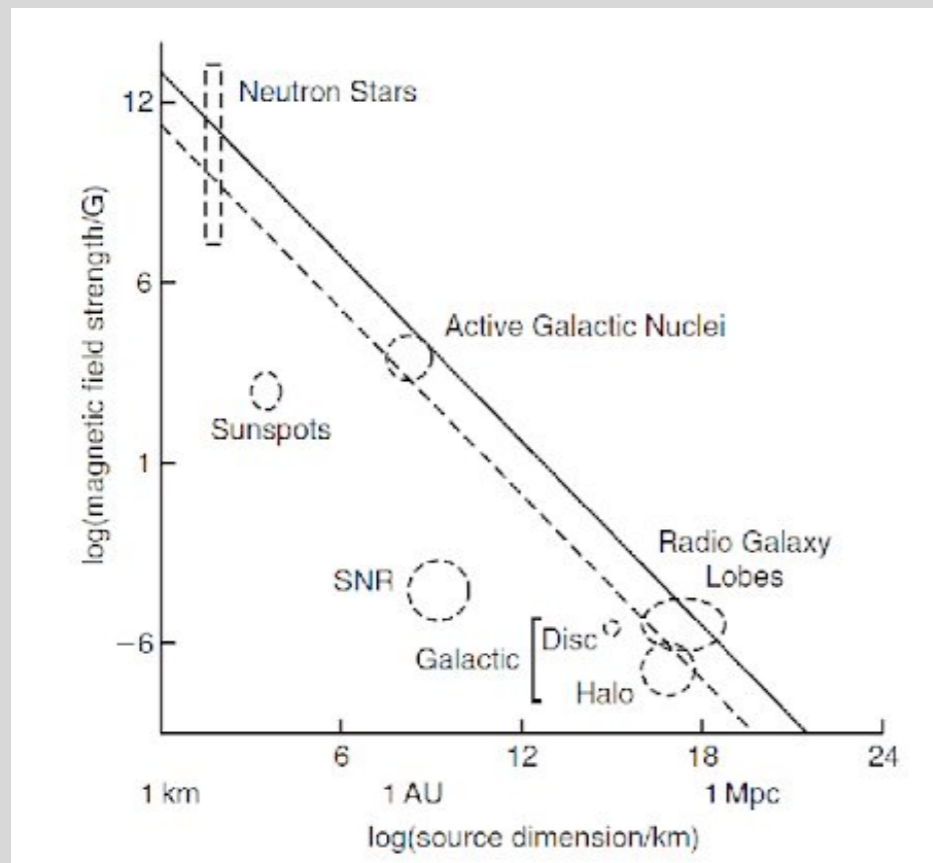


# Inferring cosmic ray transport properties from experiments

# Cosmic ray acceleration requires the presence of a turbulent plasma

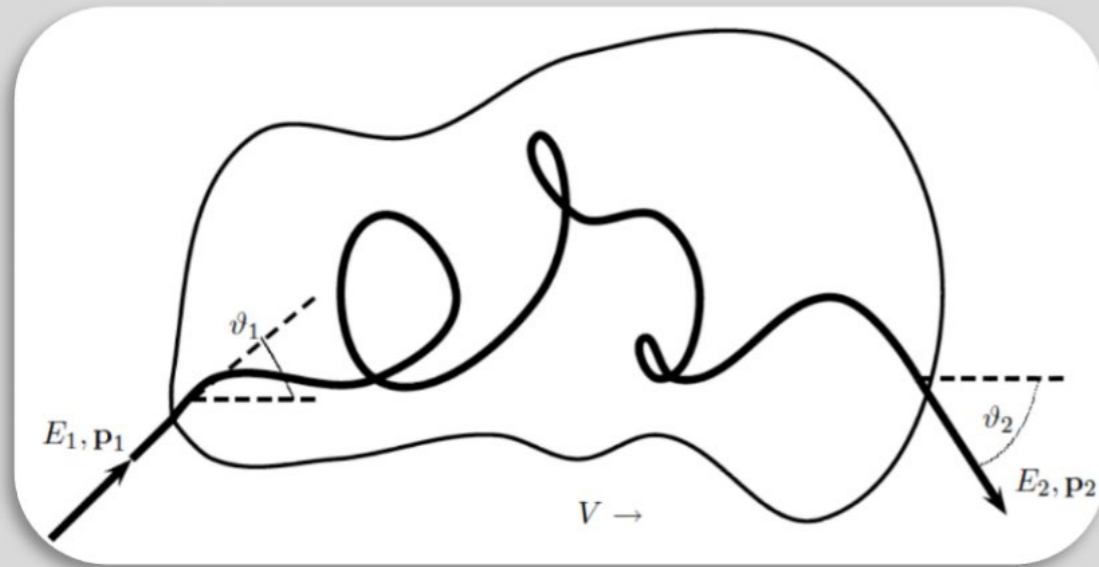


- Fast particles collide with moving magnetized clouds (*Fermi, 1949*). Particles can gain or lose energy, but head-on collisions (gain) are slightly more probable.
- First-order ‘Diffusive Shock Acceleration’ (*Blandford & Ostriker 1978; Bell 1978*) is very efficient, however in several astrophysical contexts, second-order Fermi is more relevant (*Petrosian, SSR 173:535, 2012*).
- The evolution of CRs as they are accelerated in the plasma is governed by a diffusion equation (*Kaplan, 1955; Cowsik & Sarkar, 1984; Blandford & Eichler, 1987*).

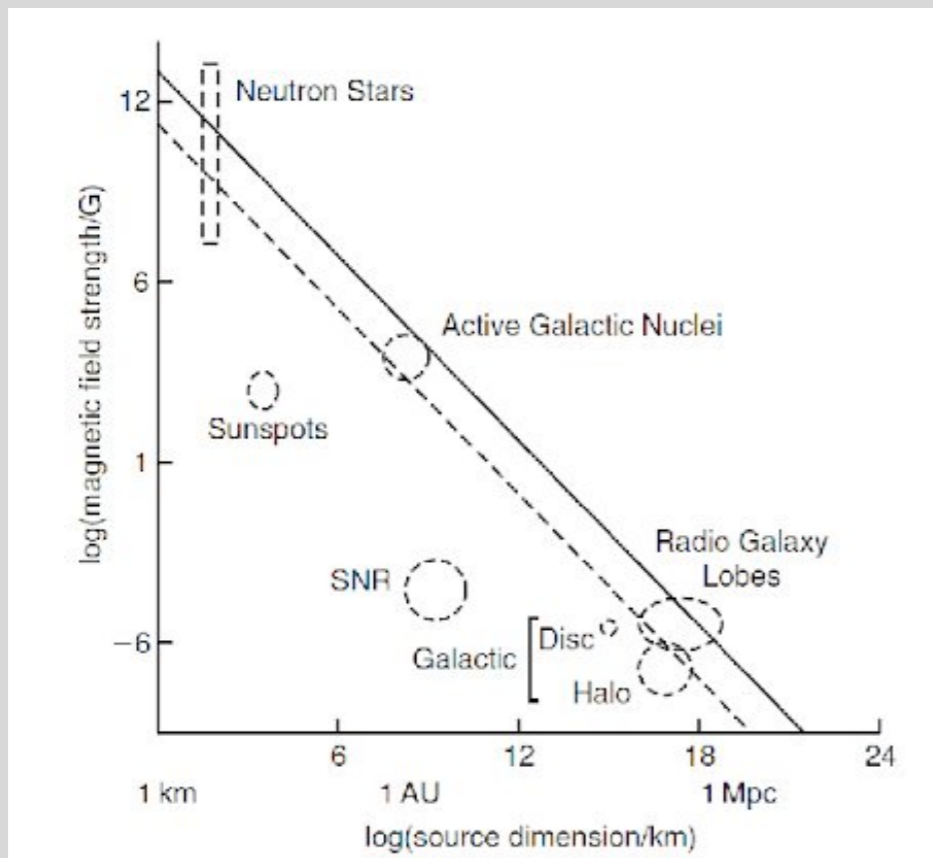


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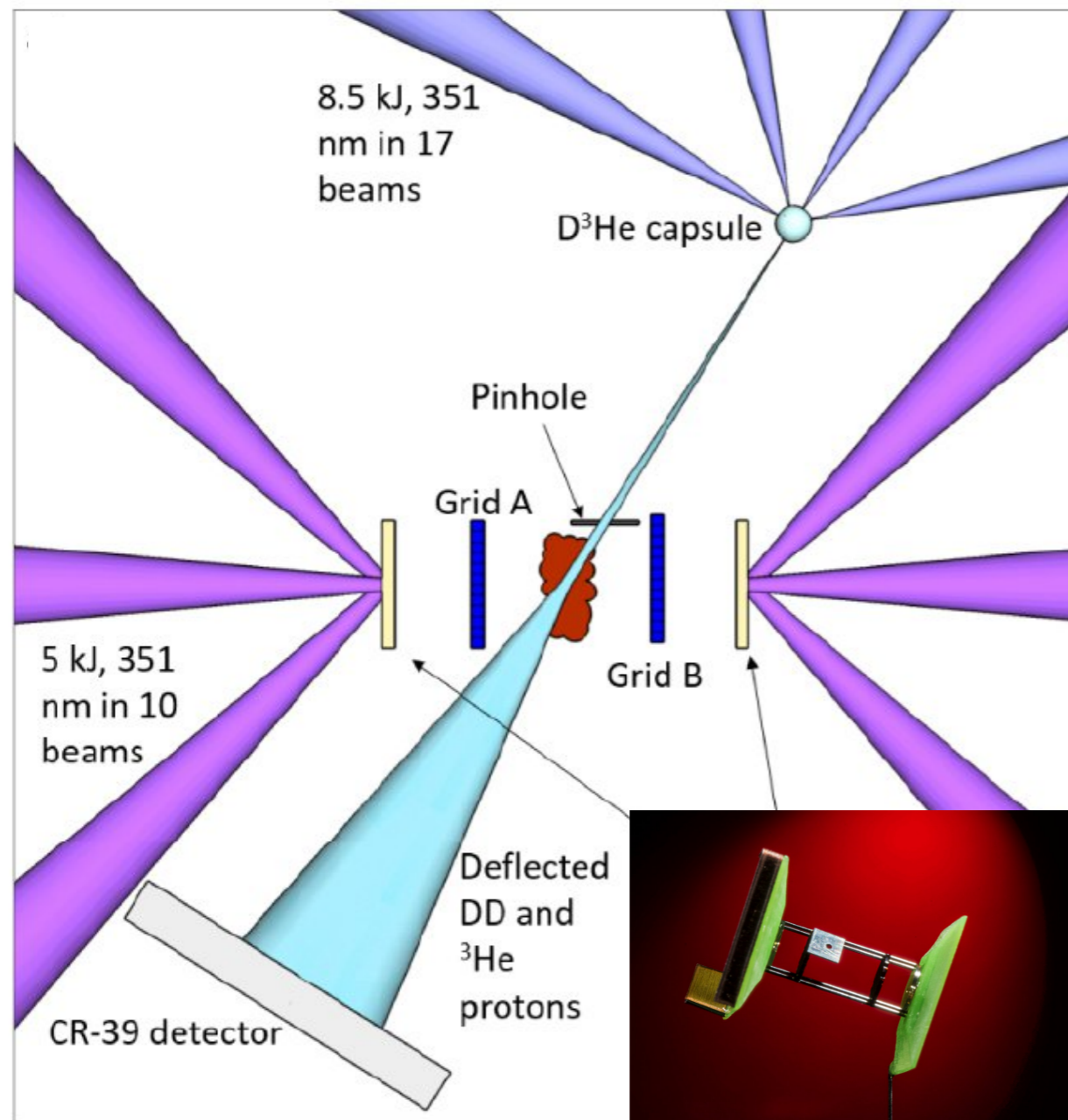
$$\frac{\partial f}{\partial t} + \mathbf{u} \cdot \nabla f = \frac{\partial}{\partial u_i} D_{ij} \frac{\partial f}{\partial u_j}$$



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- The evolution of CRs as they are accelerated in the plasma is governed by a diffusion equation (*Kaplan, 1955; Cowsik & Sarkar, 1984; Blandford & Eichler, 1987*).
- **In addition to astrophysical sources, laboratory plasmas can also potentially accelerate particle**



# Simulating Ultra High Energy Cosmic Rays (UHECR) with fusion protons



- 3 MeV and 15 MeV produced by DD and  $D^3He$  fusion reactions
- 300  $\mu m$  pinhole used to collimate proton beam
- As protons pass through the turbulent plasma they acquire transverse deflections (diffusion)
- Larmor radius of these protons much larger than magnetic field correlation length:

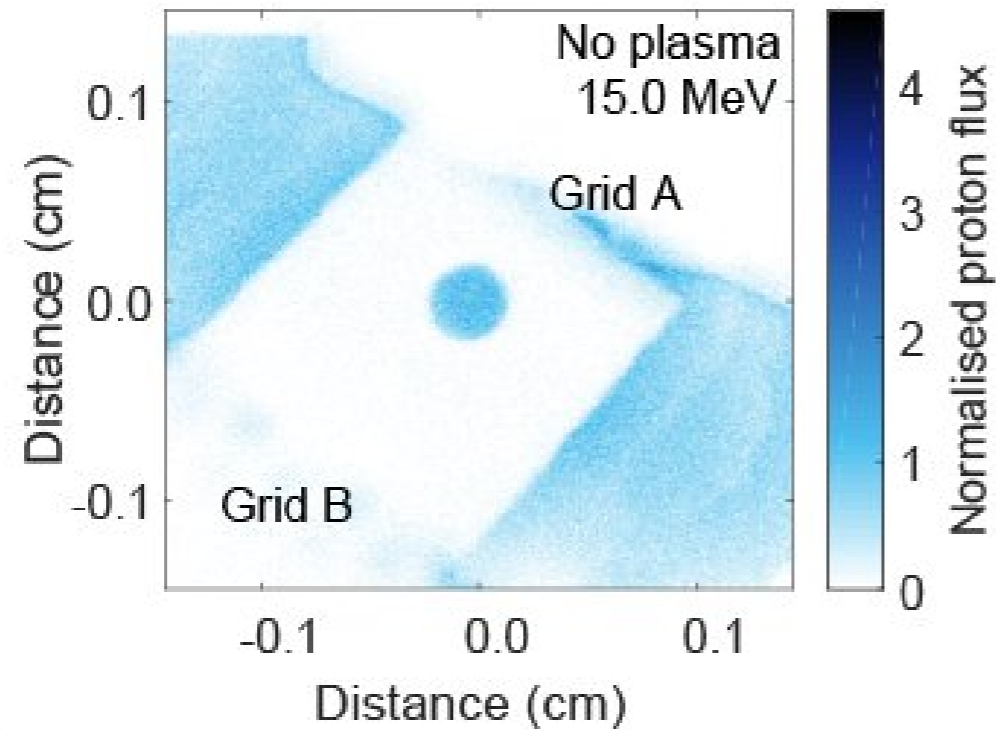
An analogue for Ultra High Energy Cosmic Rays (UHECR)!

$$r_g / \ell_c > 10^3$$

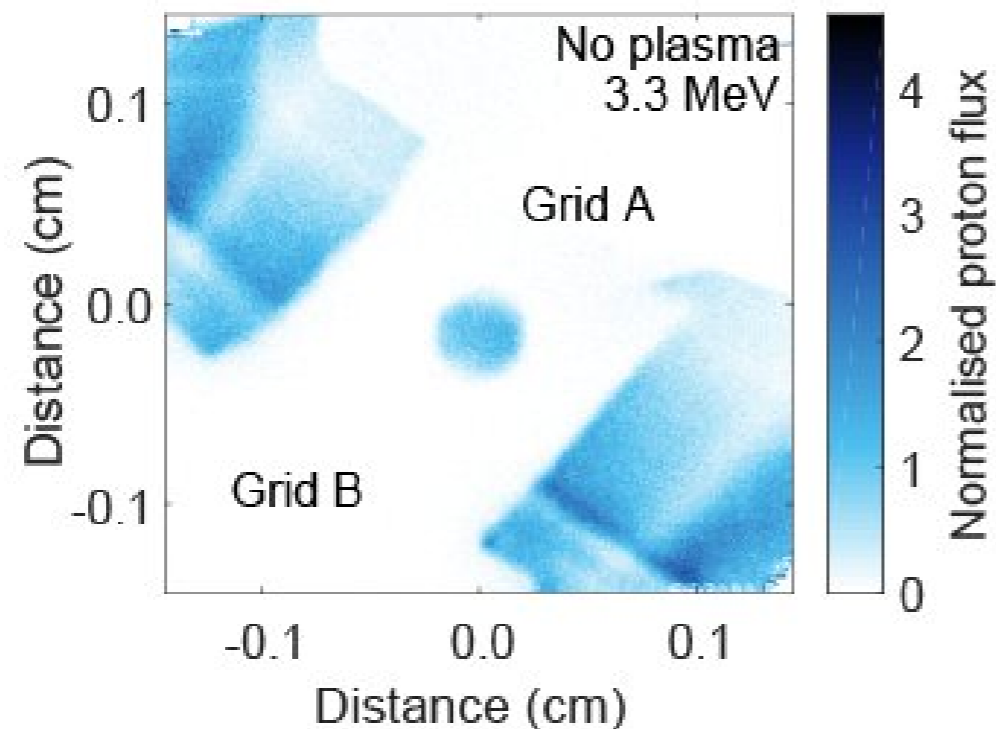


# We use our experimental platform to study proton transport through plasma

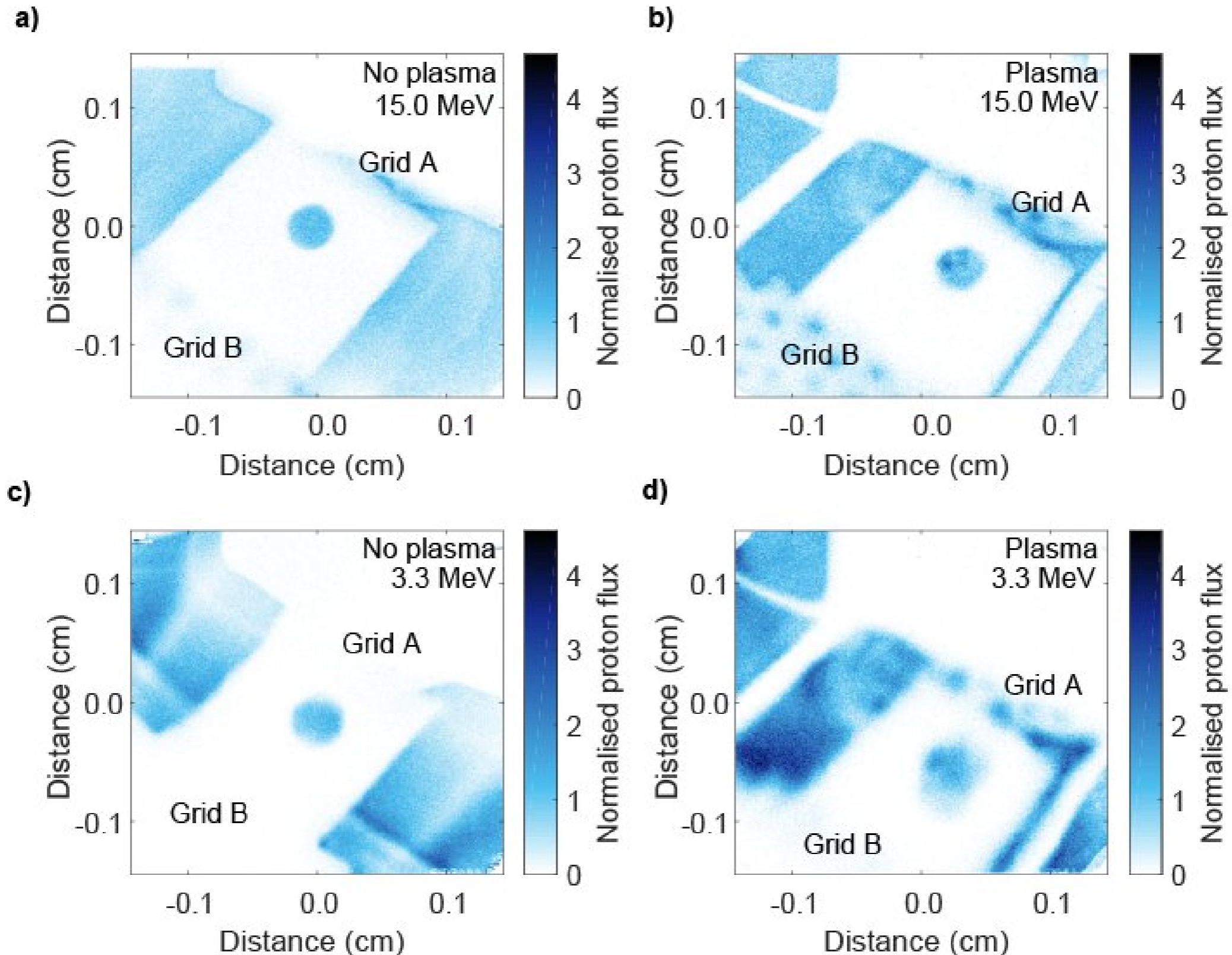
a)



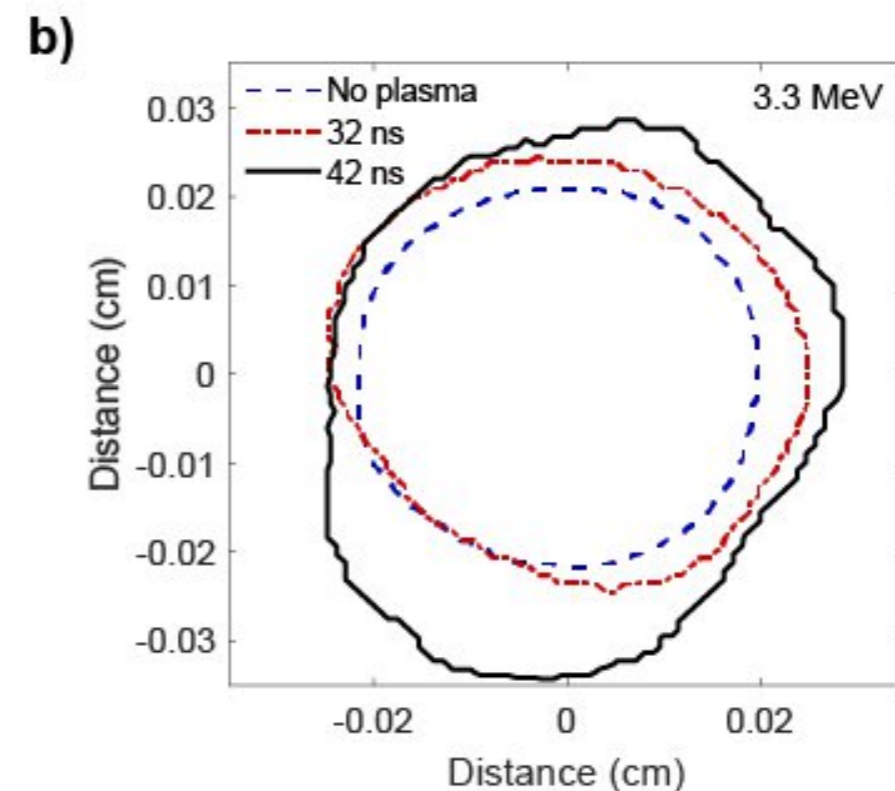
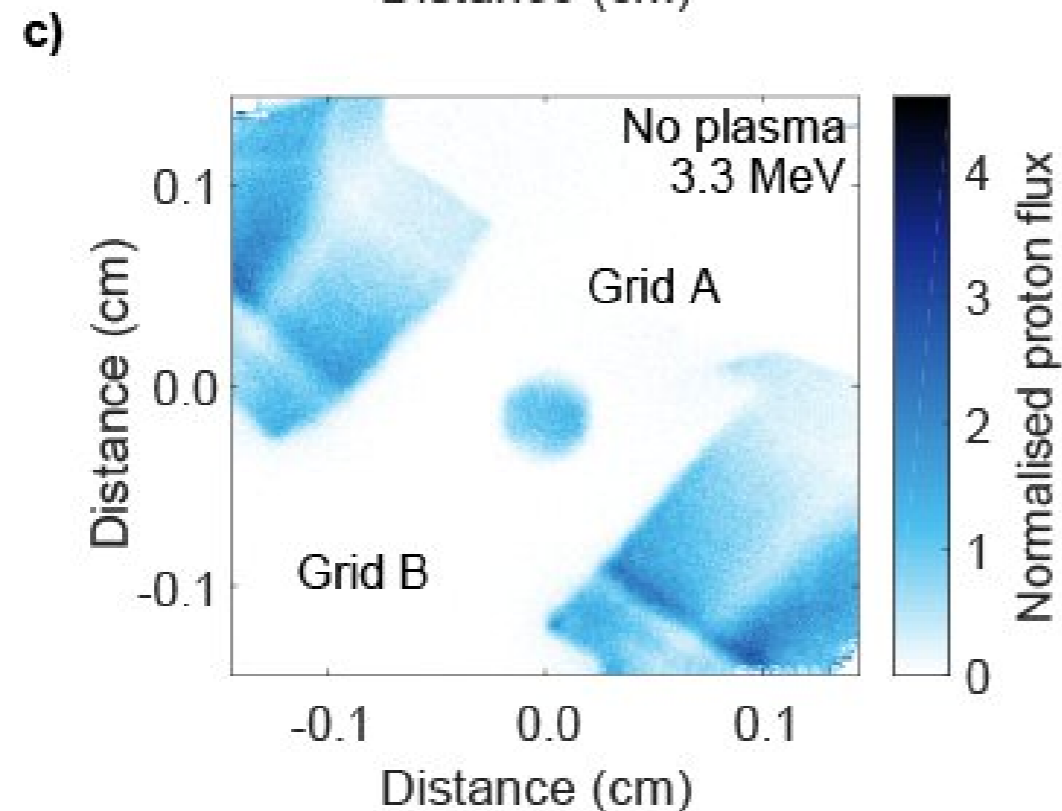
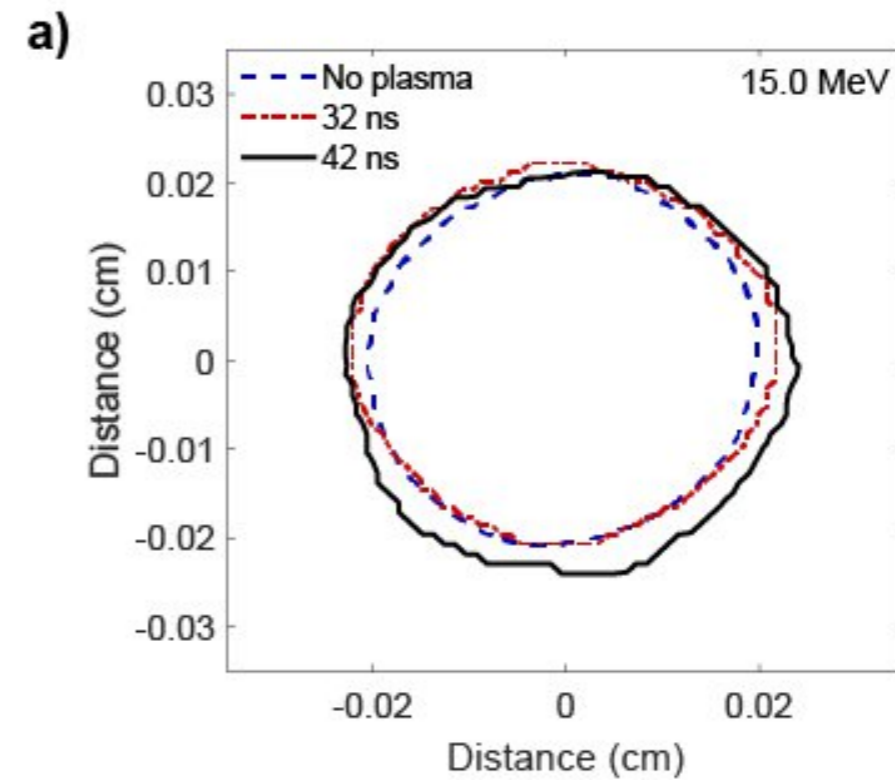
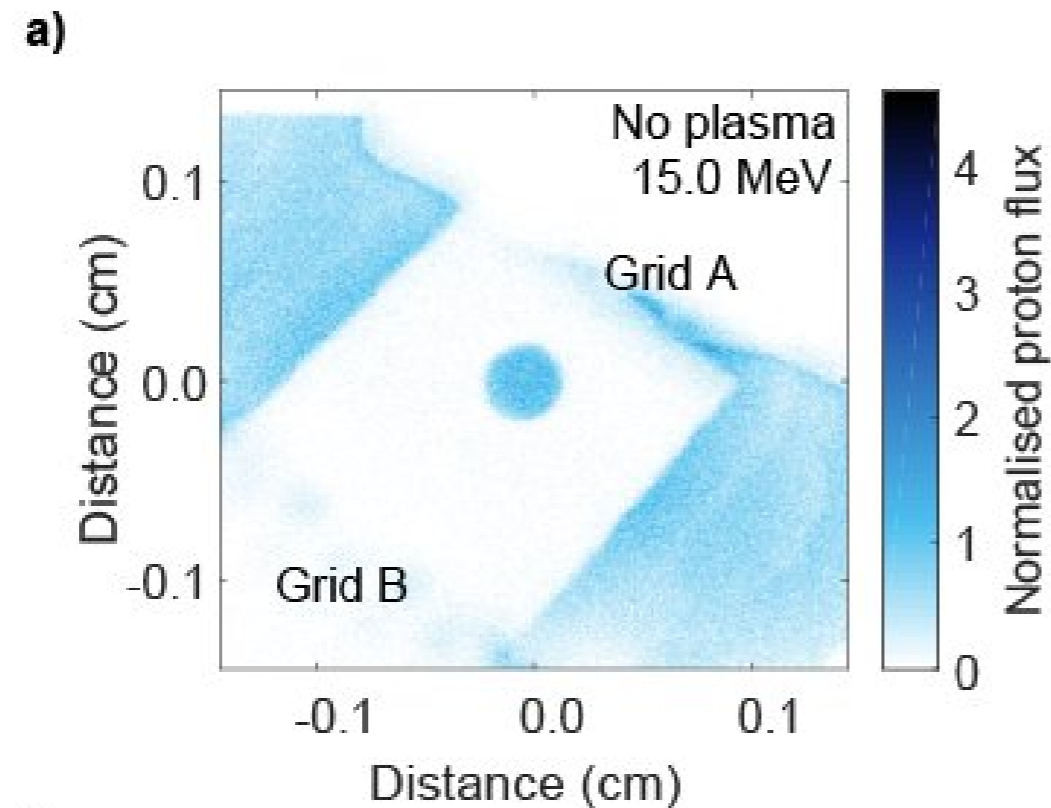
c)



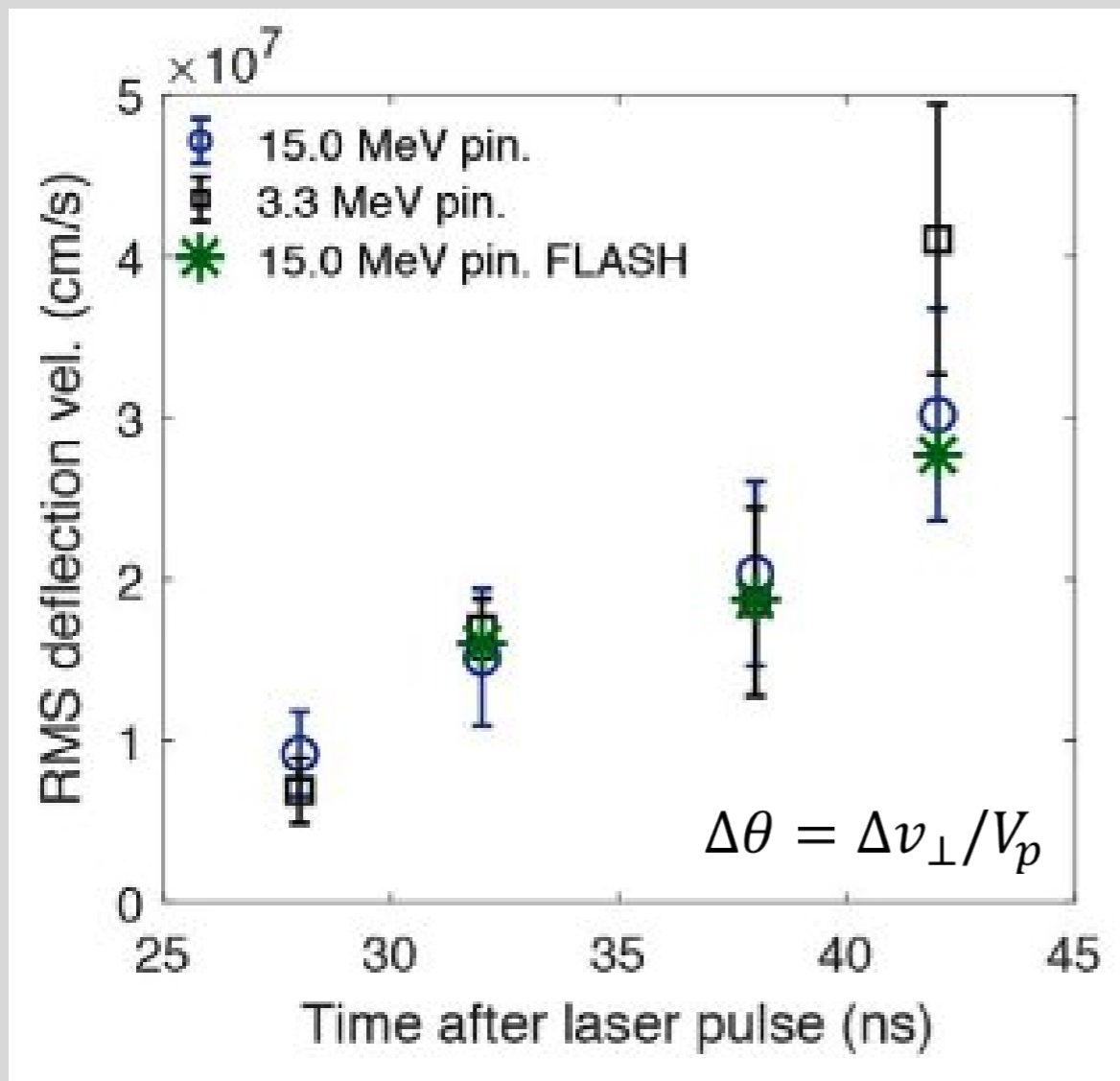
# Significant broadening of the proton beam is observed



# Significant broadening of the proton beam is observed



# Deflections are due to stochastic magnetic fields



- The protons of the beam obtain a transverse velocity

$$\Delta v_{\perp} = \frac{e}{m_p V_p} \int_0^{\ell_i} E(z) dz$$

- The electric field is given by the generalized Ohm's law
- The transverse velocity is independent of the proton energy: deflections are due to B-fields

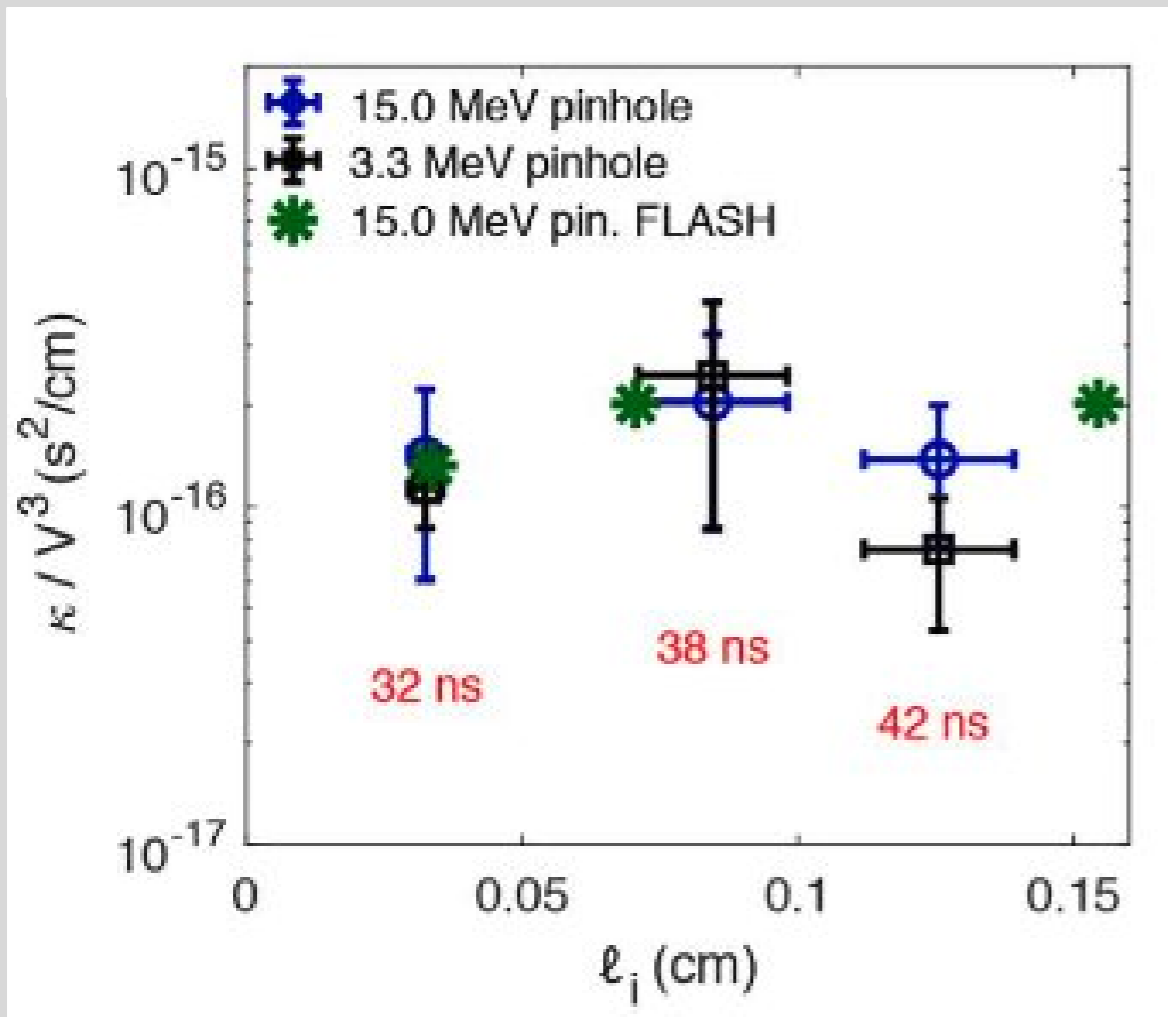
→ From the measured deflection velocity, we can estimate the angular scattering coefficient in velocity space

$$\nu = \frac{(\Delta v_{\perp} / V_p)^2}{\tau}$$

Transit time through the plasma

$$\tau = \ell_i / V_p$$

# For an infinite, isotropic plasma we can estimate the diffusion coefficient



→ If we had an infinite isotropic plasma, the derived scattering rate implies a diffusion coefficient:

$$\kappa = \frac{V_p^2}{\nu} = \frac{\ell_i V_p^3}{(\Delta v_{\perp})^2}$$

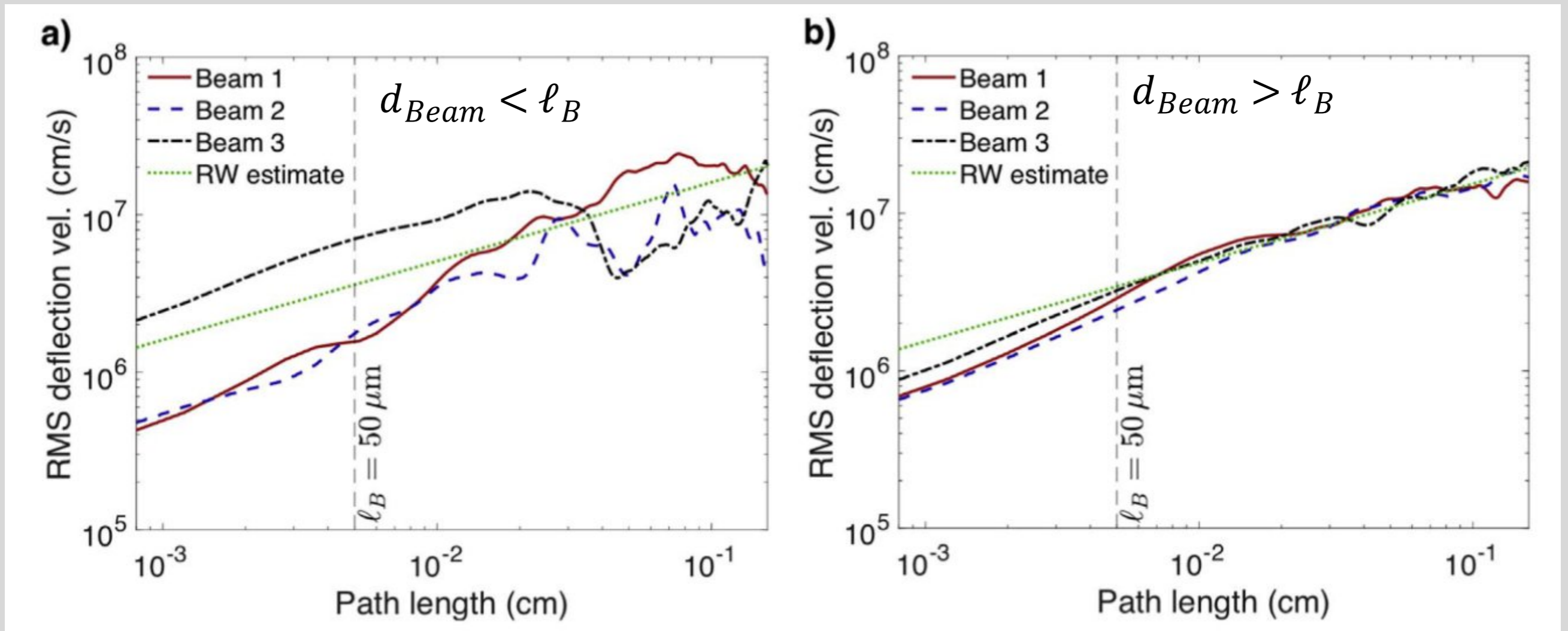
→ Since  $\kappa/V^3$  is constant, it means that:

$$(\Delta v_{\perp})^2 \propto \ell_i \propto \tau$$

→ This implies **normal (Markovian) spatial diffusion** (*Tsytovich 1977, Salchi 2009, Subedi et al. 2017*).

→ This may seem surprising given that the magnetic field is not Gaussian.

For an infinite, isotropic plasma we can estimate the diffusion coefficient



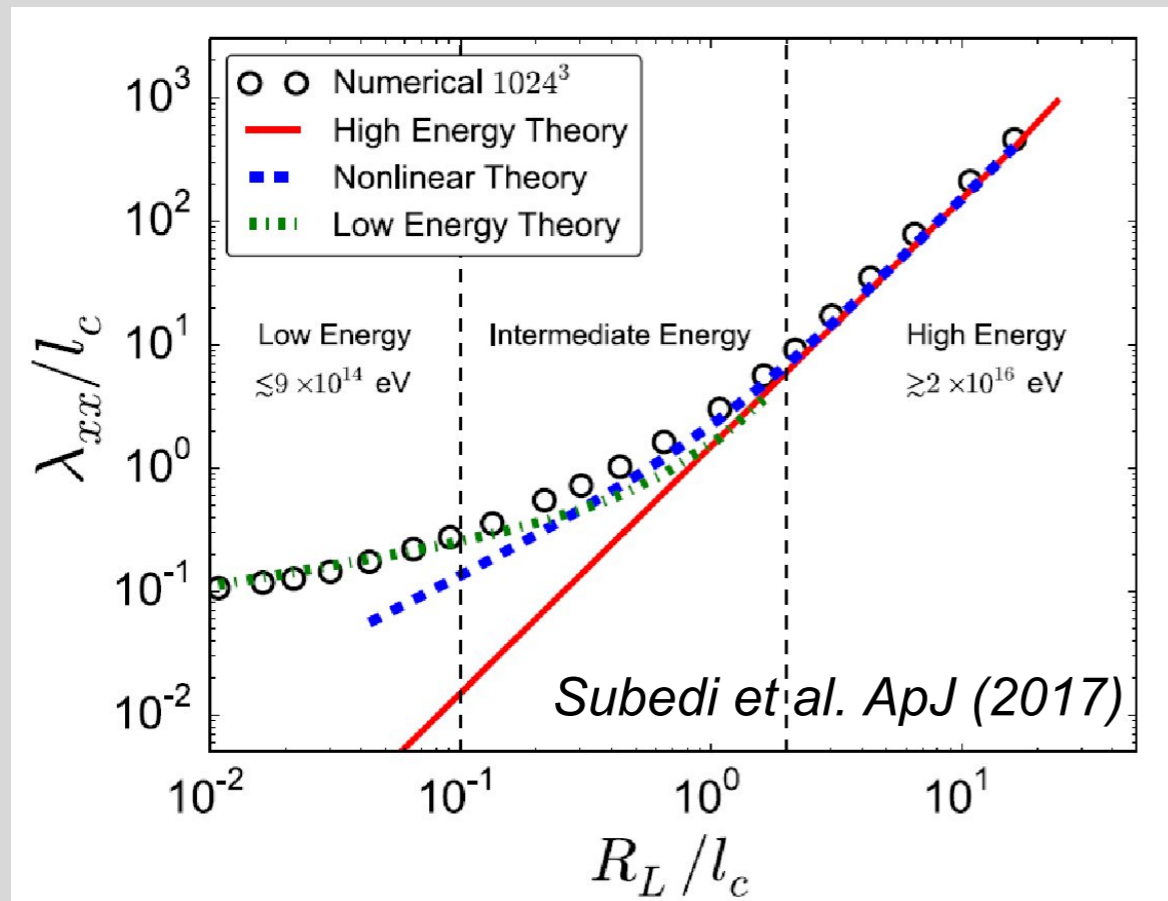
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→ This is because the proton beam transverse size is much larger than the correlation length of the magnetic field turbulence.

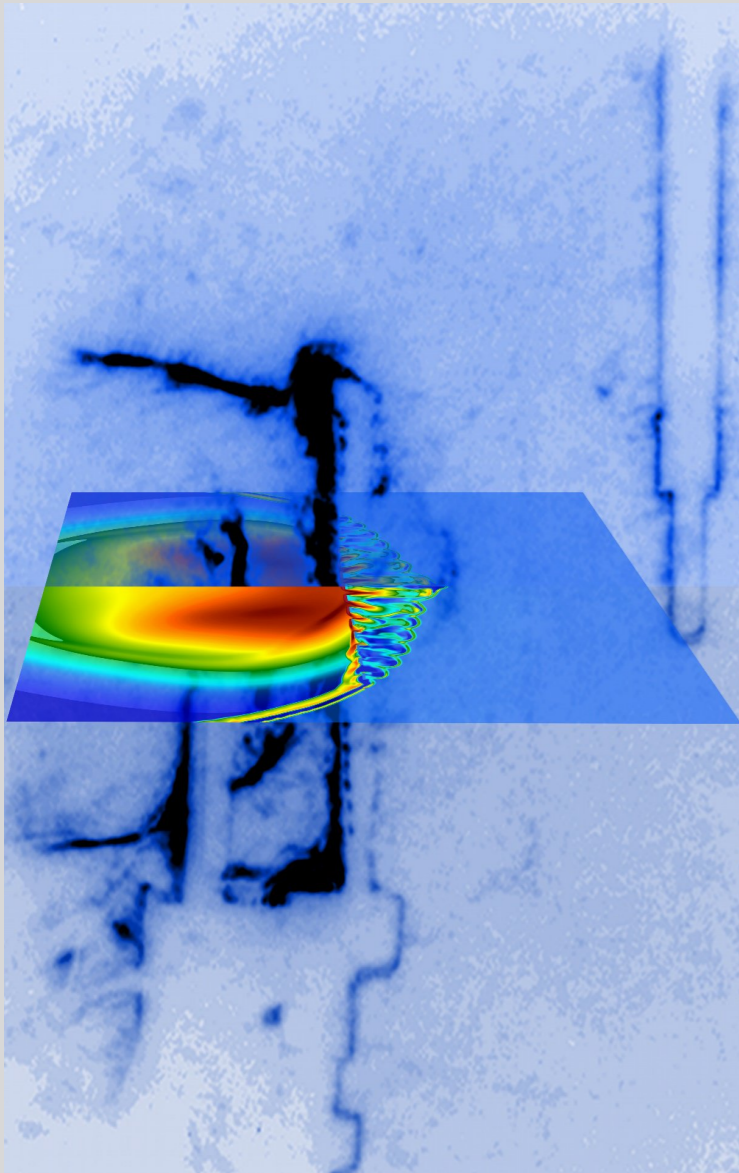
# Experimental data are consistent with simple theory of UHECR diffusion



$$\lambda/\ell_c \sim (V_p/\nu)/\ell_c \propto (r_g/\ell_c)^2$$

- Protons in the experiment have a ratio  $\ell_c/r_g$  that is the same as that of 10 EeV UHECR interacting with the Galactic magnetic field.
- In this high energy regime, the experiment shows that the mean free path depends only on the Larmor radius - consistent with numerical simulations.
- This is independent of the structure of turbulence: in the experiment we have  $k^{-1}$  and in *Subedi et al.*  $k^{3/2}$ .

# Summary



- We have developed a platform to study transport processes in turbulent and magnetized plasmas.
- Results from NIF show very different temperature maps than what observed on Omega.
- NIF results are consistent with a reduction in heat conduction by a significant factor ( $\sim 100x$ ), as seen in laboratory and astrophysical plasmas.
- We have developed a new ML tool that can be used to extract transport models from the data.
- We fully characterized the proton diffusion in the experiments, recovering deflection velocities, angular scattering coefficients, spatial diffusion coefficients, and mean free paths that are consistent with normal diffusion and a random walk picture.
- The experiments validated theoretical tools and simulations used in analyzing the propagation of UHECRs through the IGM.



# Thanks to all collaborators

- [A Rigby](#), [L Chen](#), [K Beyer](#), [M Oliver](#), [J Meinecke](#), [AR Bell](#), [F Miniati](#), [S Sarkar](#), [A Schekochihin](#), [H Poole](#), [M Kasim](#), [S Vinko](#), [G Gregori](#) (U Oxford)
- [C Graziani](#), [F Cattaneo](#), [DQ Lamb](#) (U Chicago)
- [P Tzeferacos](#), [D Froula](#), [J Katz](#) (LLE)
- [B Albertazzi](#), [M Koenig](#) (LULI)
- [T White](#) (U Nevada Reno)
- [F Cruz](#), [L Silva](#) (IST Lisbon)
- [S Ross](#), [J Emig](#), [D Ryutov](#), [B Remington](#), [H-S Park](#) (LLNL)
- [C-K Li](#), [R Petrasso](#) (MIT)
- [D Ryu](#) (Unist)
- [S Lebedev](#) (Imperial College)
- [A Bott](#) (Princeton)
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- [J Foster](#) (AWE)
- [A Casner](#) (CEA)
- [F Fiuza](#), [R Blandford](#) (Stanford)
- [B Bingham](#), [R Bamford](#) (Rutherford Appleton Laboratory)

Thank you for your  
attention!